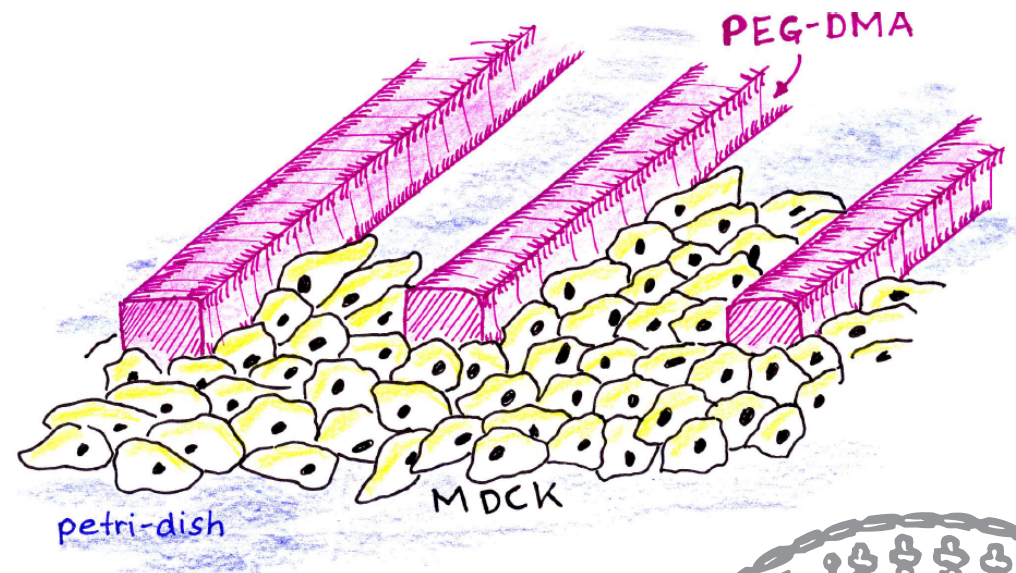


Cell migration on microstructured surfaces: - from single cell to collective behavior

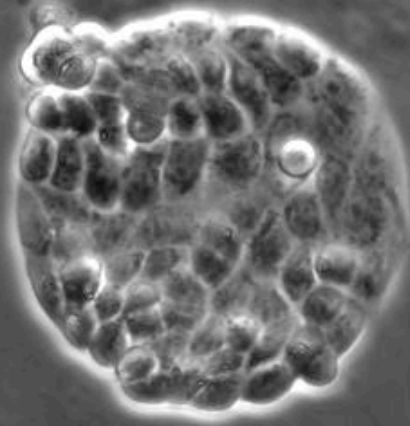
Joachim Rädler

soft condensed matter group
physics faculty, LMU, Munich
Center for NanoScience (CeNS)



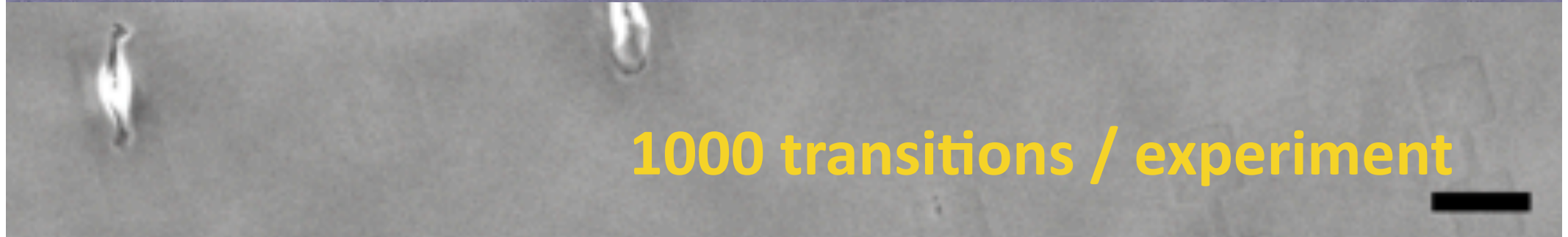
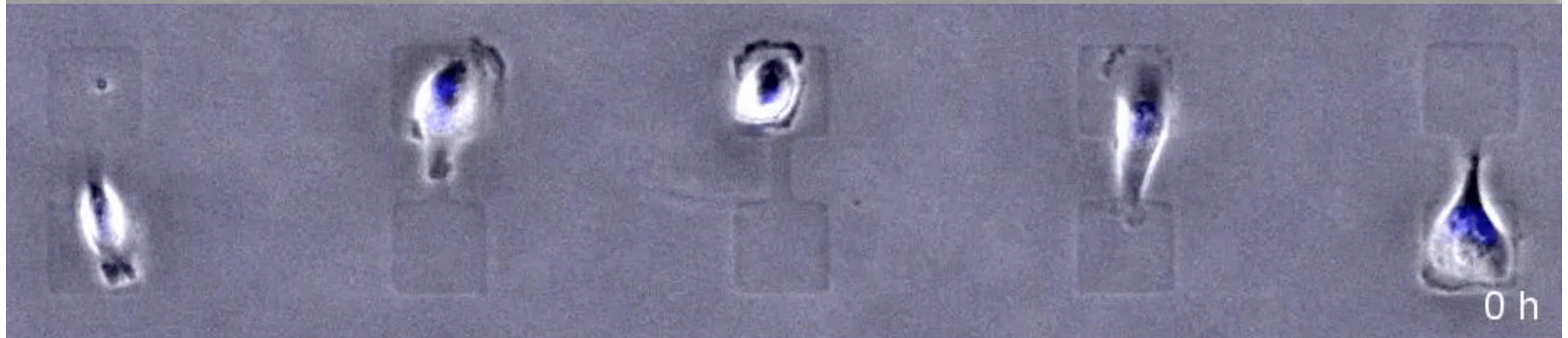
growing epithelia
(MDCK) cells

9000 x real time



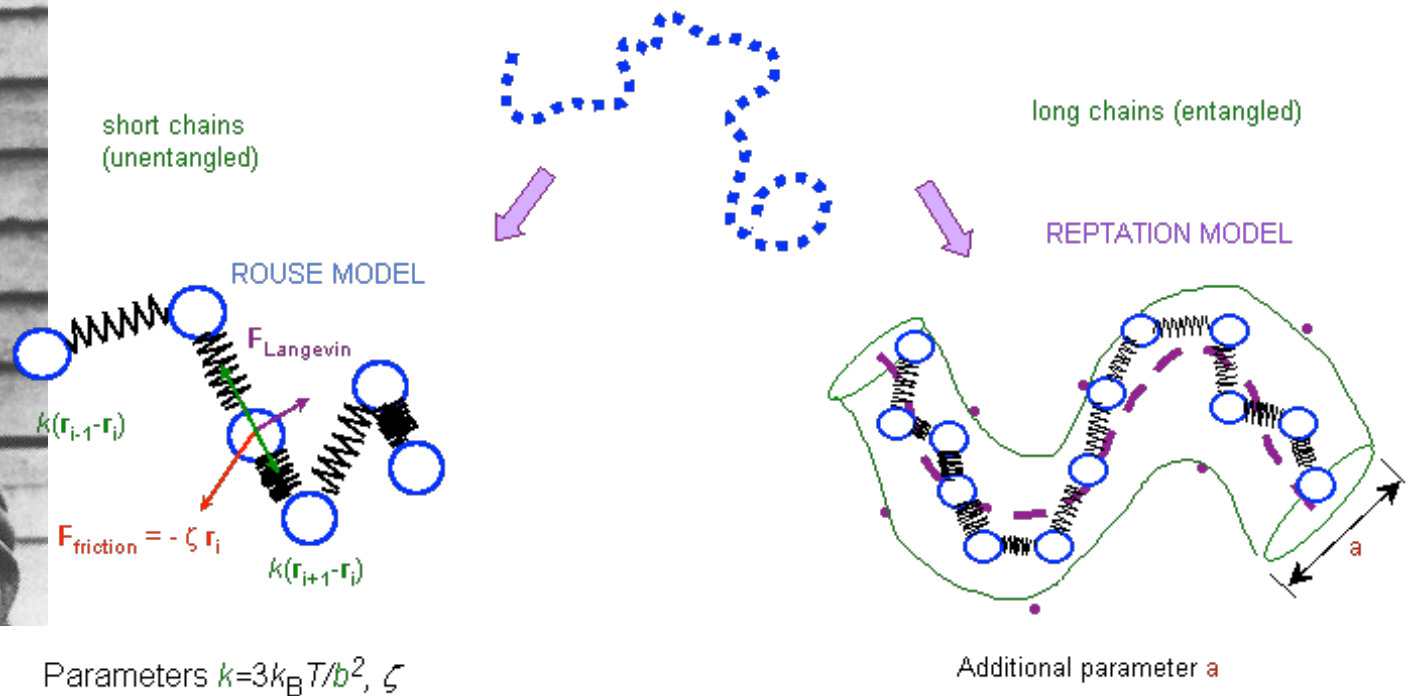
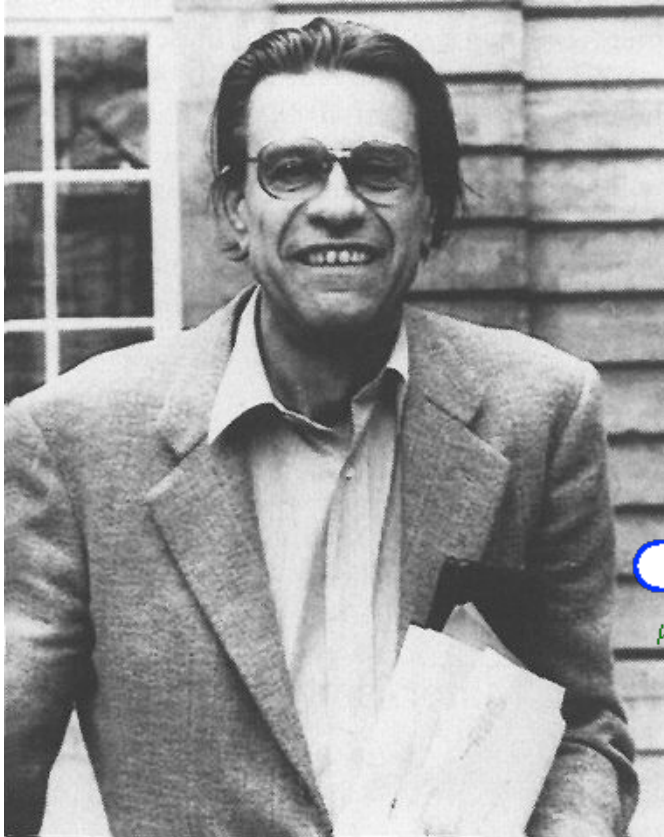


MDA-MB-436
cancer cell
time lapse movie



Pierre-Gilles de Gennes

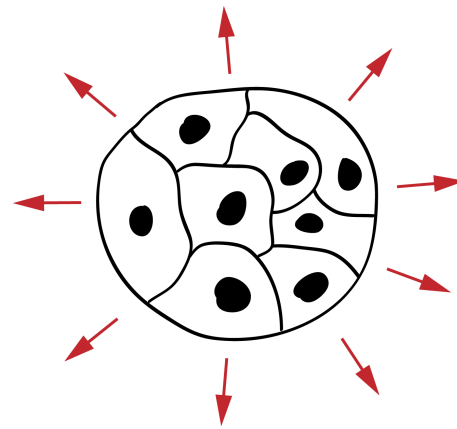
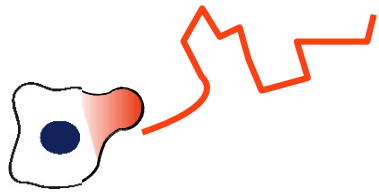
Soft Matter



The Nobel Prize in Physics 1991 was awarded to Pierre-Gilles de Gennes *"for discovering that methods developed for studying order phenomena in simple systems can be generalized to more complex forms of matter, in particular to liquid crystals and polymers"*.

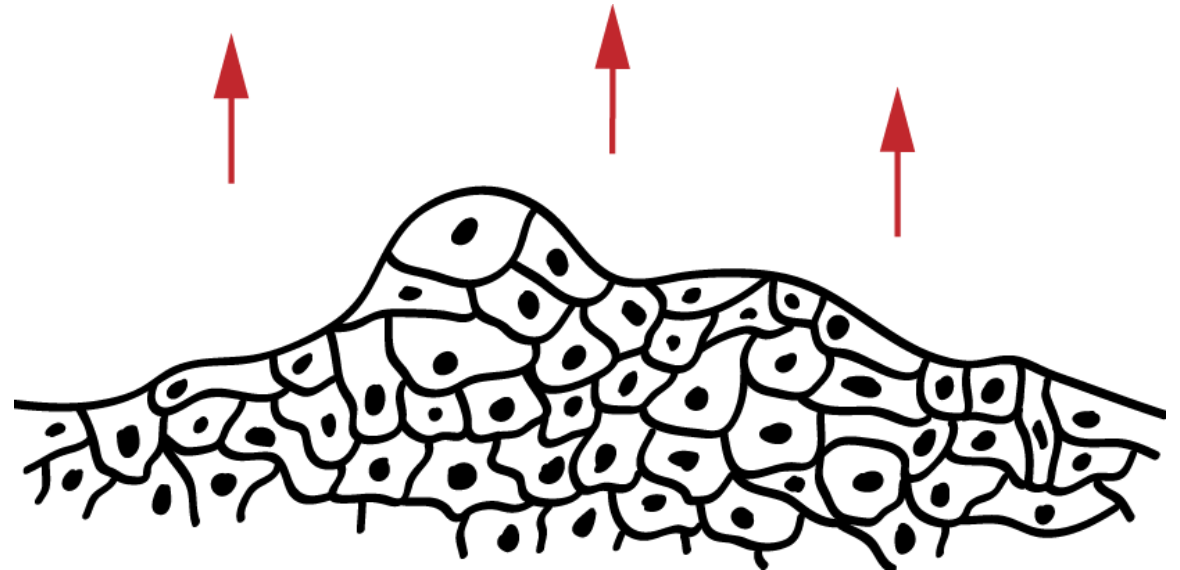
From Single Cell to Collective Cell Migration

single cell
Random walk



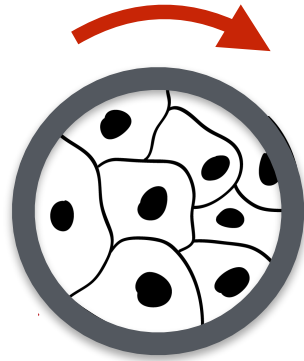
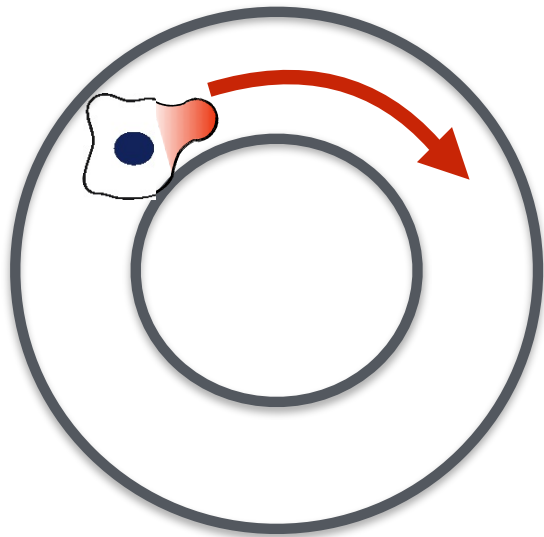
Cohort migration

Coordinated migration



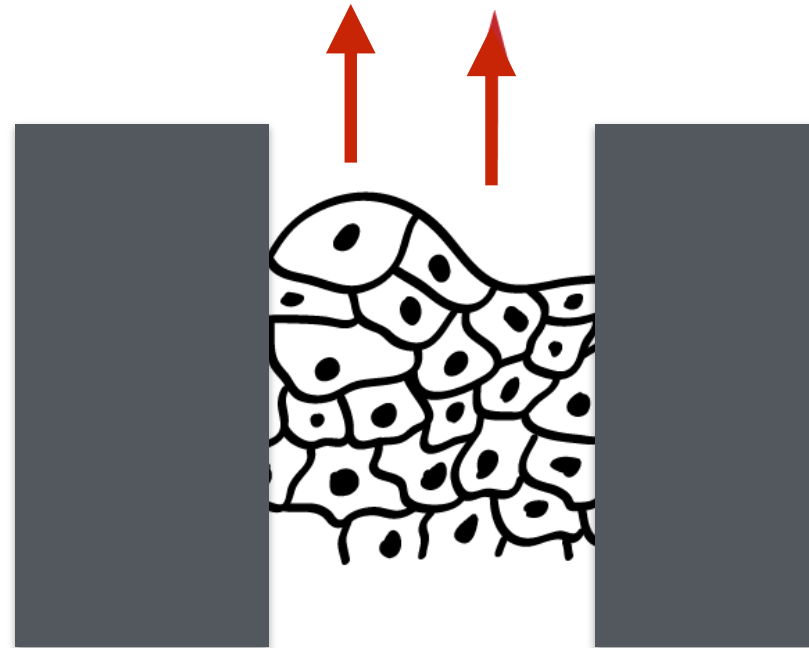
From Single Cell to Collective Cell Migration

single cell
Random walk

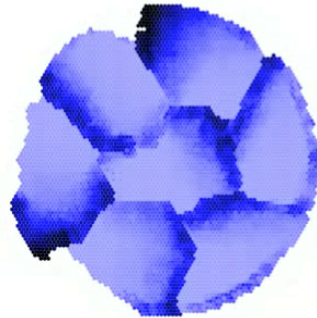
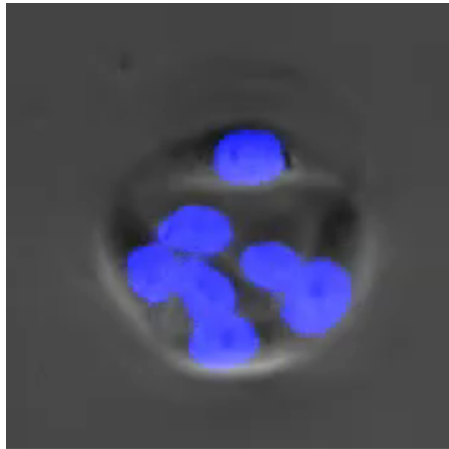


Cohort migration

Coordinated migration

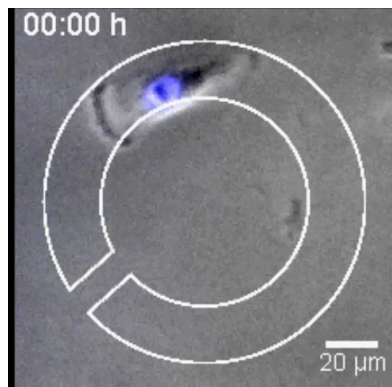


Migratory phenotypes on artificial micro-pattern

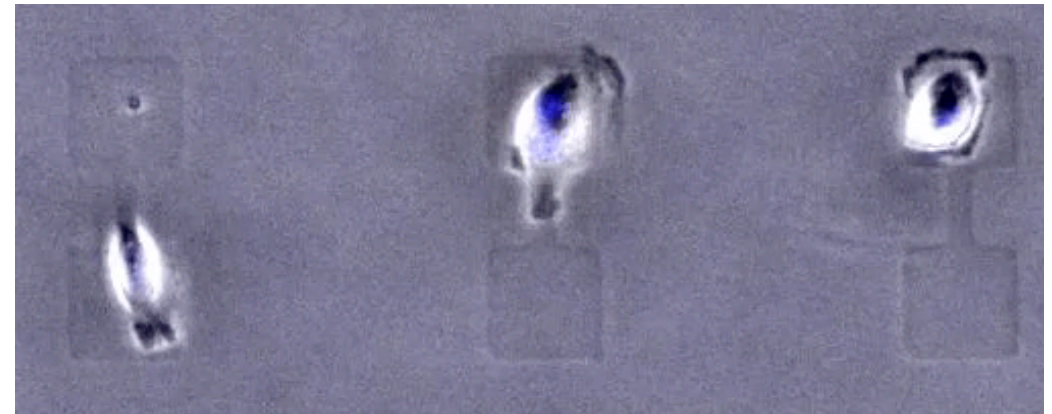


Felix Seegerer
Alicia Piera

collaborators:
Erwin Frey
Florian Thüroff
Andriy Goychuk



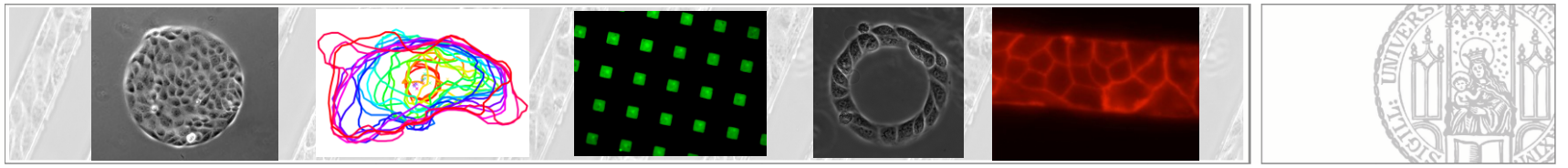
Christoph Schreiber
Sophia Schaffer
Fang Zhou



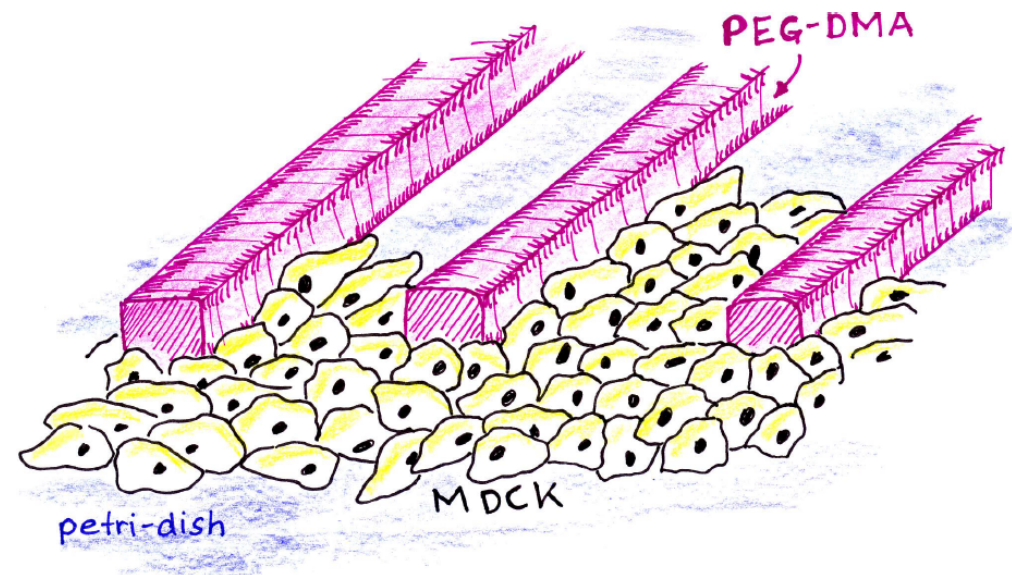
collaborators:
Ernst Wagner
Andreas Roidl
Stefan Zahler

Alexandra Fink
Peter Röttgermann
Christoph Schreiber

collaborators:
Chase Broedersz
David Brückner



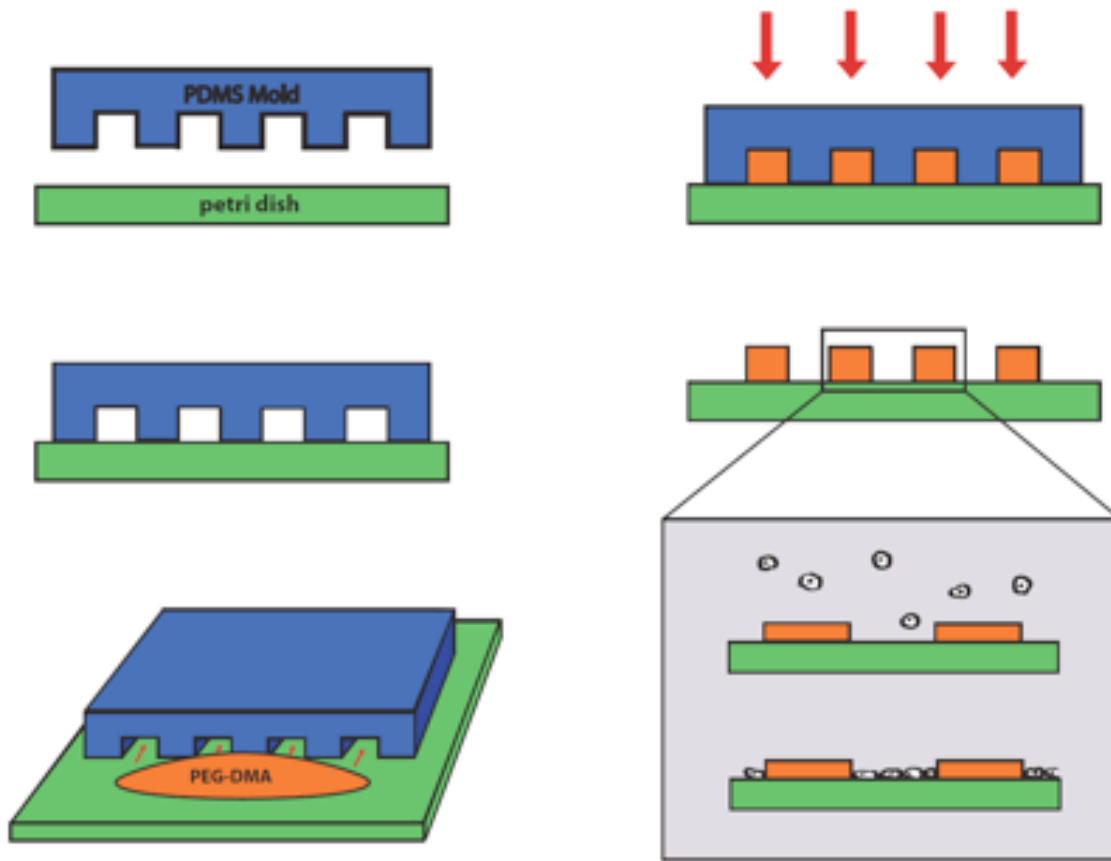
Flow and diffusion in channel-guided cell migration



Anna-Kristina Marel, Matthias Zorn, Christoph Klingner,
Roland Wedlich-Söldner, Erwin Frey, Joachim O. Rädler

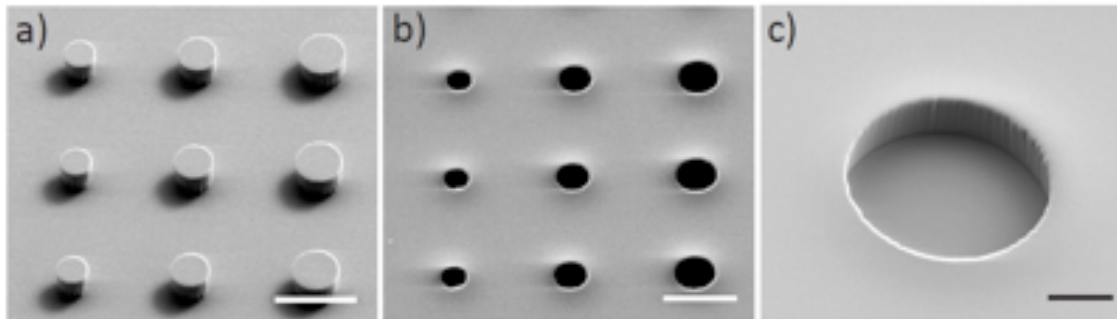
Biophysical Journal vol.107(5) 1054 (2014)

Microenvironments for cell migration



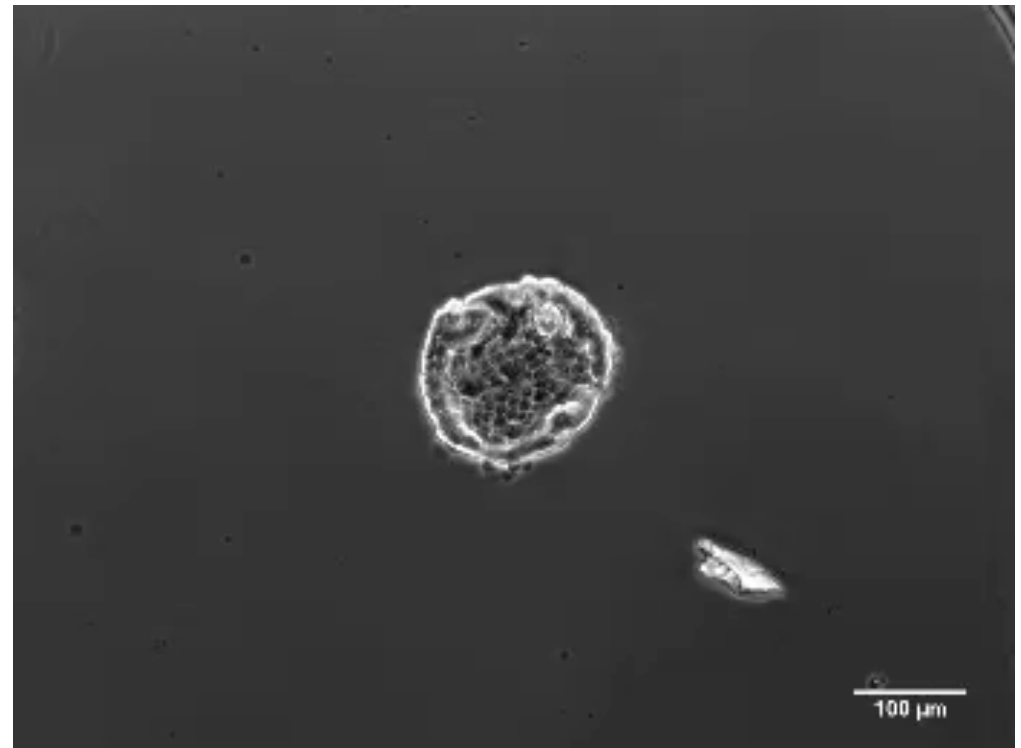
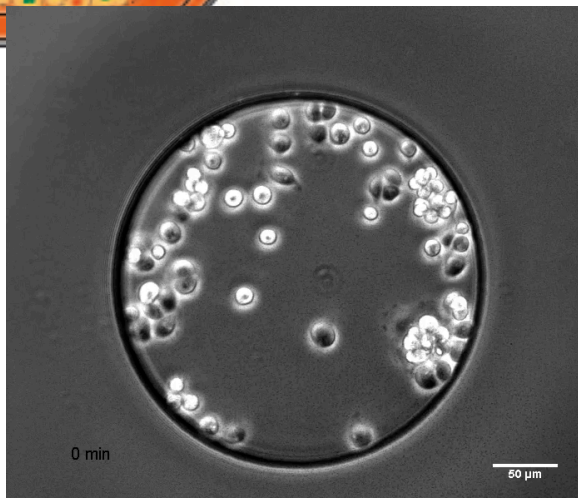
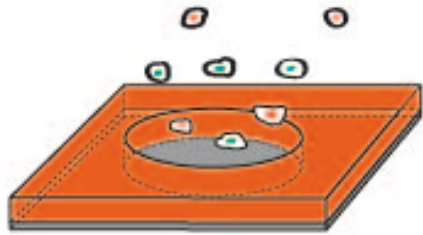
capillary-force lithography under polydimethylsiloxane (PDMS) stamps

poly(ethylene glycol) dimethacrylate (PEGDMA)



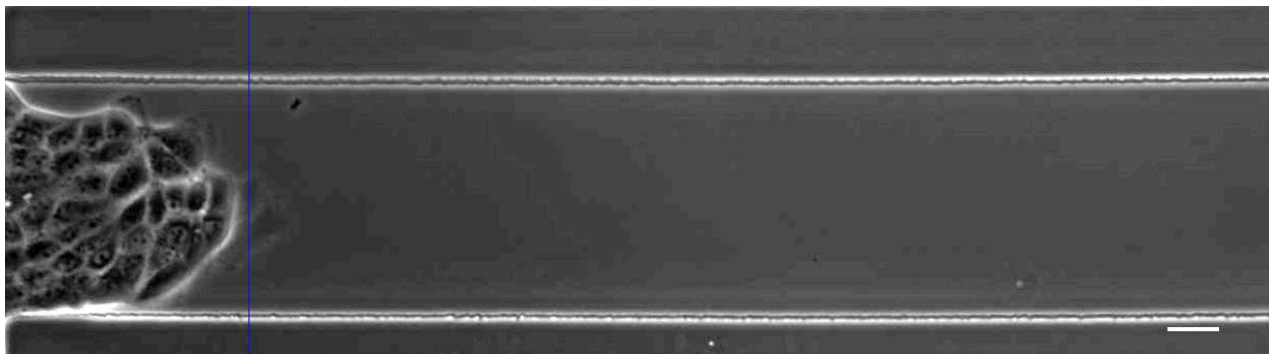
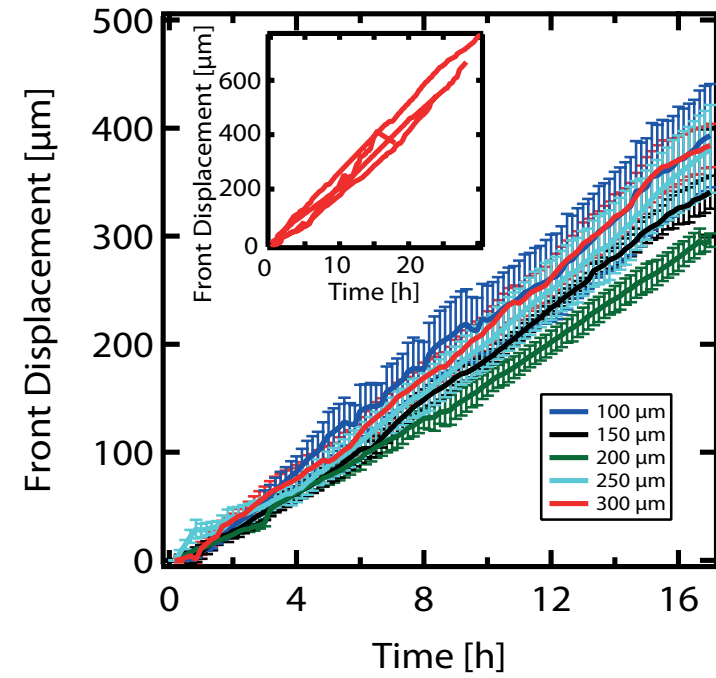
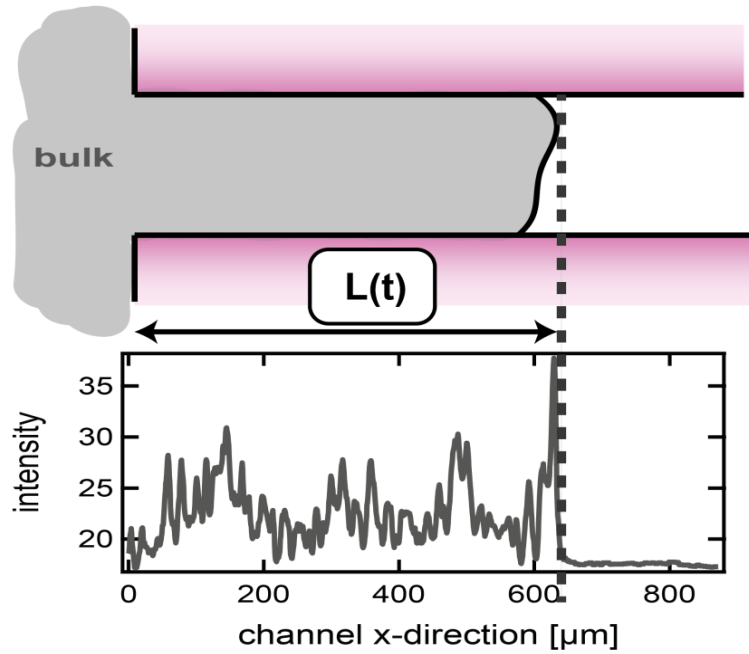
hydrogel microwell arrays

Cell Proliferation & Collective migration

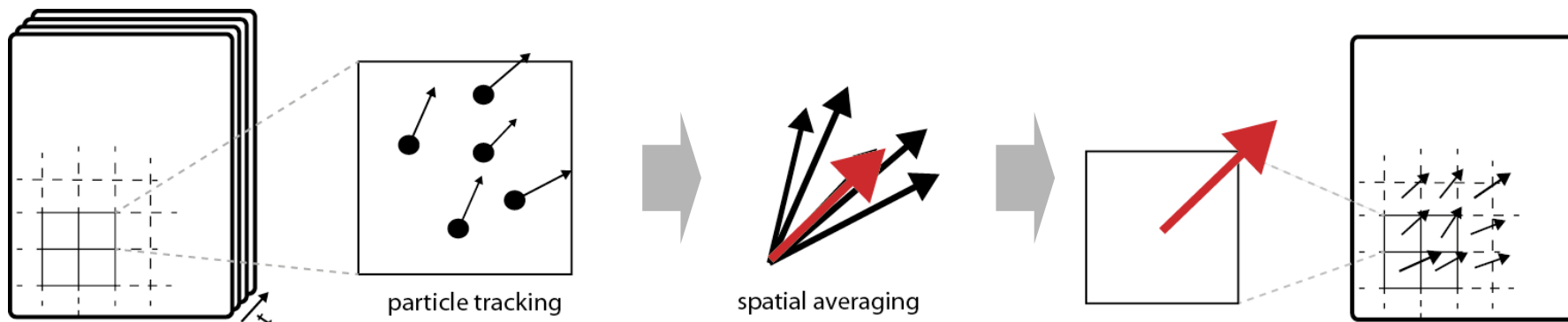


Madin-Darby canine kidney (MDCK) cells

The velocity of cell invasion



Particle image velocimetry yields flow field



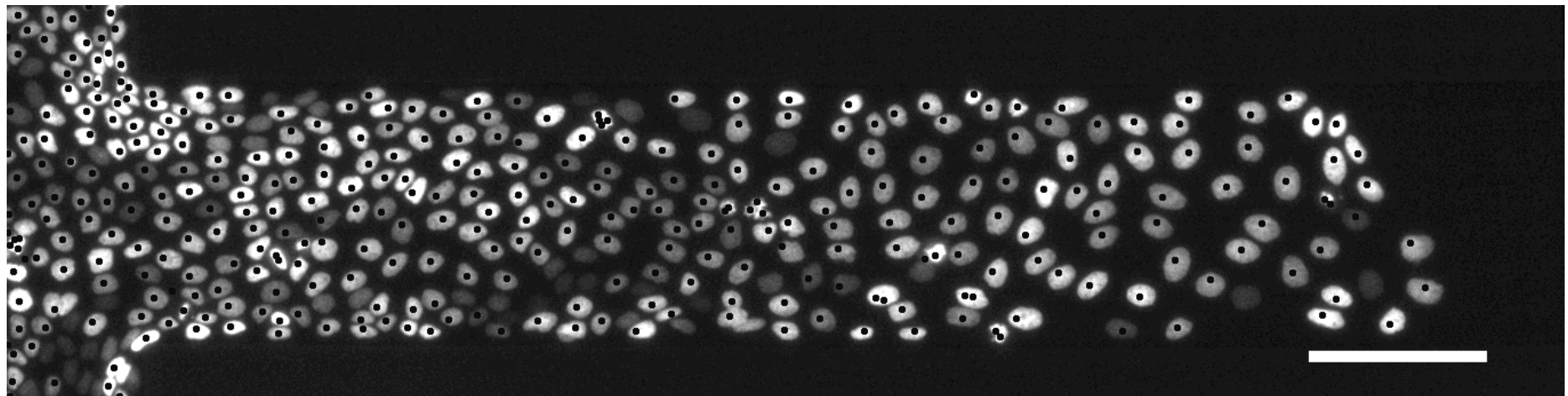
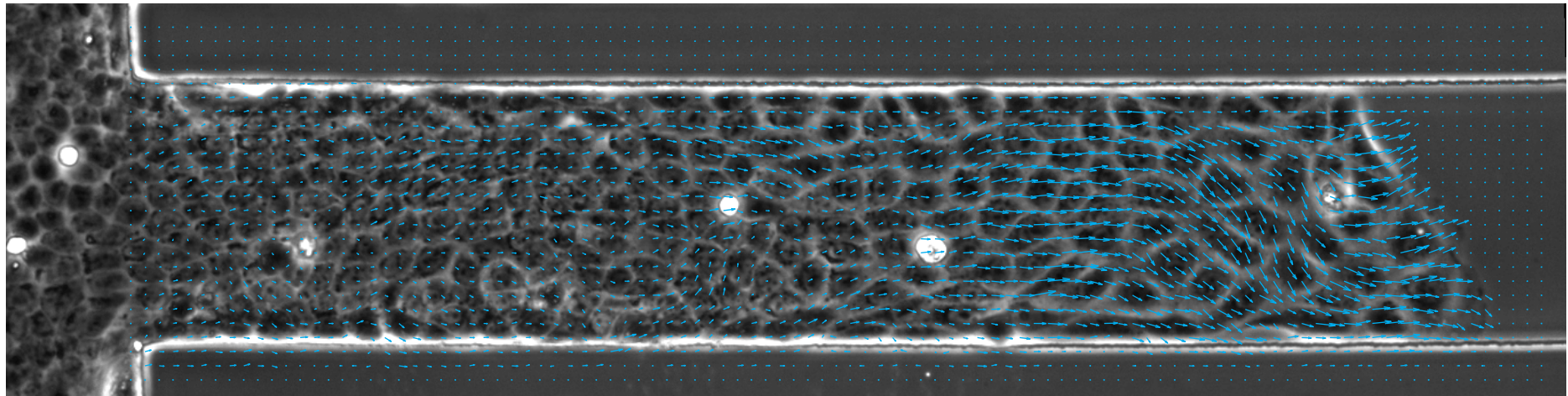
Fluorescent nuclei yield single cell trajectories

Alternating phase contrast / fluorescence time-lapse microscopy



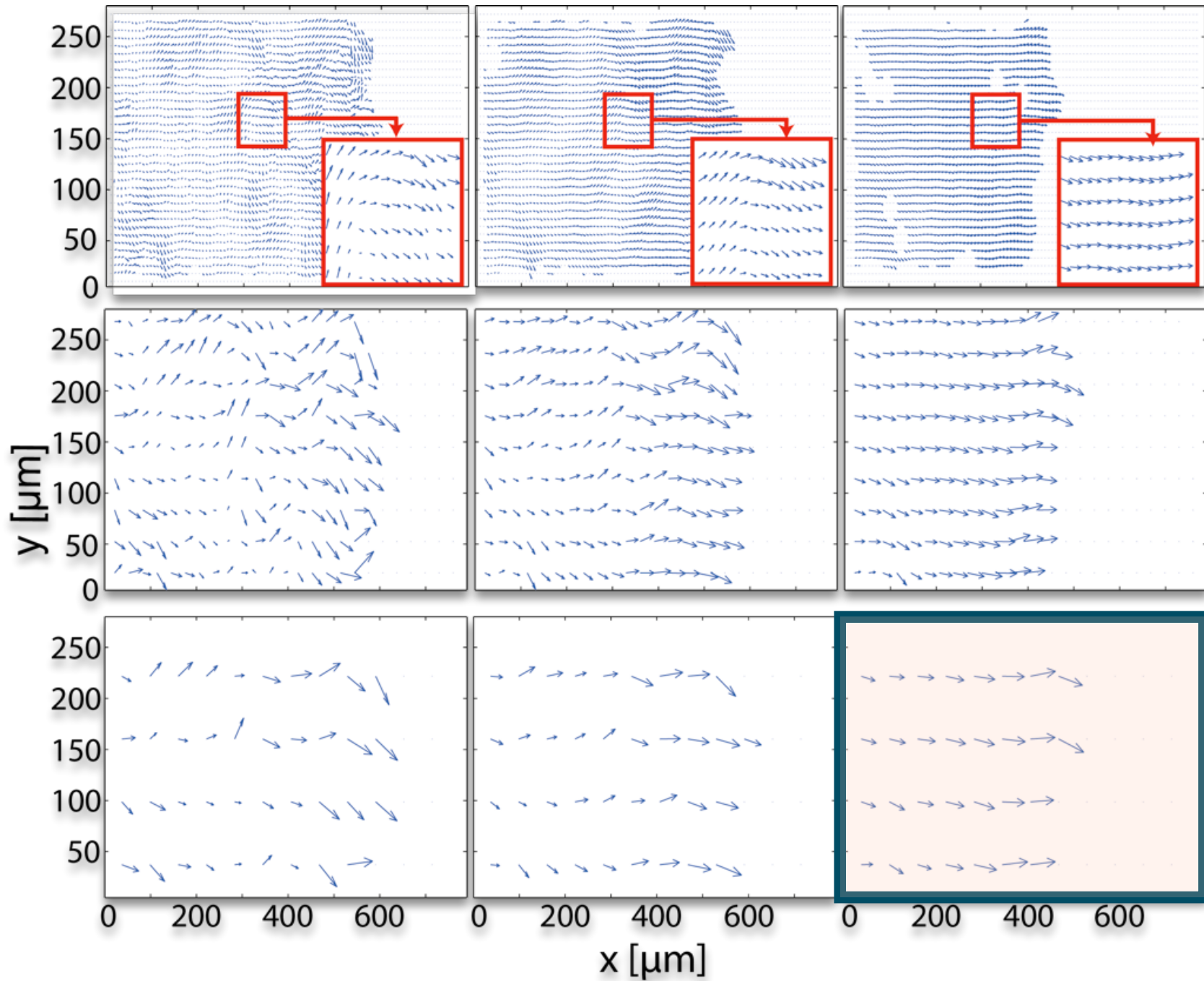
Reconstructing cell-flow in 2-dimensional channels

Alternating phase contrast / fluorescence time-lapse microscopy

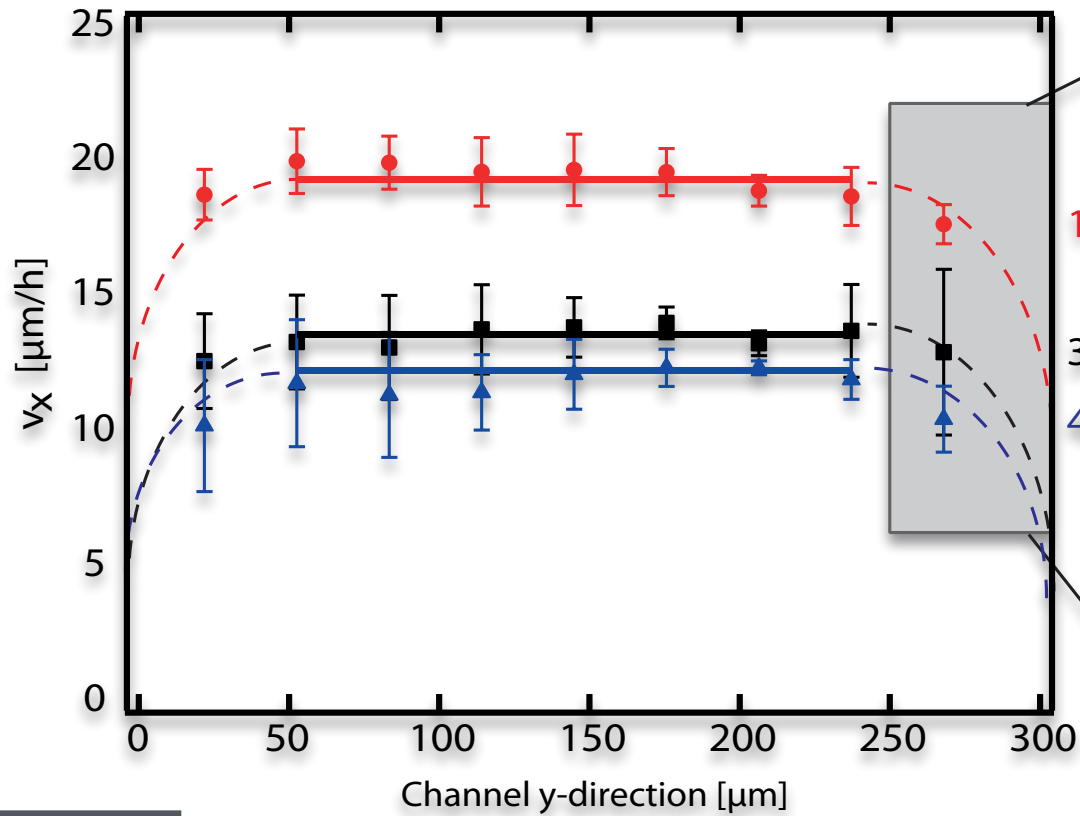


time averaging ->

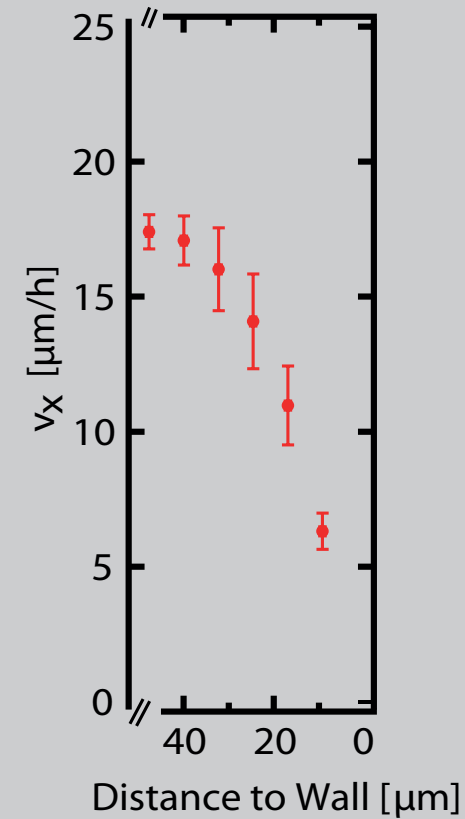
<- coarse graining



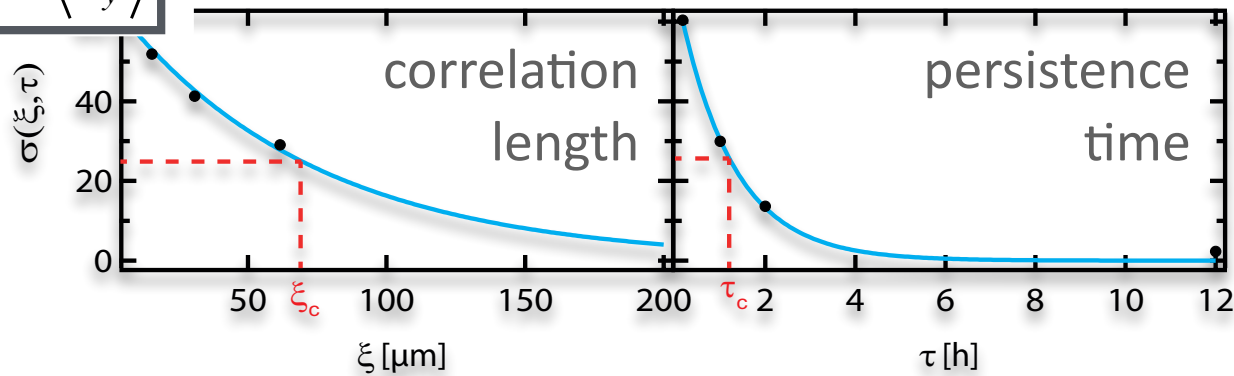
Cell flow field shows plug-flow like profile



Distance to Front [μm]



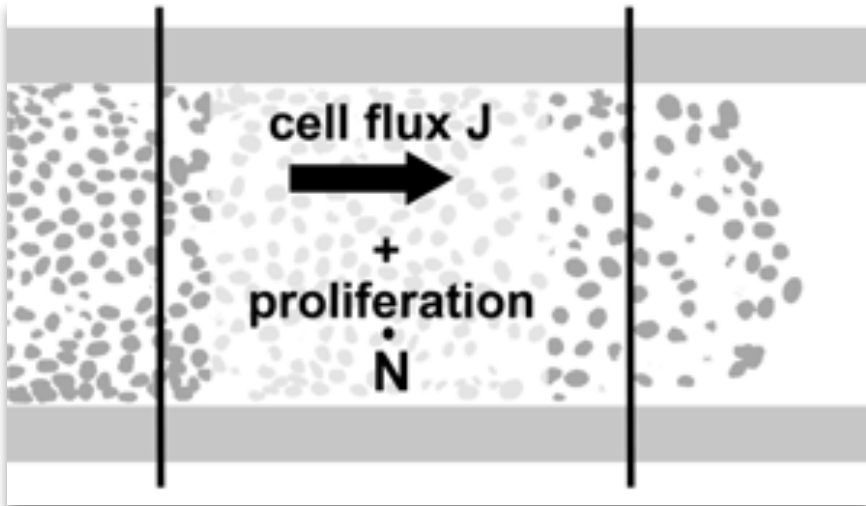
$$\sigma = \langle v_y^2 \rangle$$



$$\xi \approx 70 \mu\text{m}$$

$$\tau \approx 1,2 \text{ h}$$

Mathematical model of cell density profile

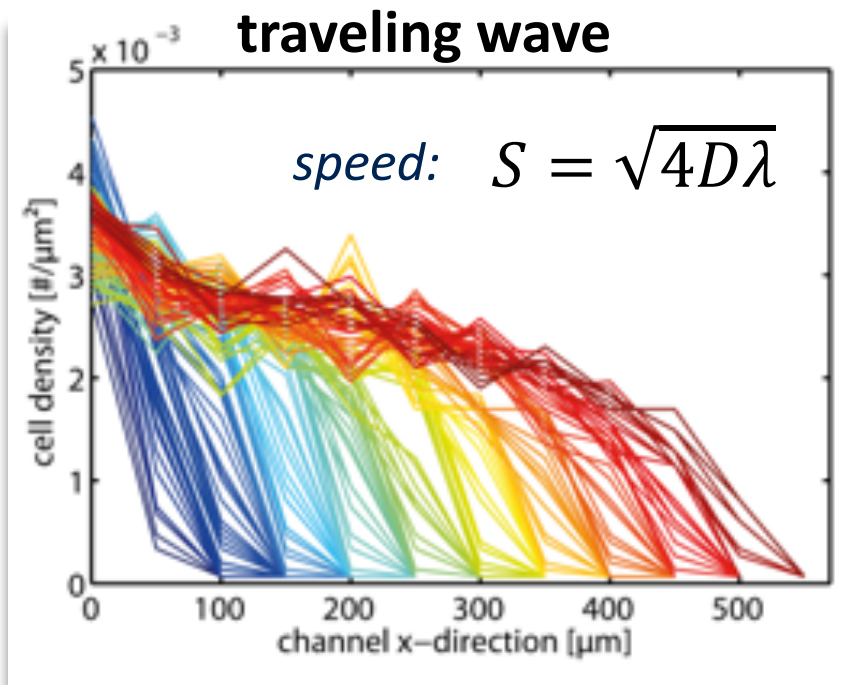


$$J = -D_c \frac{dc}{dx} \quad \text{„Ficks Law“}$$

cell flux proportional to cell density gradient
 D_c : generalized transport coefficient

$$\dot{N} = N_0 e^{\lambda t} \quad \text{„cell proliferation“}$$

cells number grows exponentially



$$\frac{\partial c}{\partial t} = D \nabla^2 c + \lambda c \left(1 - \frac{c}{K} \right)$$

Fisher-Kolmogorov Eq.

includes logistic growth with capacity K

Proliferation & Diffusion: Emergence of traveling waves

Stationary shape

$$\frac{\partial c}{\partial t} = D \nabla^2 c + \lambda c \left(1 - \frac{c}{K} \right)$$

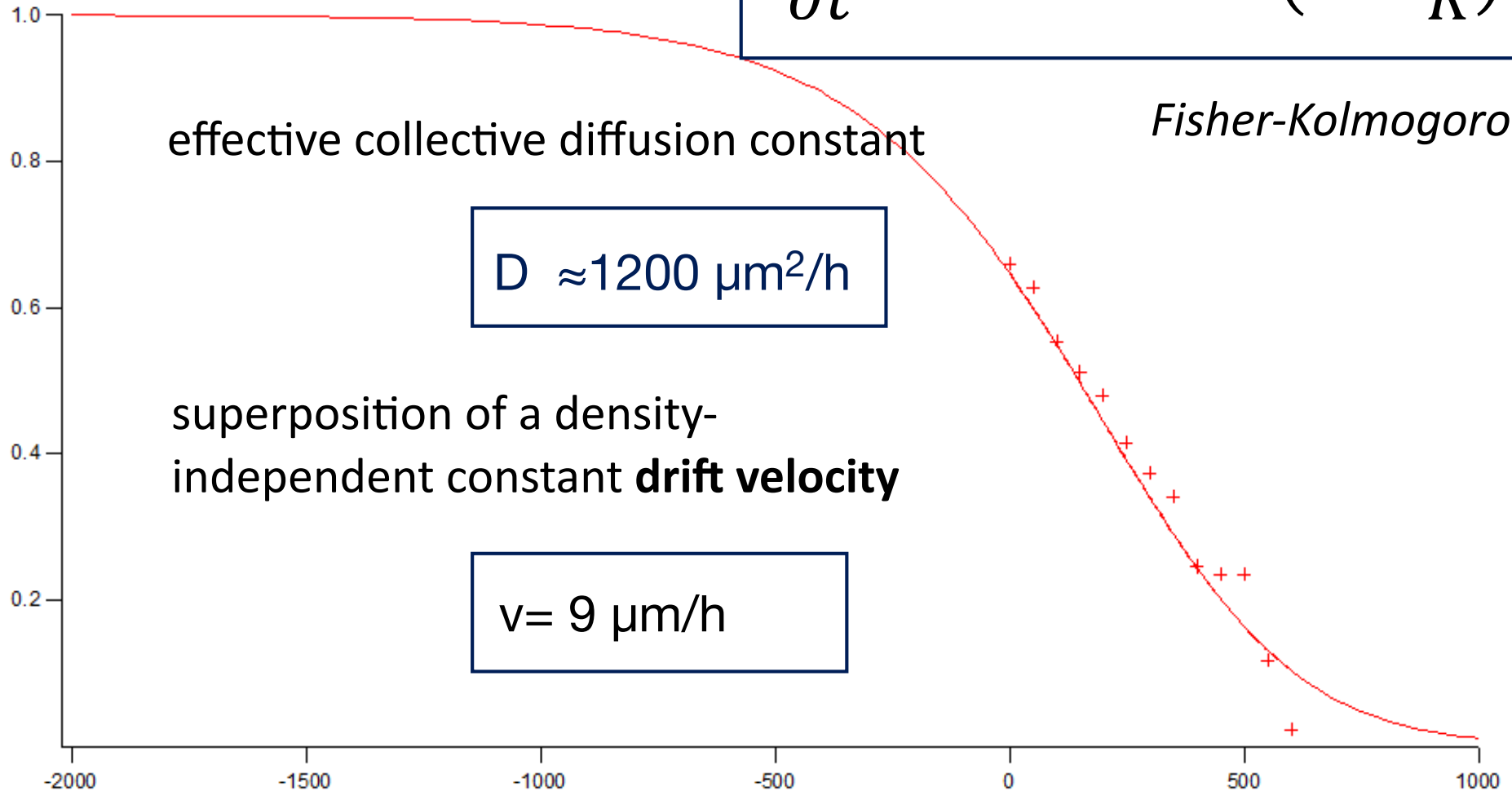
effective collective diffusion constant

$$D \approx 1200 \mu\text{m}^2/\text{h}$$

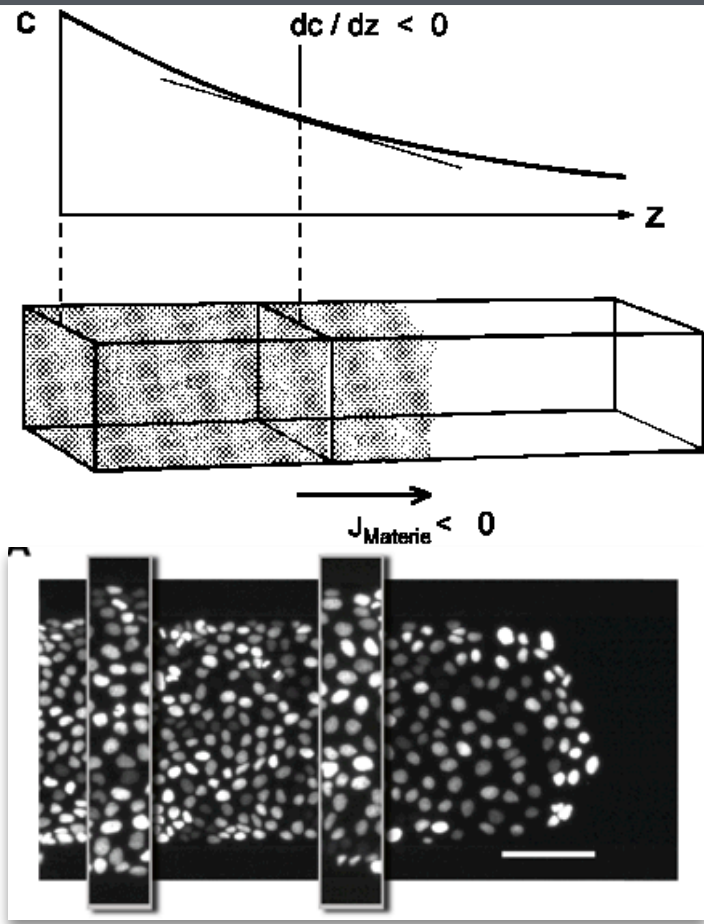
superposition of a density-independent constant **drift velocity**

$$v = 9 \mu\text{m}/\text{h}$$

Fisher-Kolmogorov



Collective vs. Self Diffusion



$$J = -D_c \frac{dc}{dz} + J_0$$

cell flow proportional to cell density gradient

$$D_C \approx \xi^2 / 4\tau$$

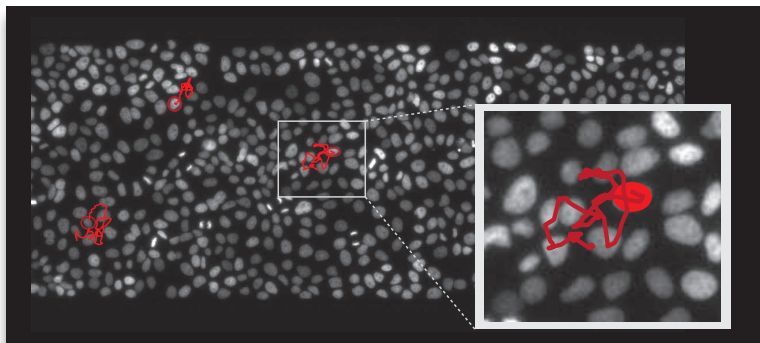
$$D_C \approx 1200 \mu\text{m}^2/\text{h}$$

Collective diffusion is determined by the correlation length ξ and time τ

$$\langle x^2 \rangle = 4Dt$$

the mean squared displacement (MSD) grows linear with time

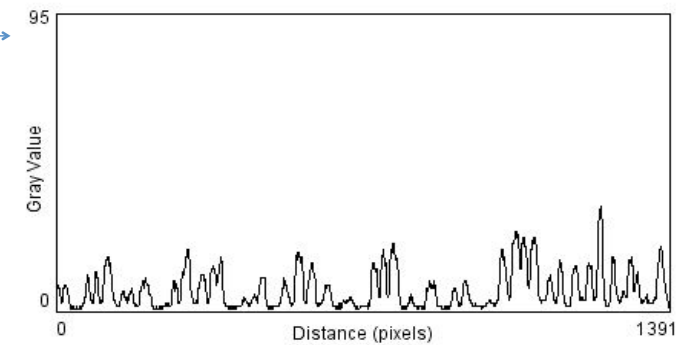
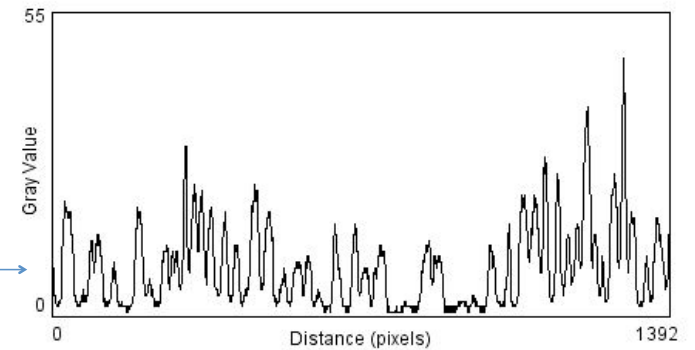
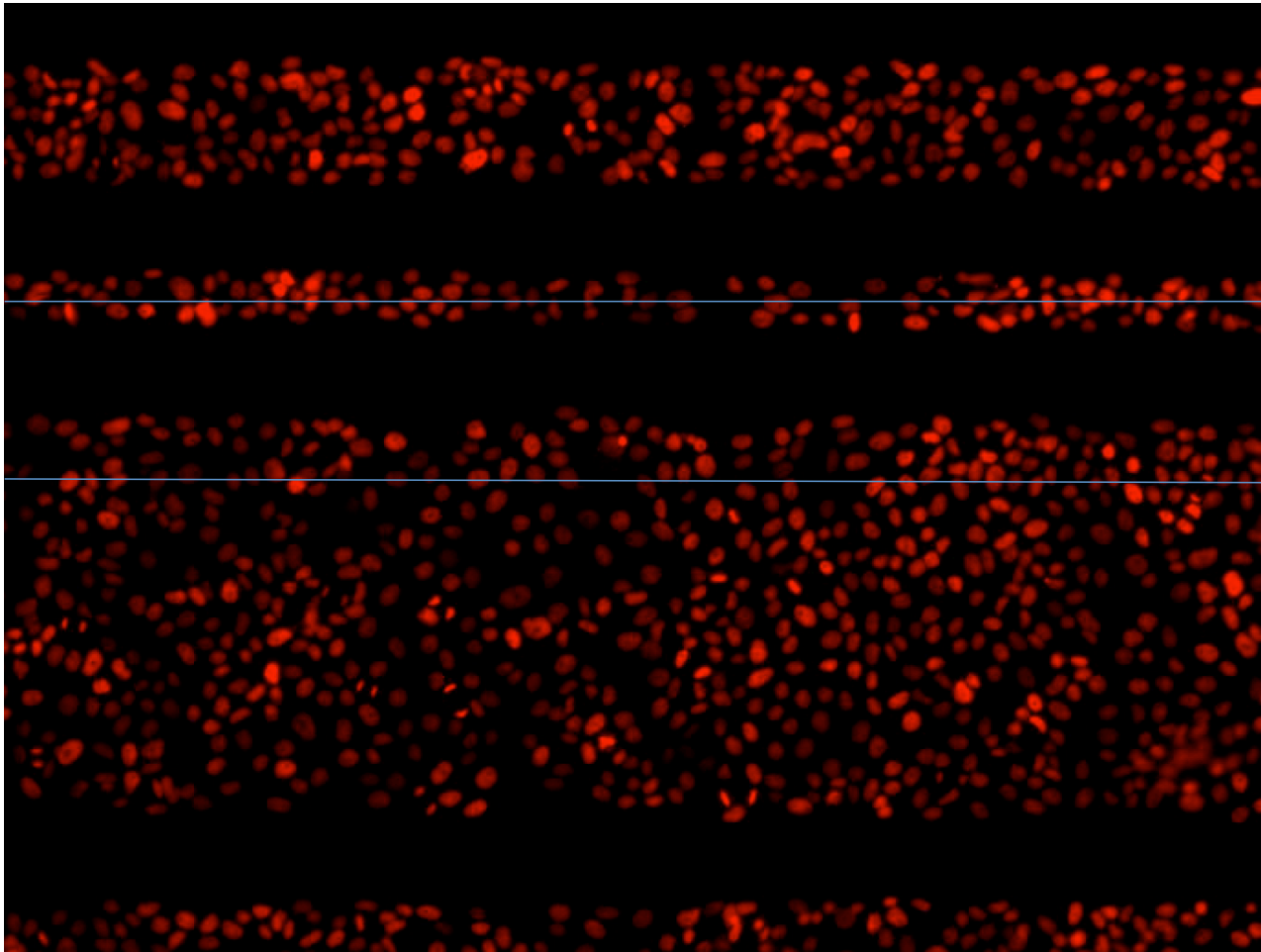
$$D_S \approx 20 \mu\text{m}^2/\text{h}$$



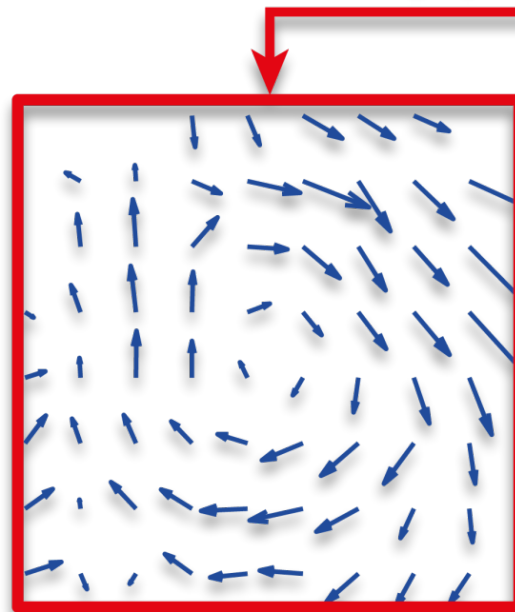
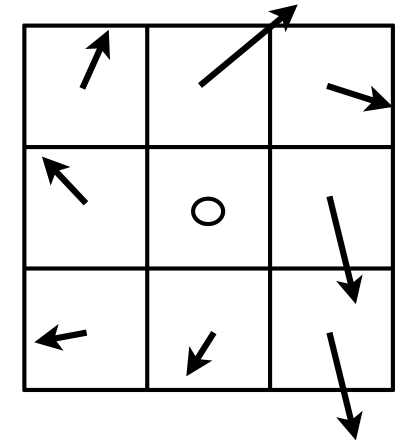
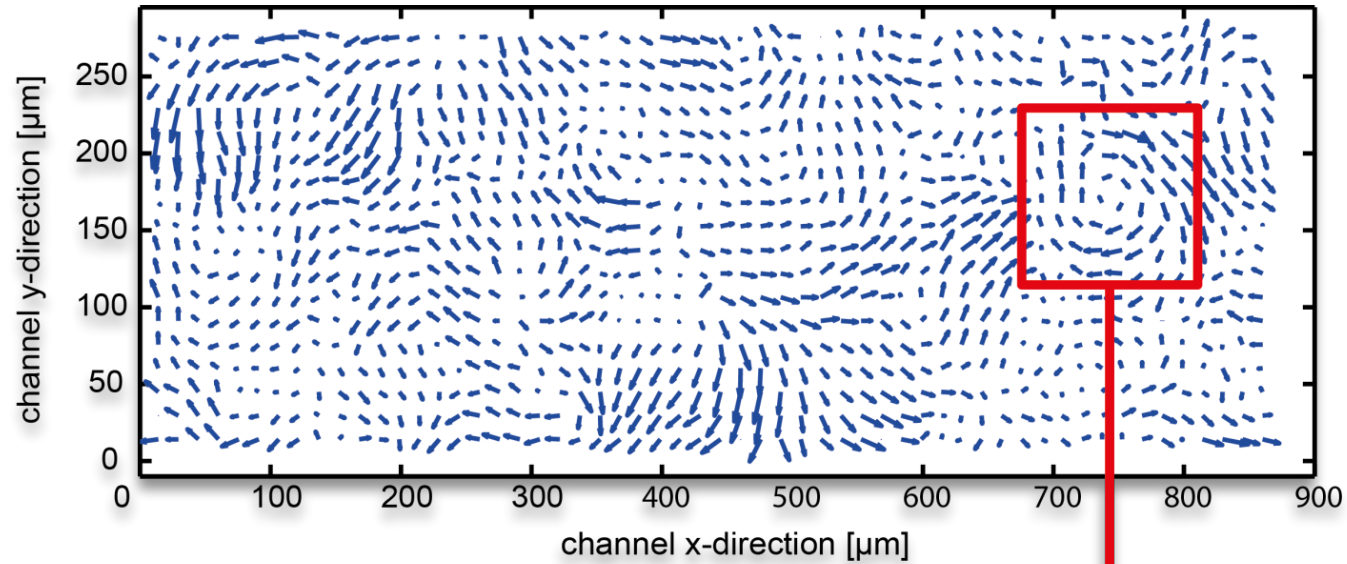
Collective migration stochastic: „collective bursts“

stochastic collective displacements
equilibrate cell density

$$D_C \approx \xi^2 / 4\tau$$

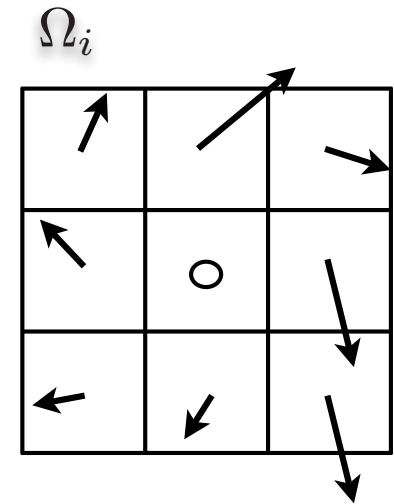
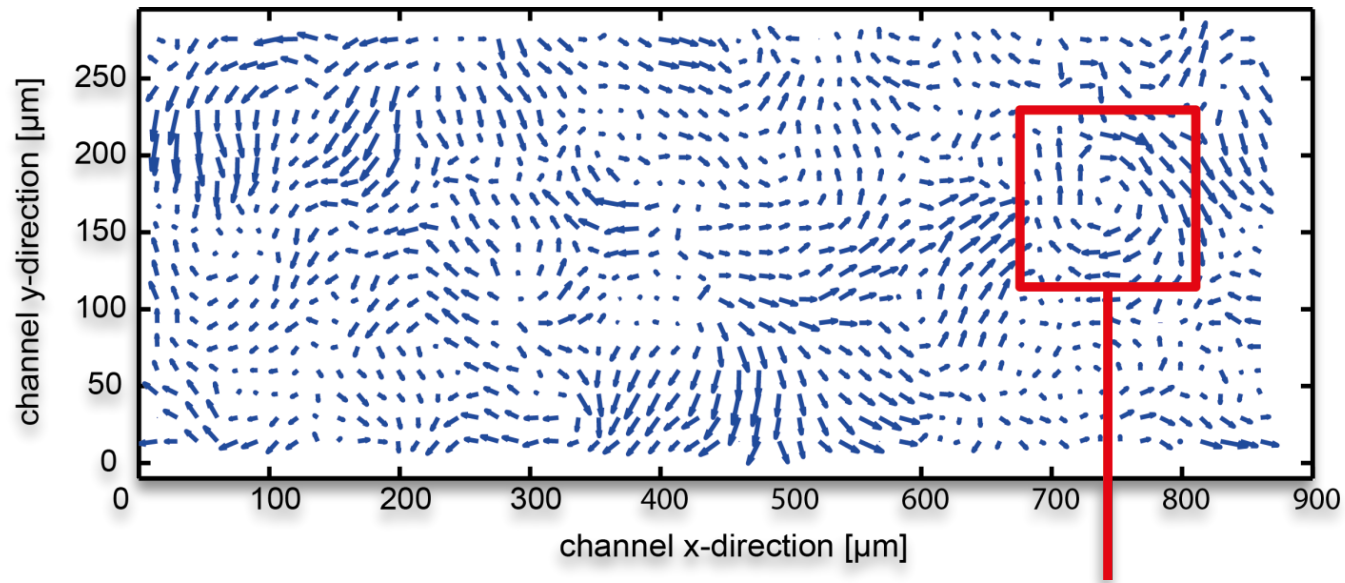


Swirls in collective flow

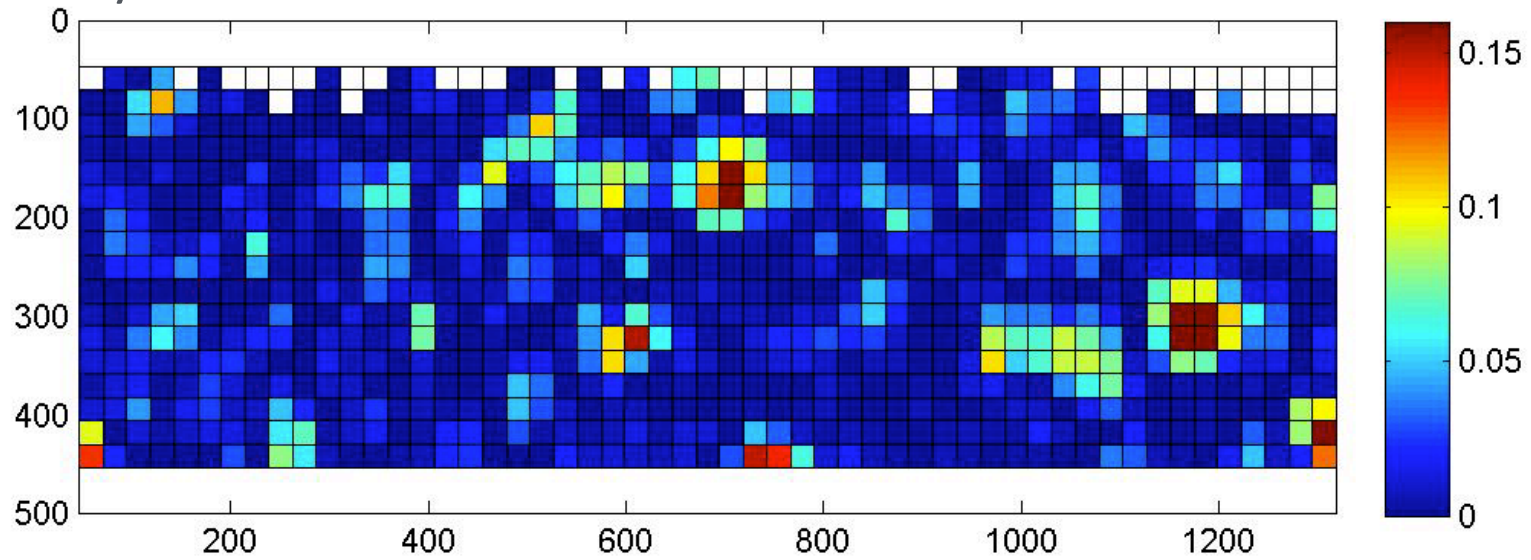


$$\Omega_i = \mathbf{e}_z \cdot (\mathbf{curl} \mathbf{v})_i = \frac{1}{nn_i} \sum_{j=1}^{nn_i} c_{i,j}.$$

Swirls in collective flow

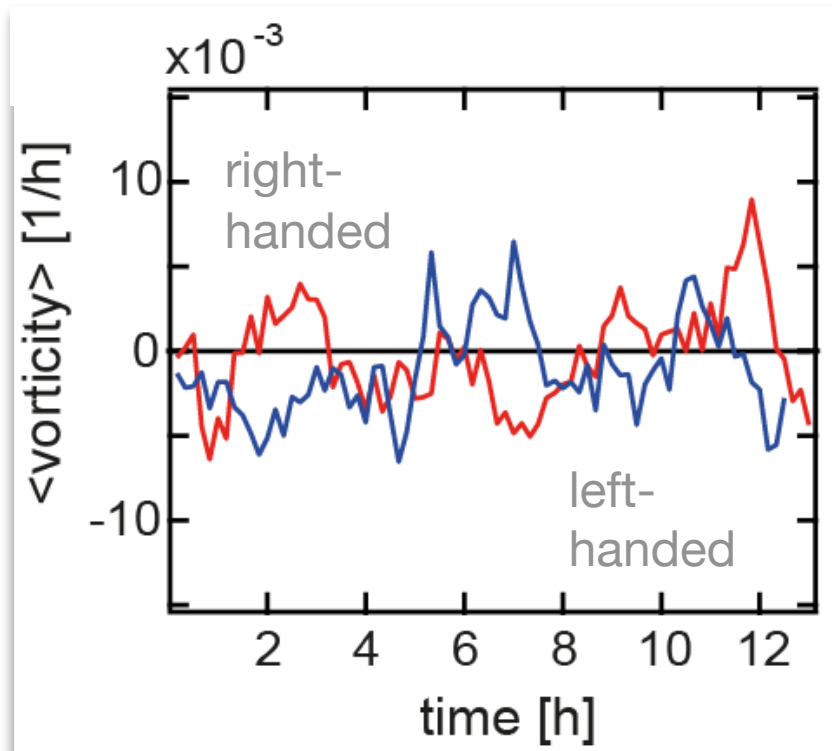


confluent layer of MDCK cells



Strength and Life Time of Vortices

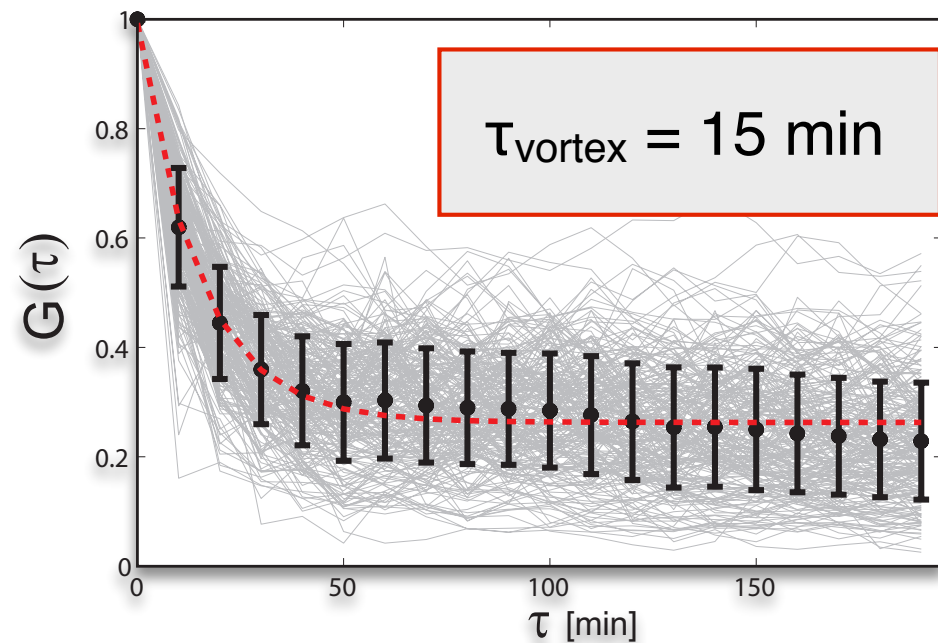
time course of vorticity Ω_i



no chirality in
spontaneous vortices

time correlation of vorticity strength $\langle \Omega^2 \rangle$

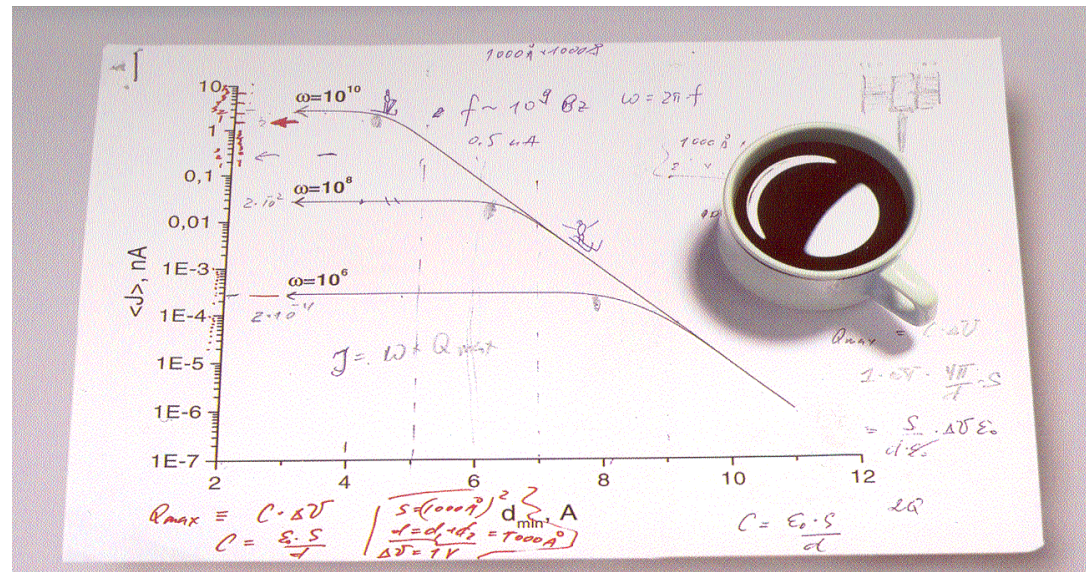
$$G(\tau) = \frac{\langle \Omega^2(t) \rangle \cdot \langle \Omega^2(t + \tau) \rangle}{\Omega(t)^4}$$



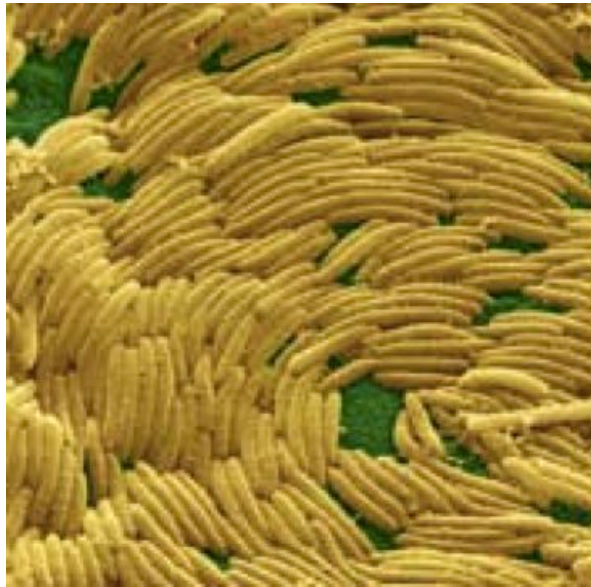
vortices are short-lived !

Modelling Collective Motion - Active Matter

- particle based models (Viszek type)
 - dissipative particle dynamics (DPD)
- cellular Potts models (CPM)
- phase field models (PFM)

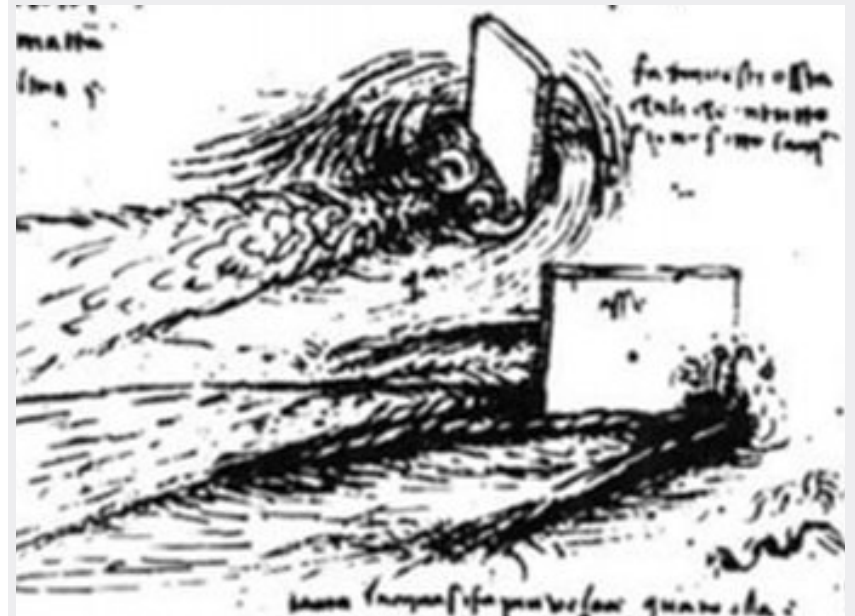


Active Matter: an ensemble of self-propelled units

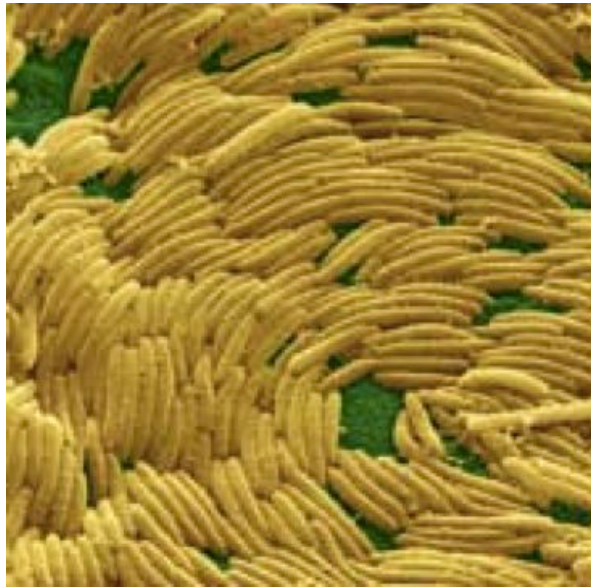


Observe the fish in the water
and you will understand
the birds in the air

Leonardo da Vinci



Active Matter: an ensemble of self-propelled units



collective behavior:
things move together

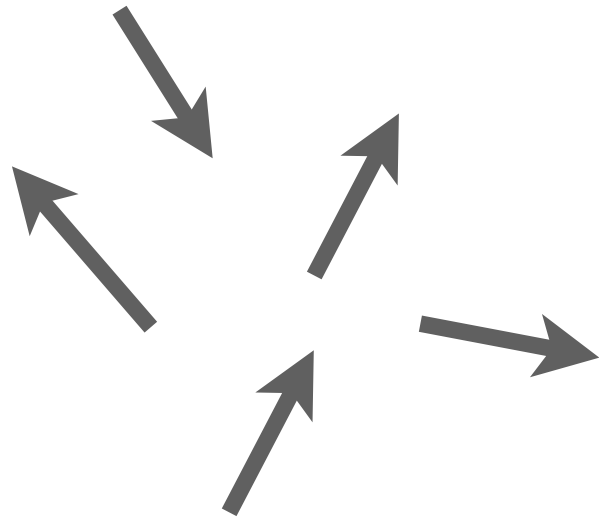
emergent phenomena:
e.g. pattern formation
order-disorder transitions

Active Matter:

non-equilibrium system
non-linear dynamics
„active noise“ = eff. temp.

T. Vicsek & Anna Zafeiris
cond-mat-stat-mech arXiv 2012

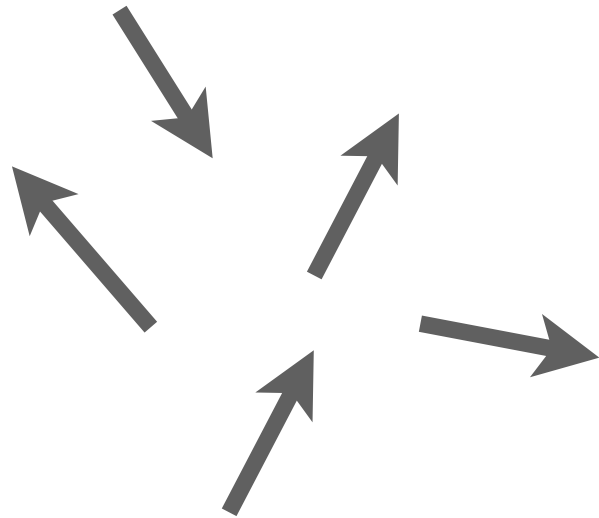
Collective Behavior in Active Soft Matter



(SPP Model)

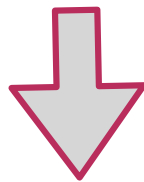
$$\mathbf{x}_i(t + 1) = \mathbf{x}_i(t) + \mathbf{v}_i(t)\Delta t .$$

The Vicsek Model of Self-Propelled Particles



$$\mathbf{x}_i(t + 1) = \mathbf{x}_i(t) + \mathbf{v}_i(t)\Delta t .$$

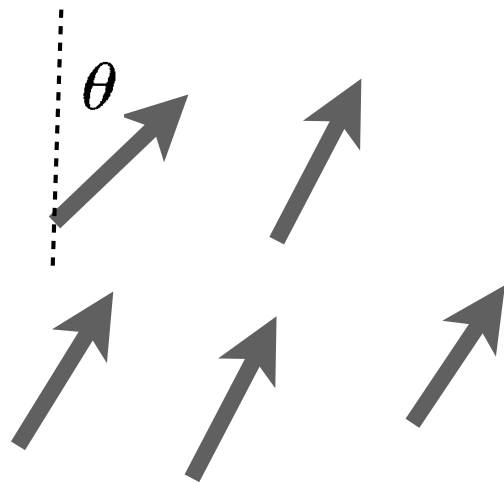
average direction of motion
within radius r



**disorder - order
transition**

random
perturbation

$$\theta(t + 1) = \langle \theta(t) \rangle_r + \Delta \theta ,$$



The Vicsek Model of Self-Propelled Particles

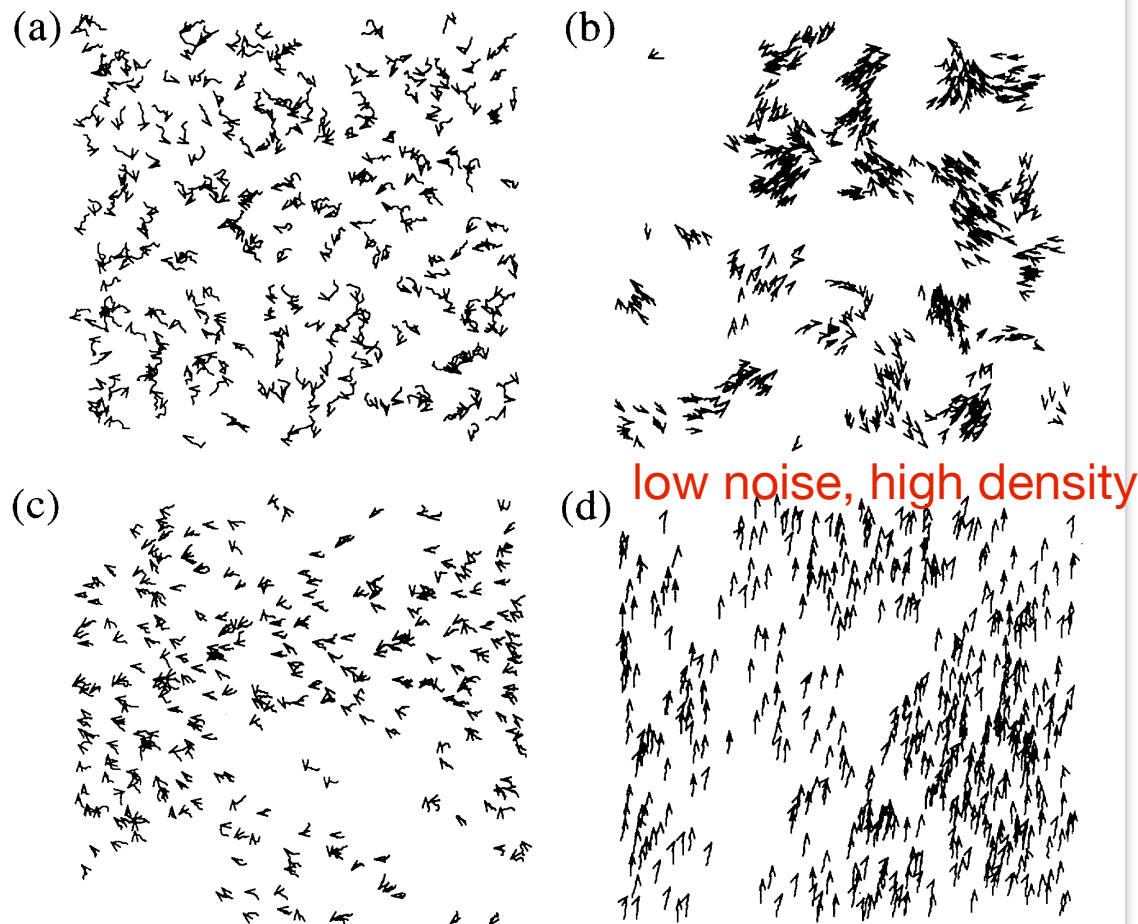
VOLUME 75, NUMBER 6

PHYSICAL REVIEW LETTERS

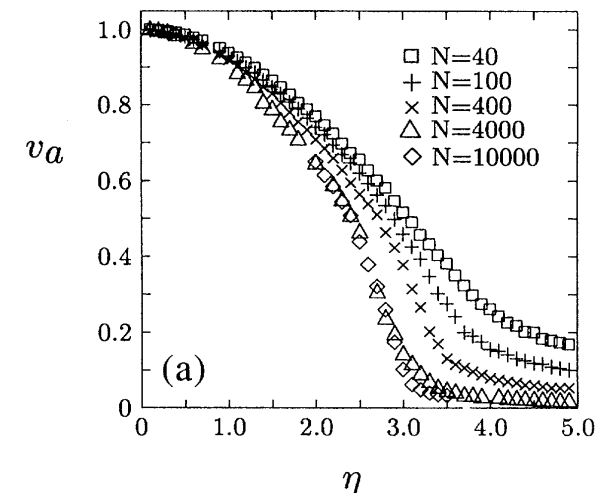
7 AUGUST 1995

Novel Type of Phase Transition in a System of Self-Driven Particles

Tamás Vicsek,^{1,2} András Czirók,¹ Eshel Ben-Jacob,³ Inon Cohen,³ and Ofer Shochet³

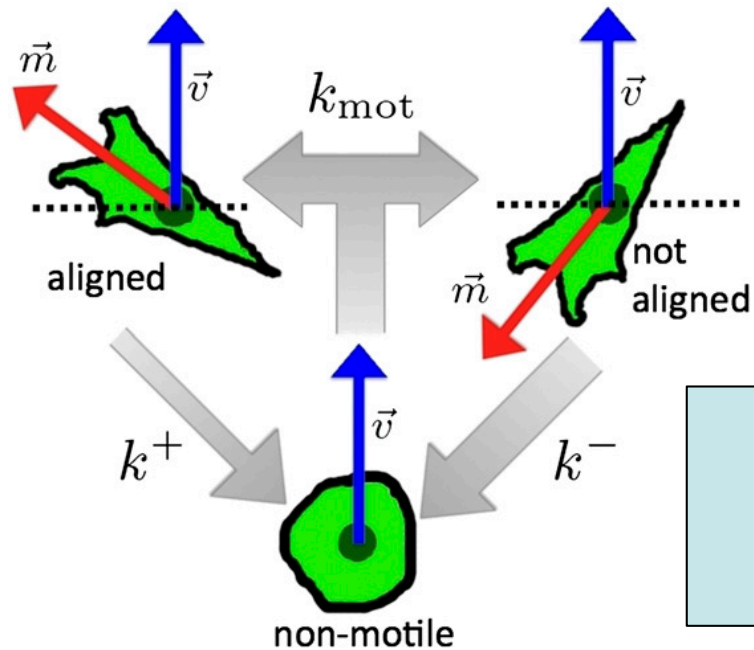


kinetic second order phase transition into long-ranged order with spontaneously selected direction



Alignment of cellular motility forces with tissue flow as a mechanism for efficient wound healing

Markus Basan^a, Jens Elgeti^b, Edouard Hannezo^c, Wouter-Jan Rappel^a, and Herbert Levine^{d,1}



Dissipative particle dynamics (DPD)

- locally conserves momentum
- models friction and fluctuations

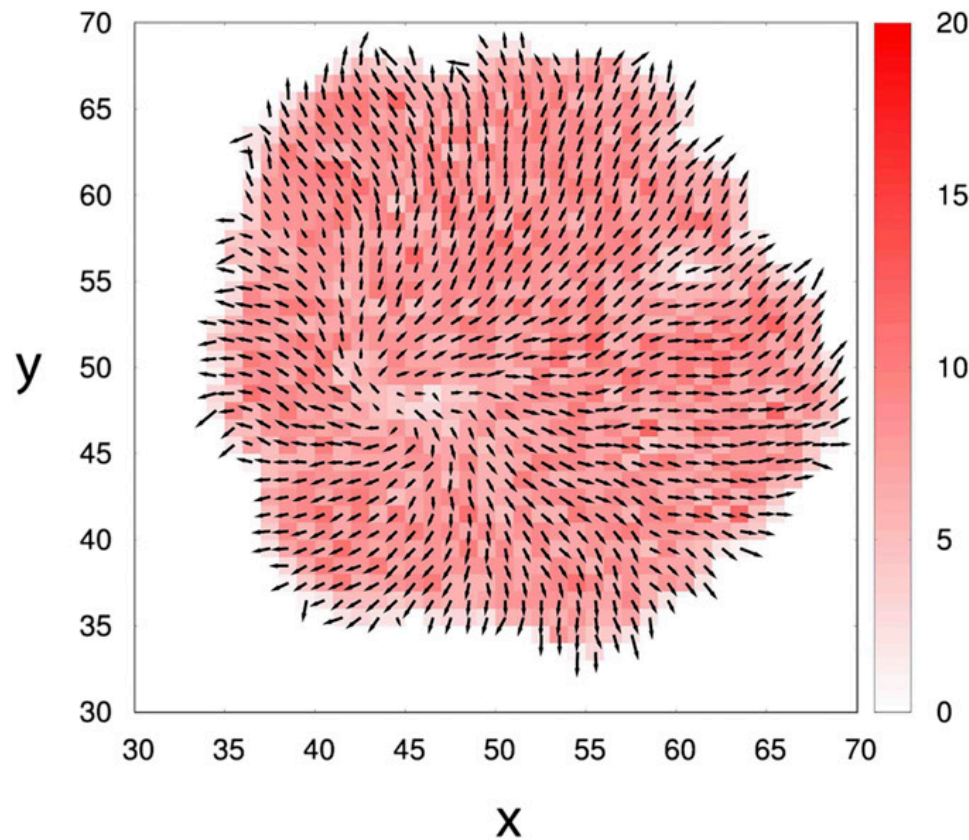
$$\frac{dp}{dt} = \vec{m} + \vec{F}_{\text{exp}} + \vec{F}_{\text{int}} + \vec{F}_{\text{B}} + \sum_{r \leq R_{\text{CC}}} (\vec{F}_{\text{rep/ad}} + \vec{F}_{\text{df}} + \vec{\eta})$$

m: motility force

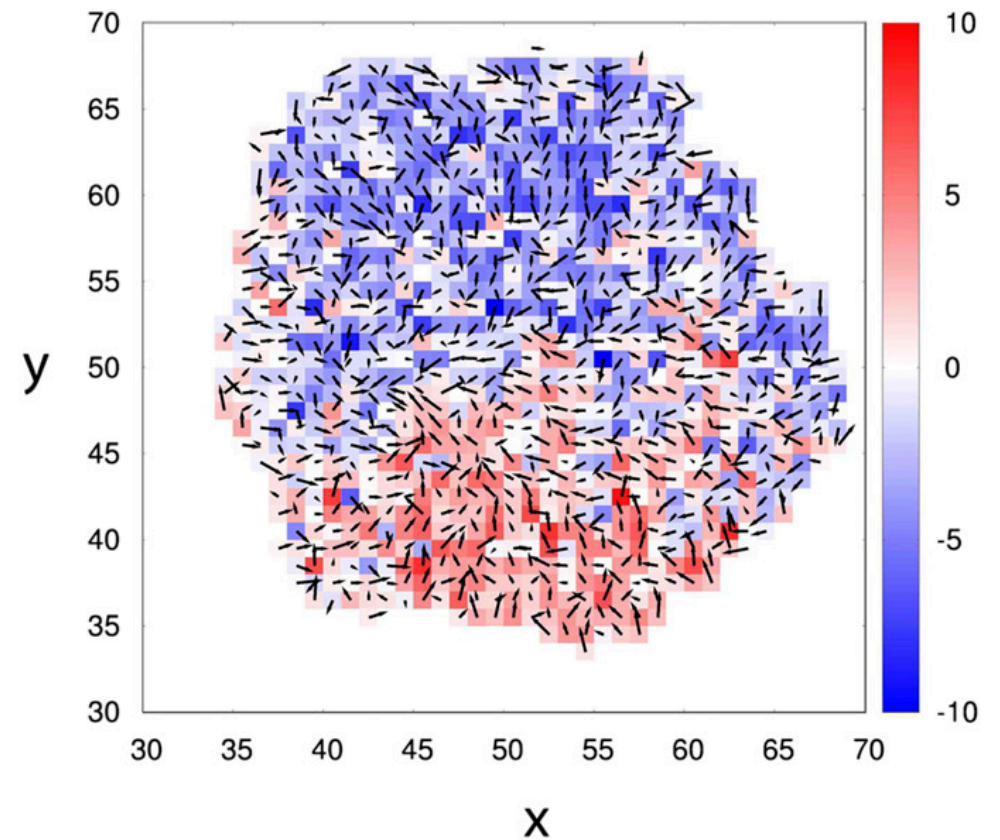
.. we propose that the motility forces of cells in the tissue tend to align with the flow ...

DPD reproduces tension in expanding cell sheets

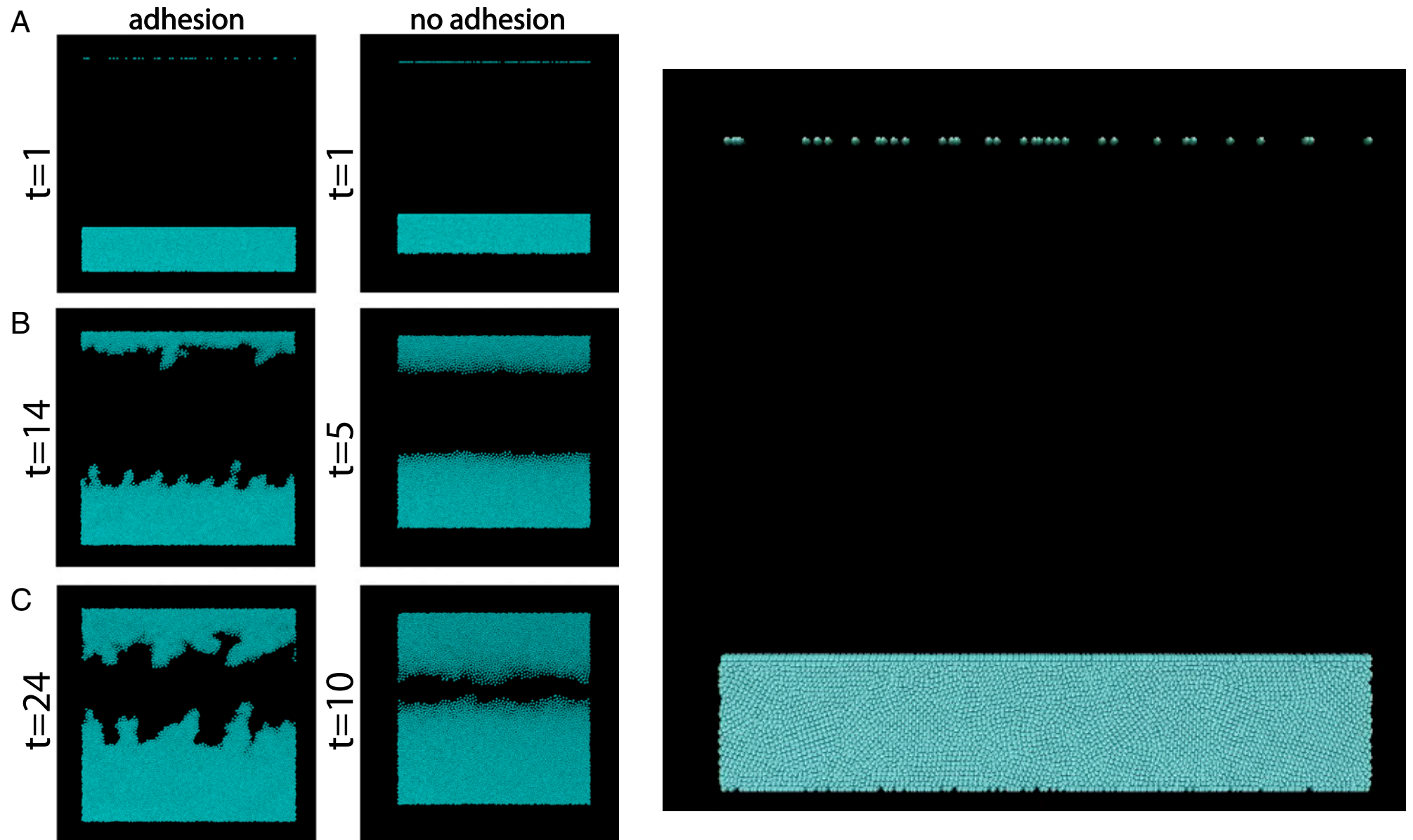
A Velocity Field / Cell Density



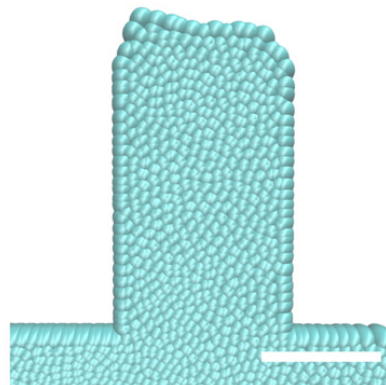
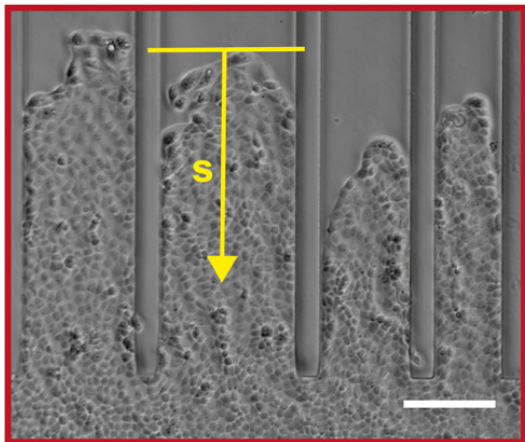
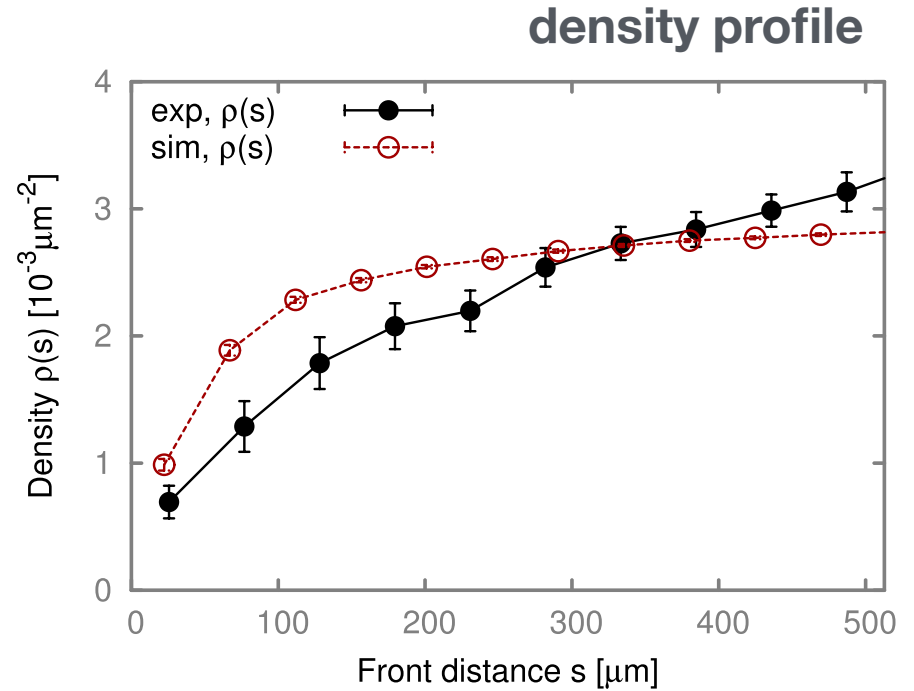
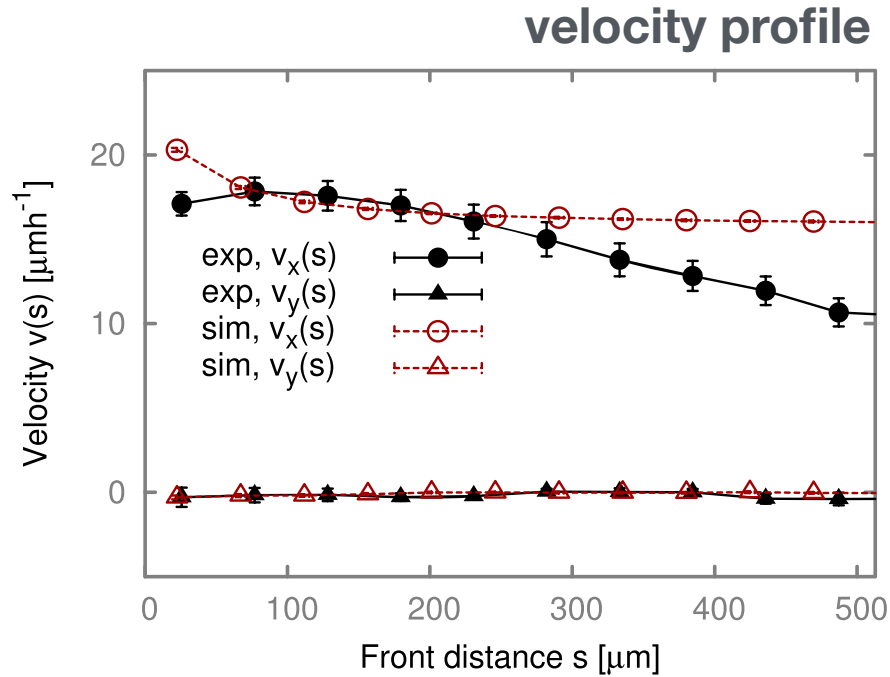
B Traction Force Field / y-component



DPD reproduce finger formation at invading fronts



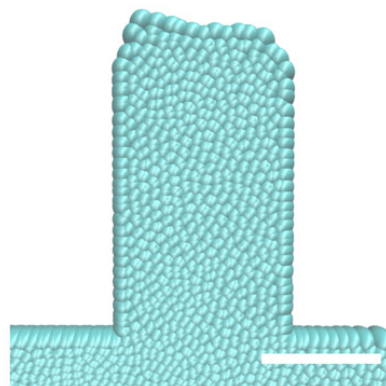
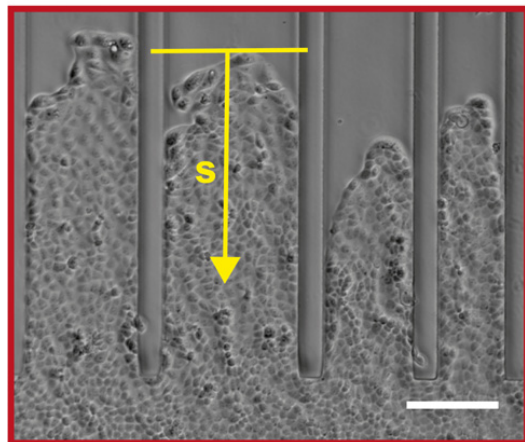
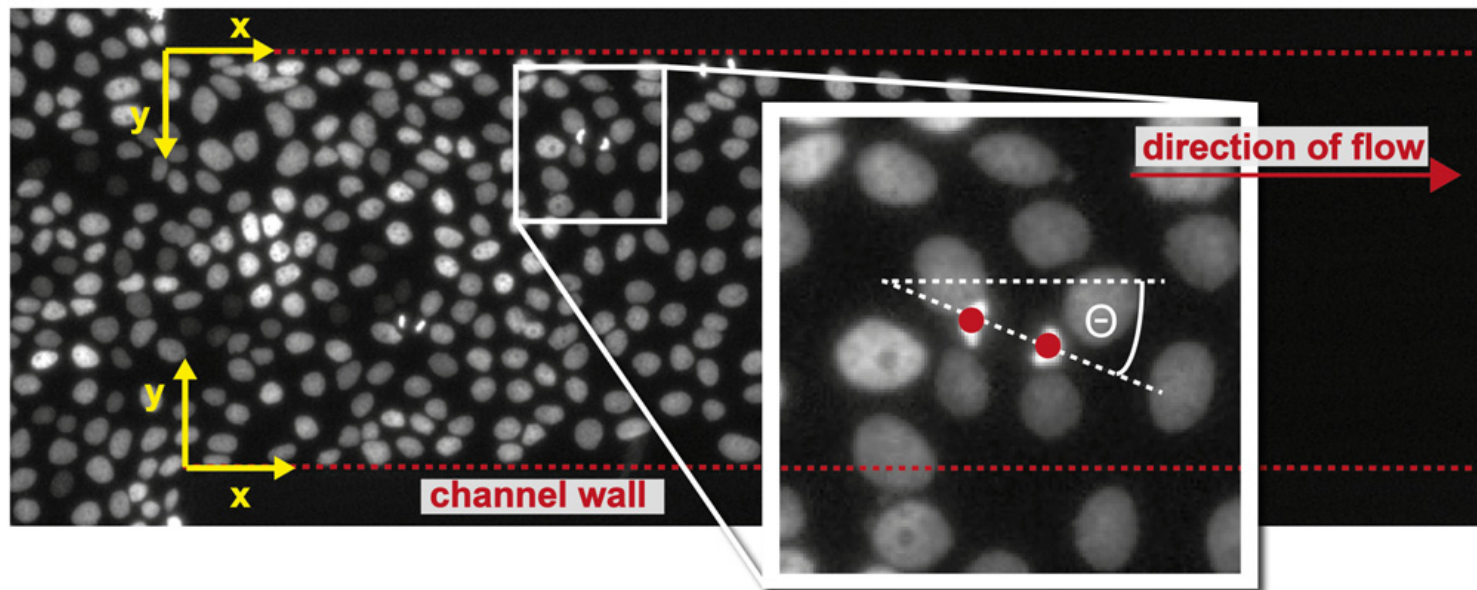
DPD modeling of channel flow



A. Marel, N. Podewitz, M. Zorn,
J. Rädler and Jens Elgeti

New Journal of Physics 16 (2014)

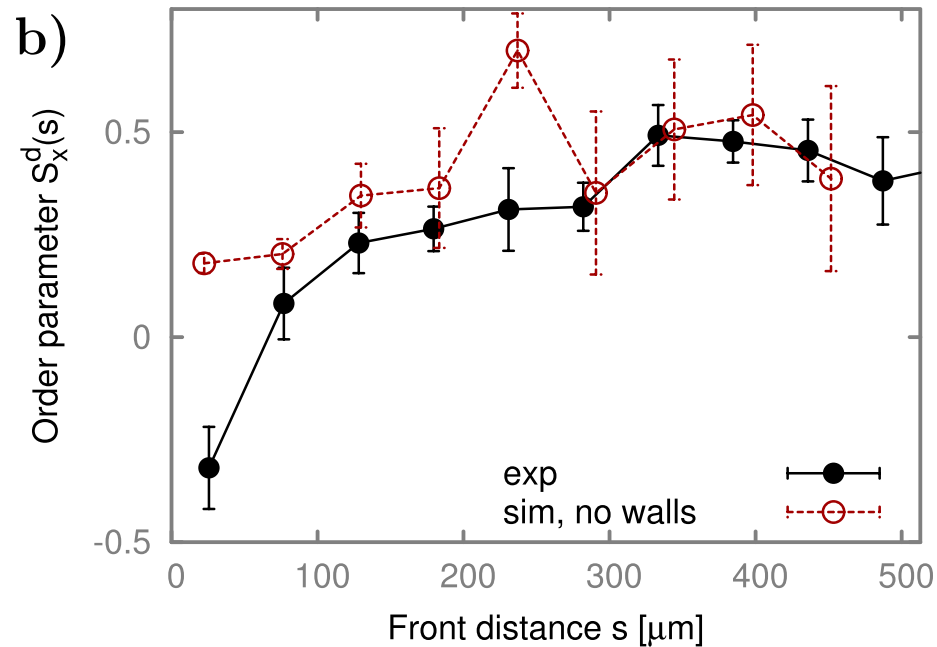
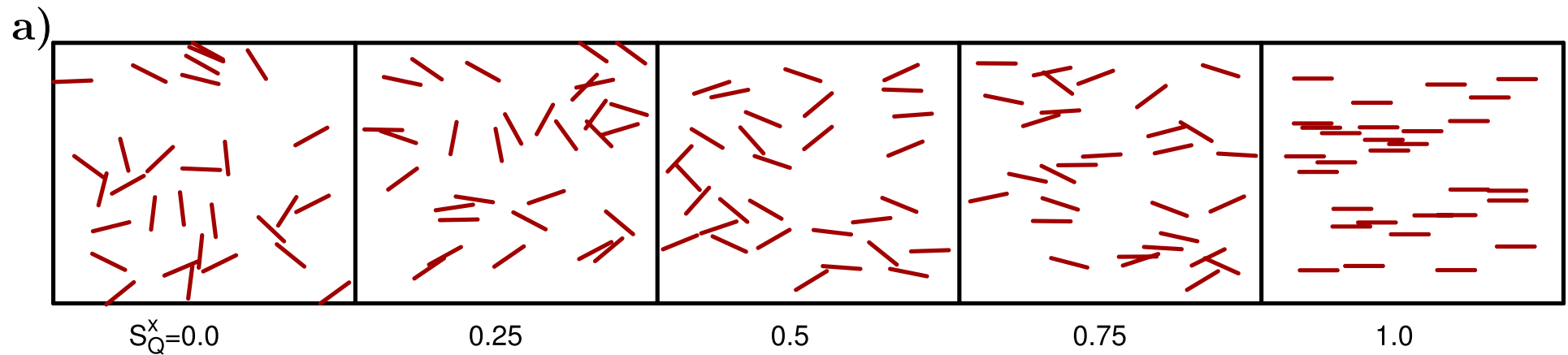
Alignment of cell division axes in directed migration



A. Marel, N. Podewitz, M. Zorn,
J. Rädler and Jens Elgeti

New Journal of Physics 16 (2014)

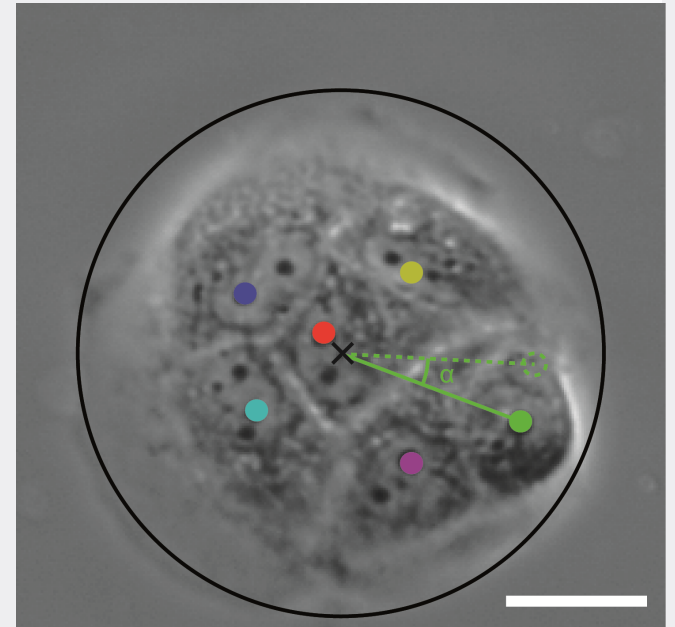
Alignment of cell division axes in directed migration



alignment of cell division axis
in the bulk of the invading sheet,
but not at leading edge

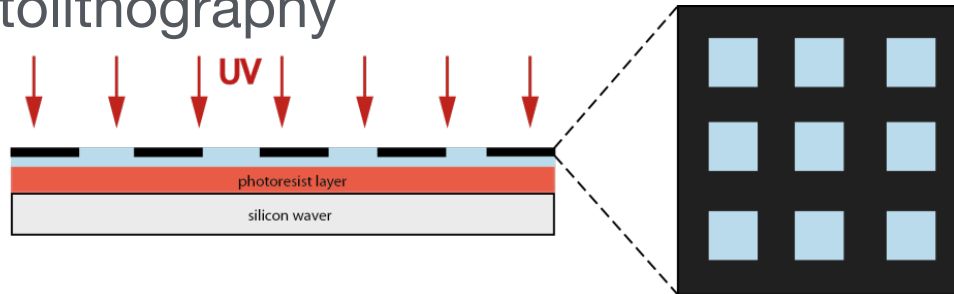
Emergence and Persistence of Collective Cell Migration on Small Circular Micropatterns

- small system size
- defined boundary conditions

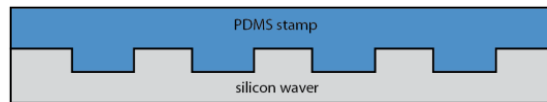


Plasma - Induced Patterning

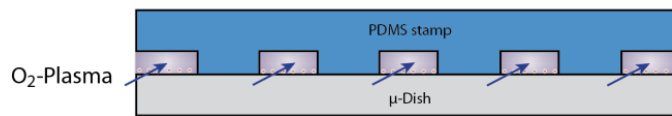
1) Photolithography



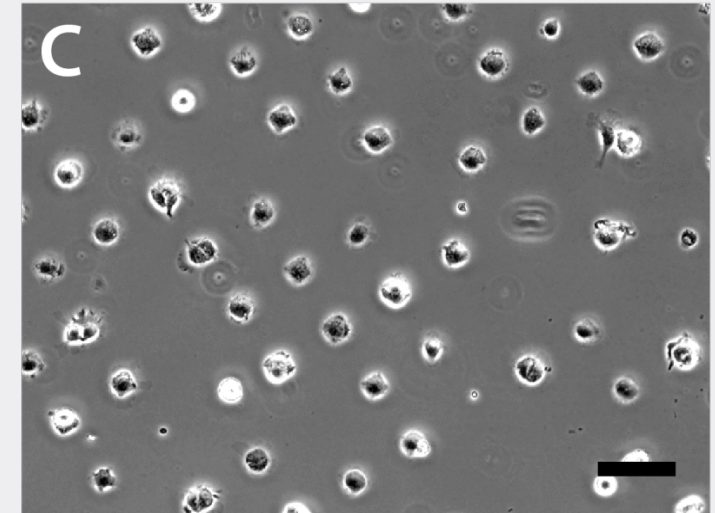
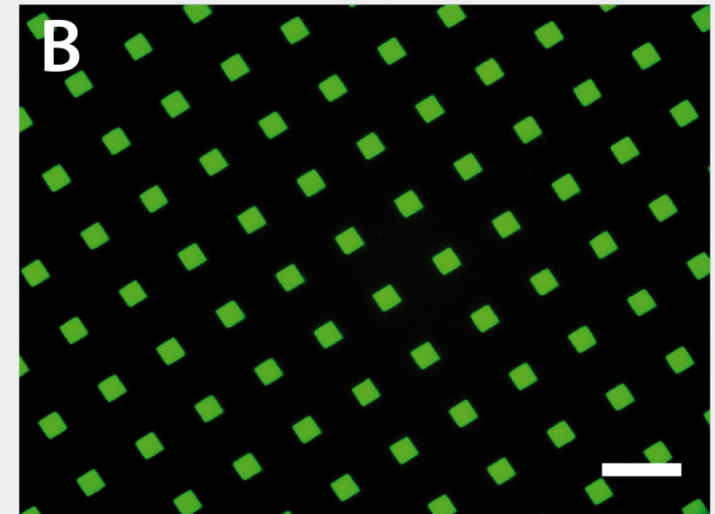
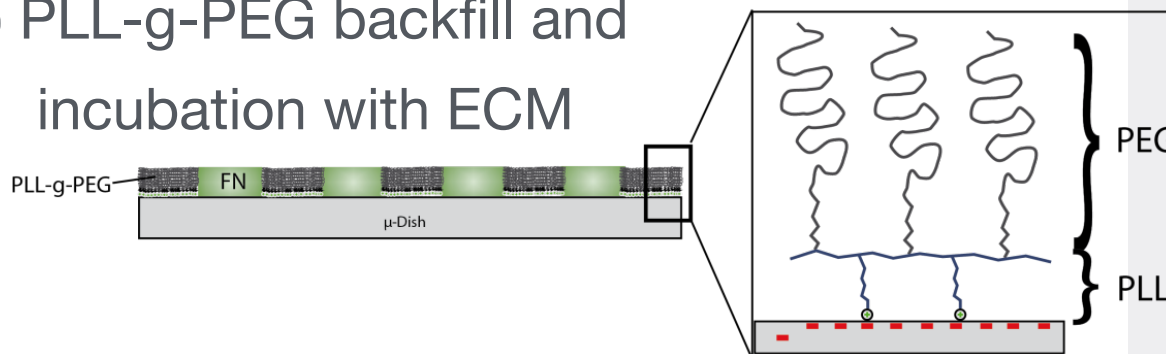
2) PDMS stamp on substrate



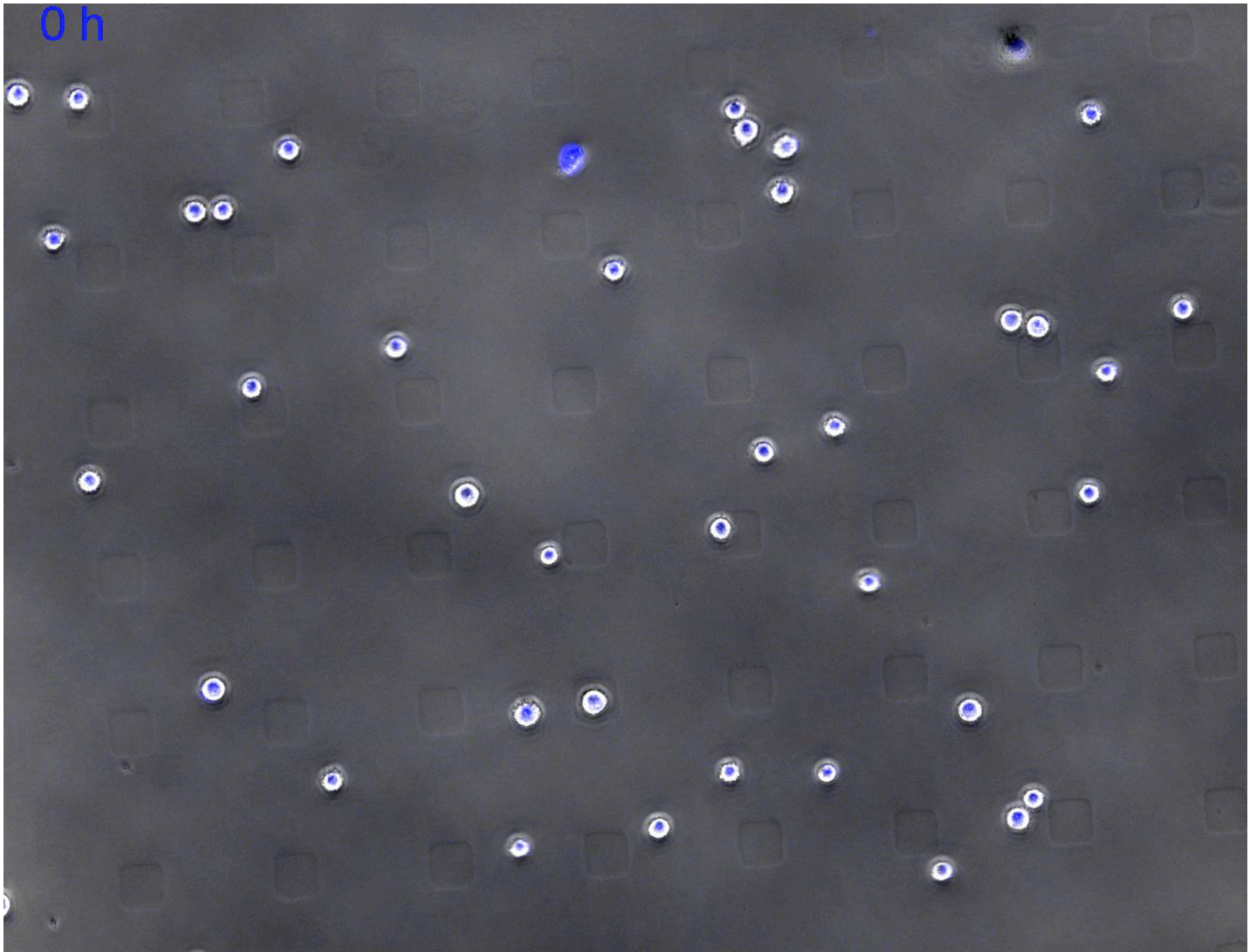
3) Plasma-induced patterning



4) PLL-g-PEG backfill and incubation with ECM



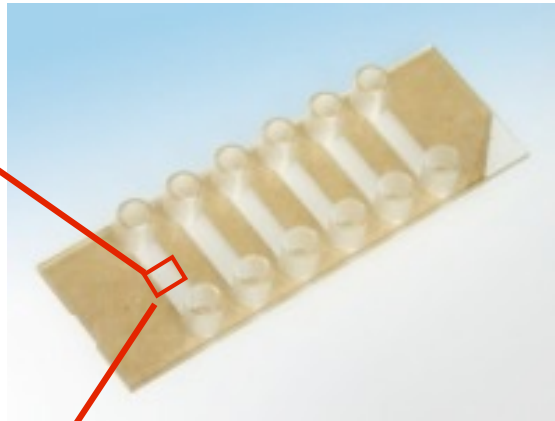
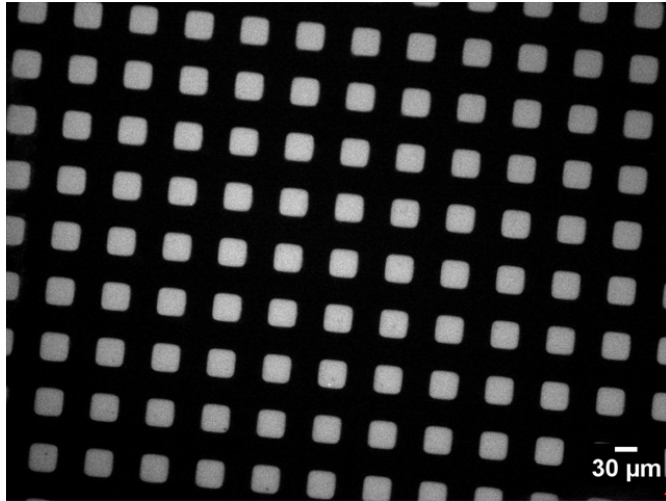
Peter Röttgermann, Soft Matter (2014)



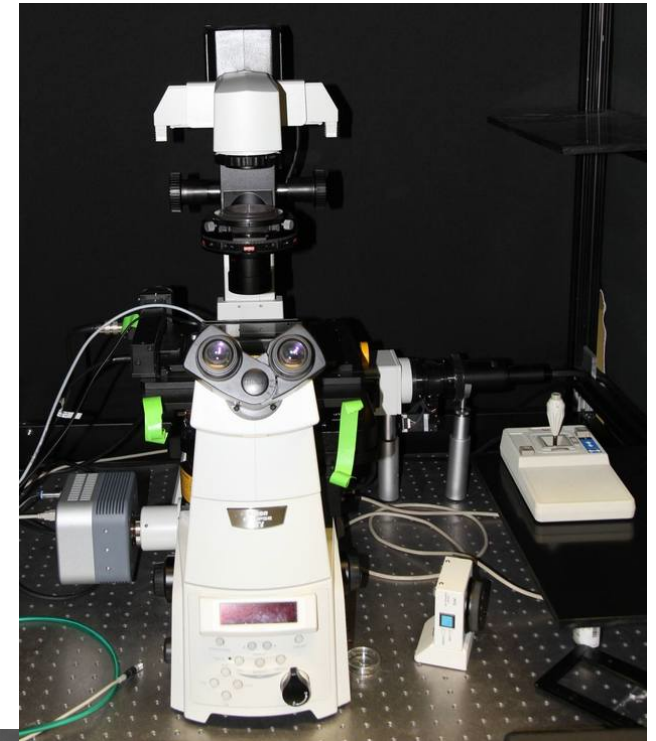
Peter Röttgermann, Soft Matter (2014)

Live Cell Imaging on Single Cell Arrays

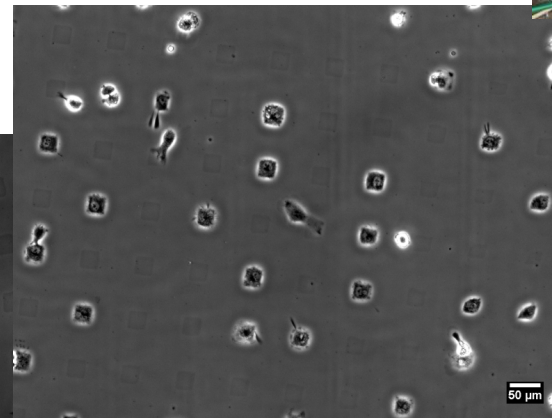
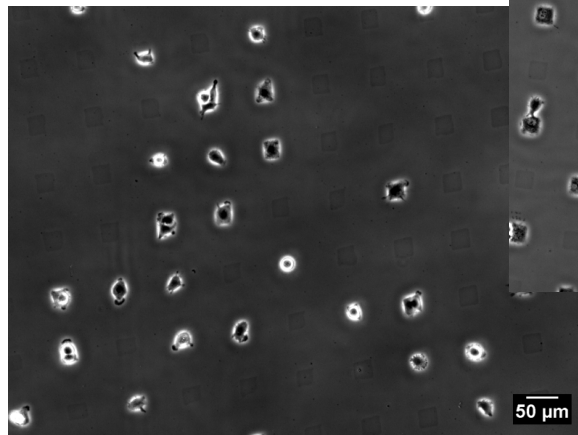
structured substrates



channel - chambers



Cells are seeded out & settle
-> transfection

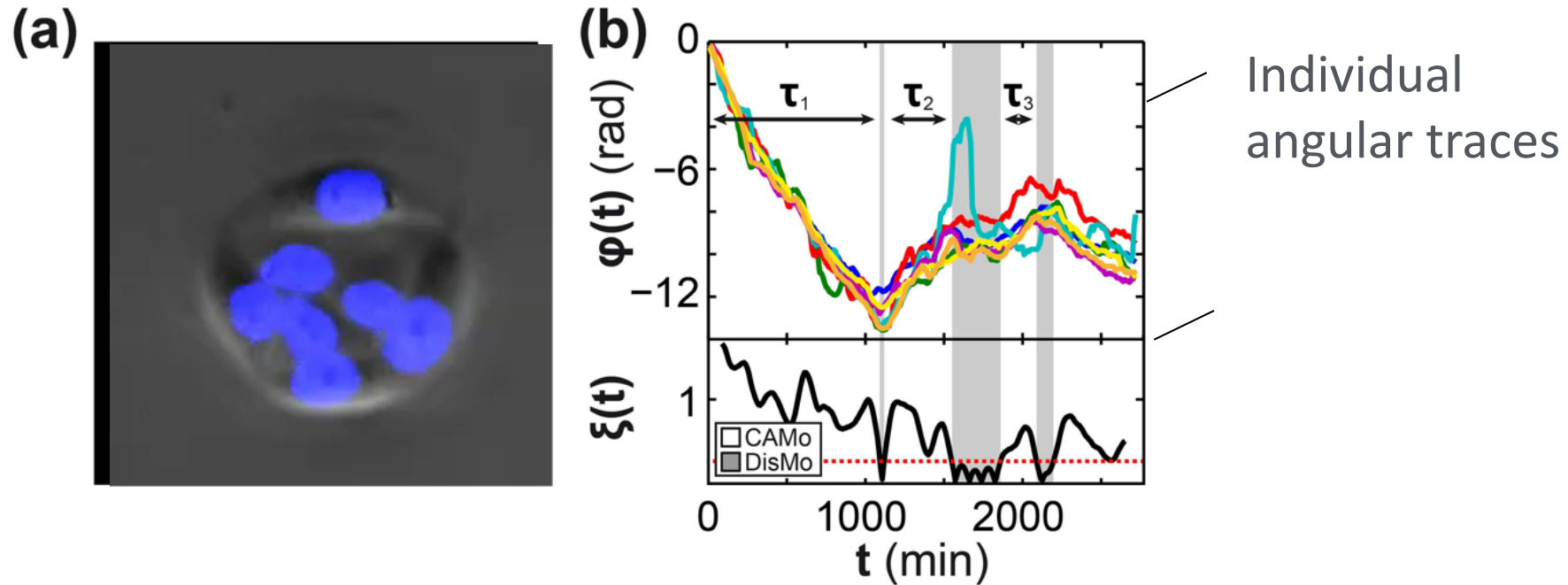


A549 cells

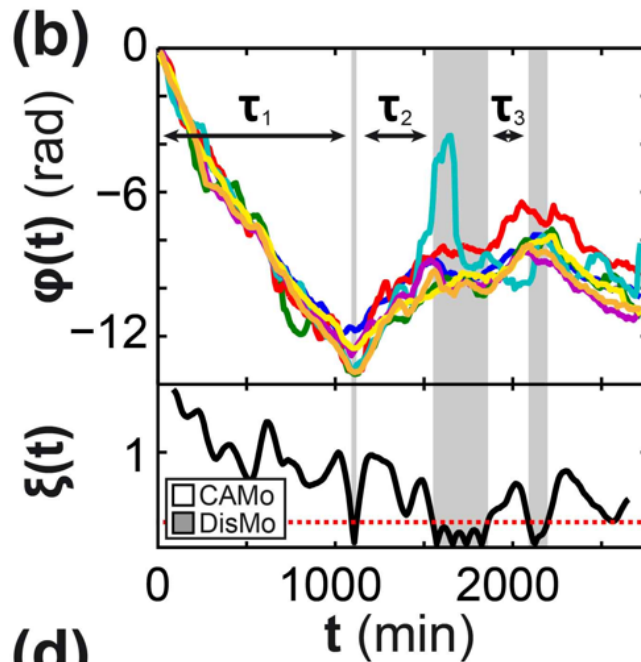
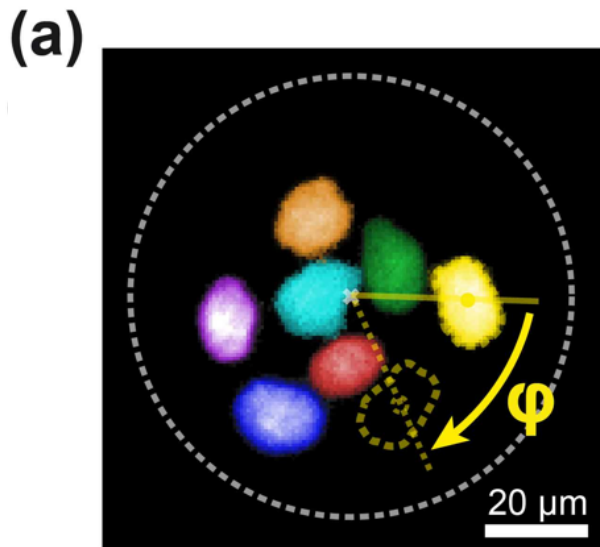
Huh7

automated
time-lapse movie
acquisition
scanning

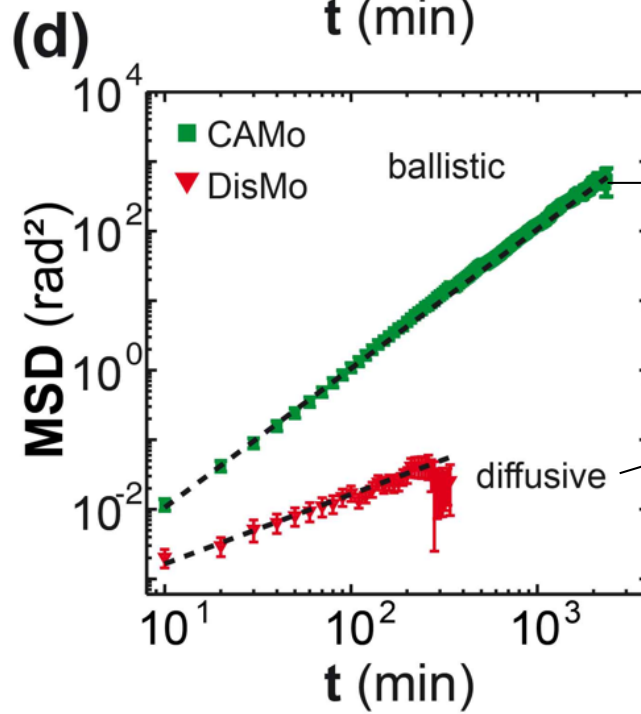
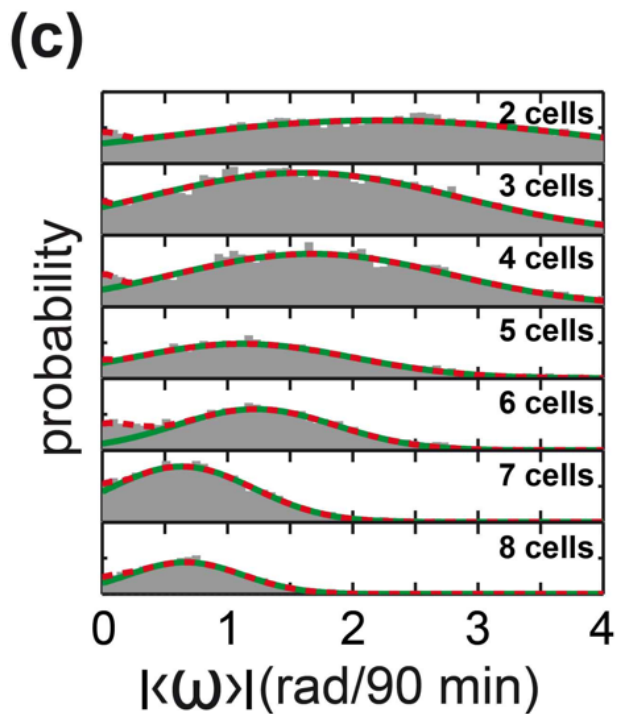
States of Coherent Angular Motion (CAMo)



States of Coherent Angular Motion (CAMo)

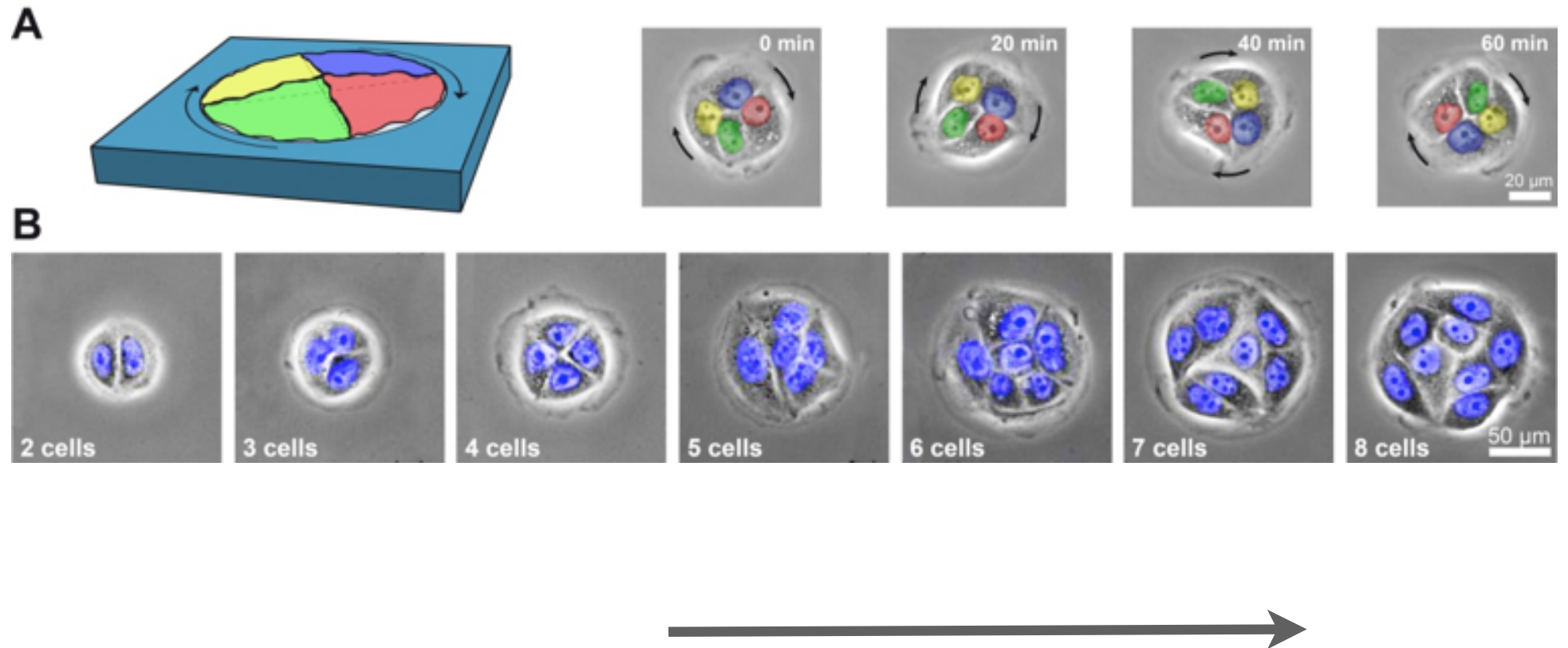


Individual angular traces



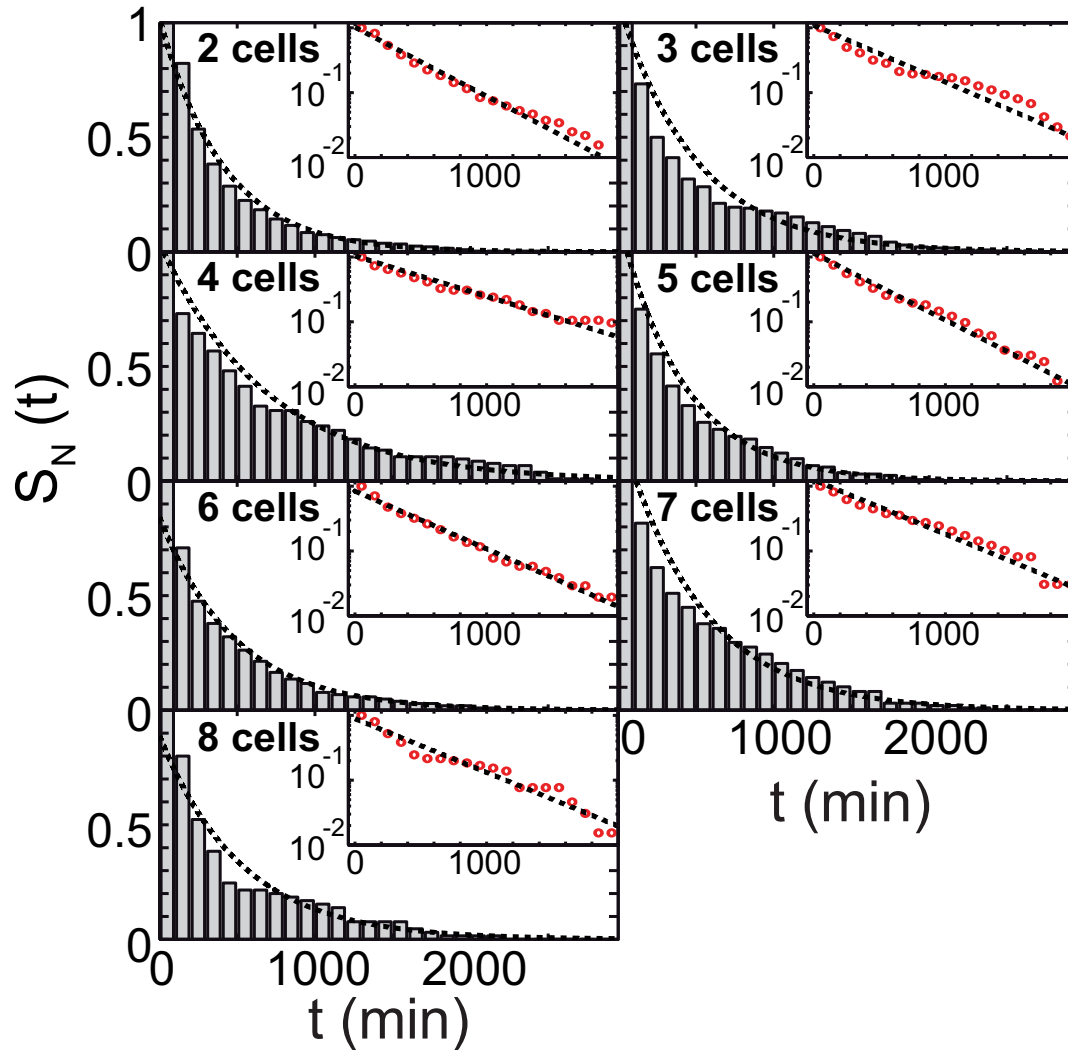
coherent state
 \updownarrow
disordered state

Collective migration as a function of system size



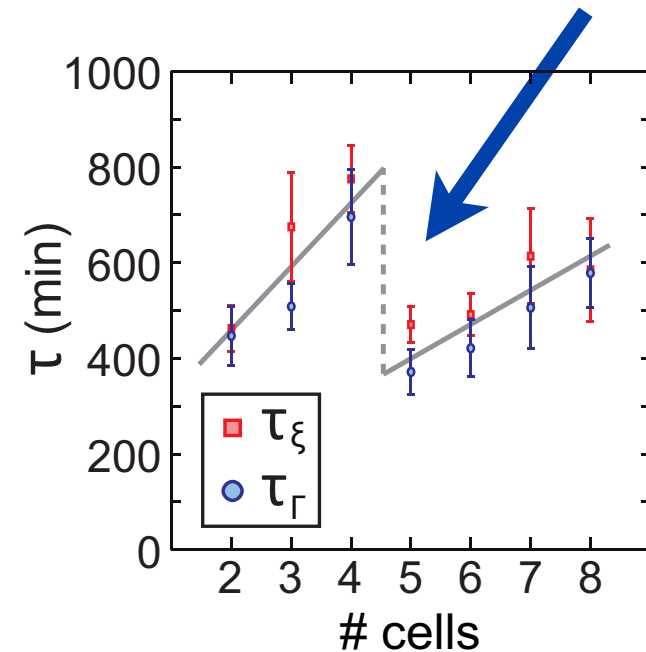
The migration „states“ exhibit a defined life time

CAMo

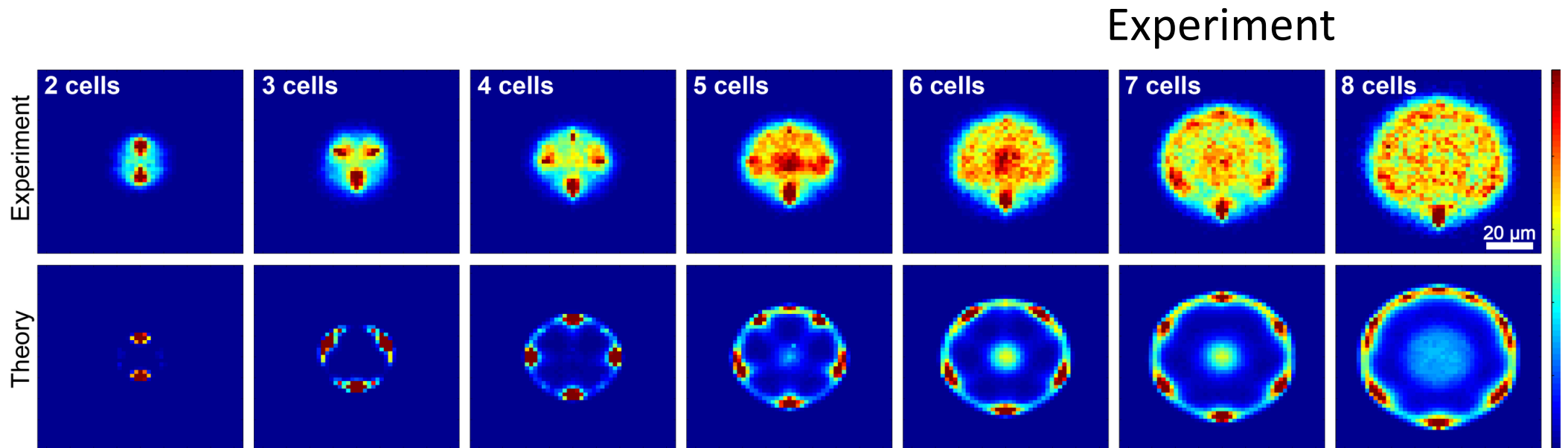


persistence time grows as a function of system size (i.e. number of cells)

discontinuity

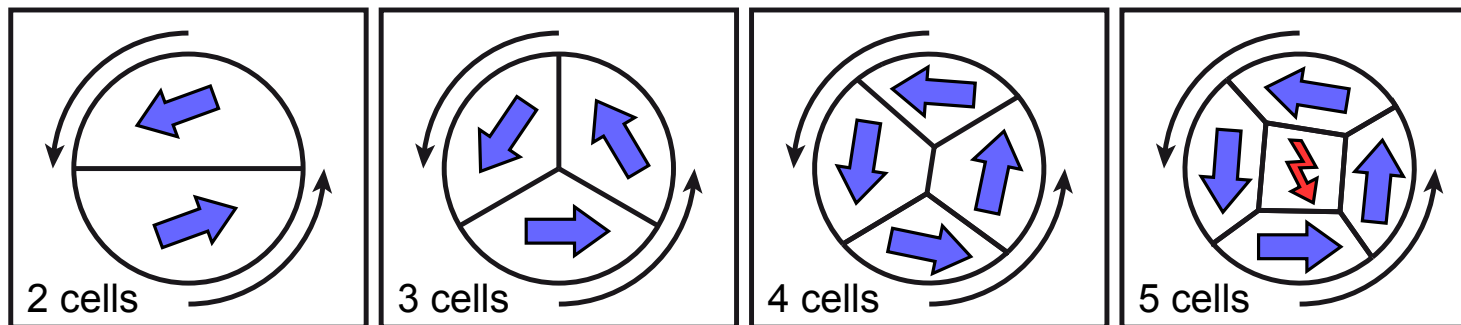


Average spatial correlation on the circle



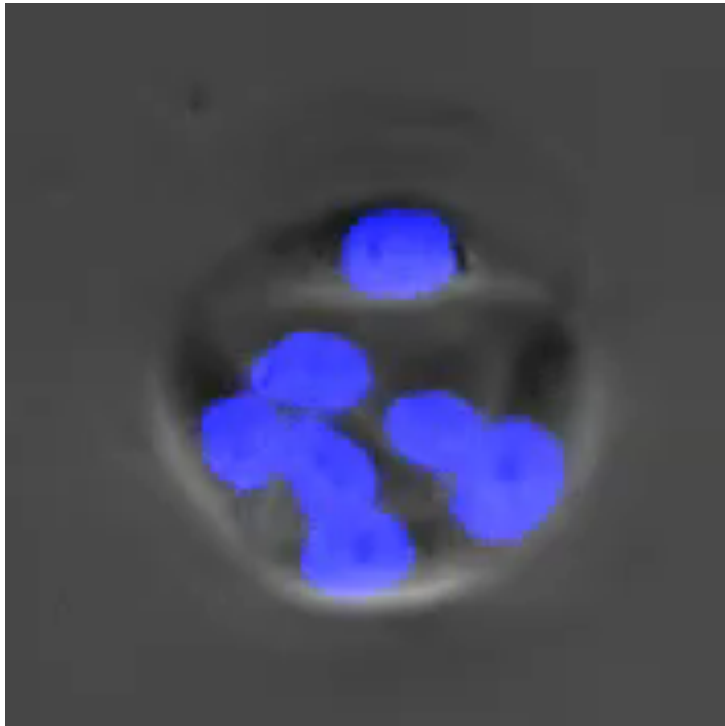
Experiment

Simulation

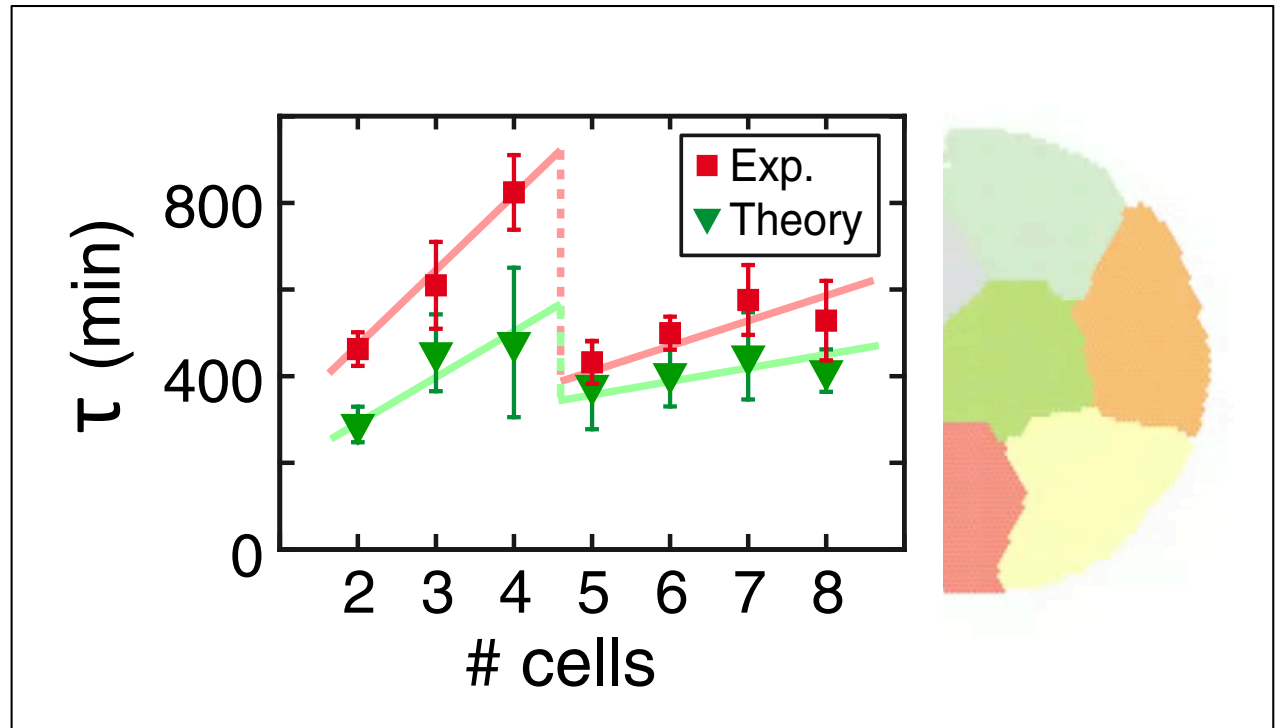


center cell
impedes
polarization:
„frustrated state“

Experiment vs. computer simulation



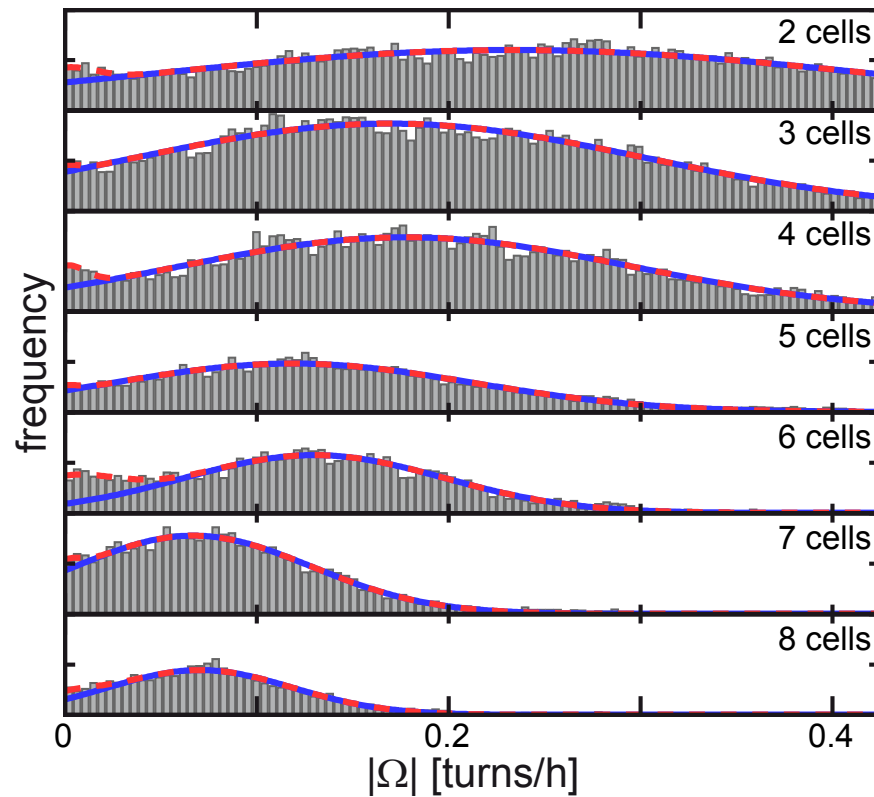
experiment
(F. Seeger)



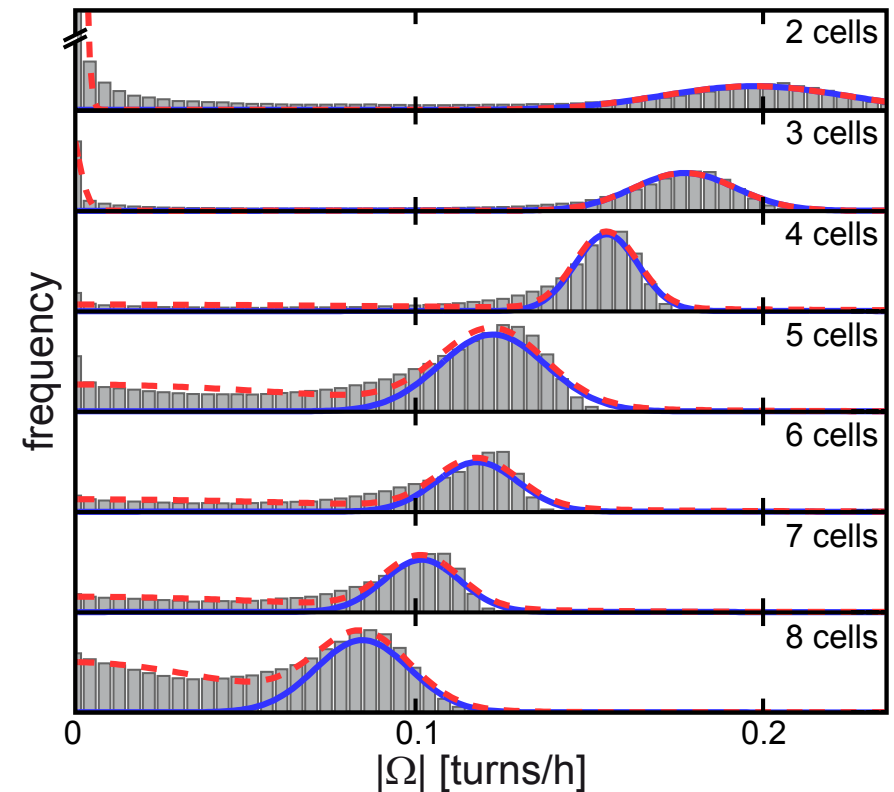
cellular automata model
including scalar polarization field
(F. Thüroff, E. Frey)

Angular velocity distribution

in-vitro

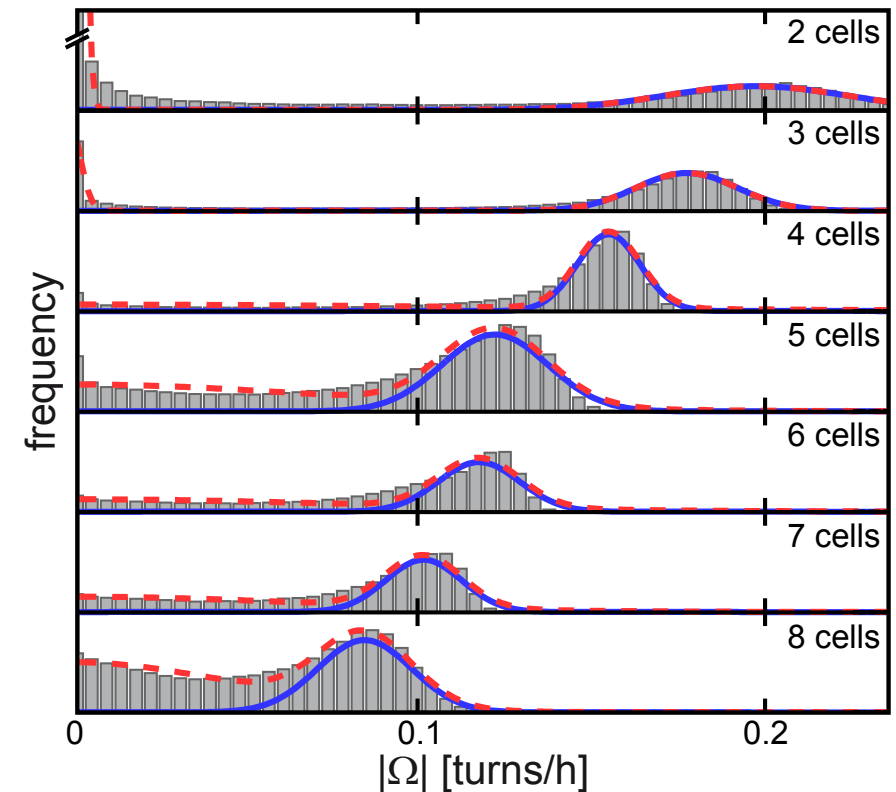
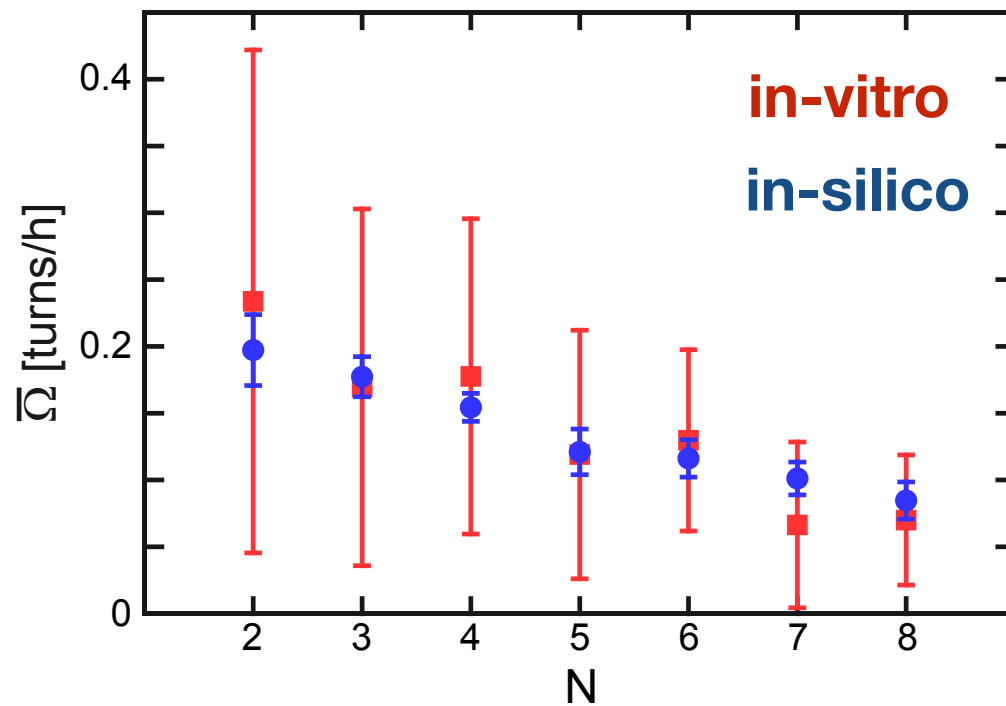


in-silico

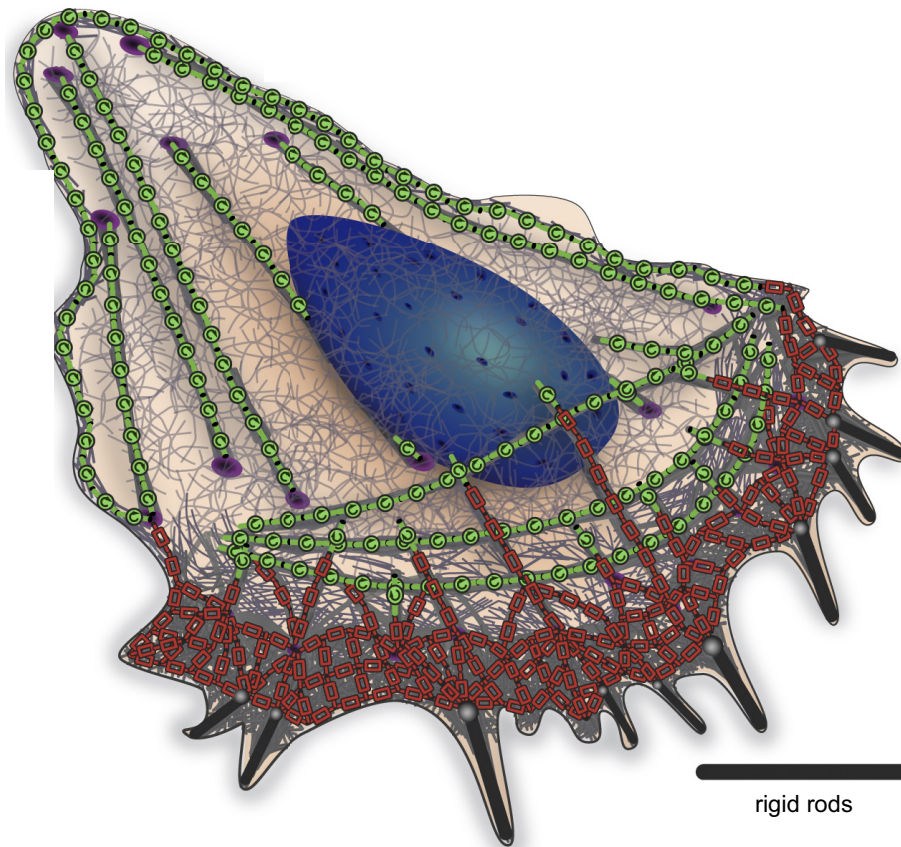


Survival frequency of coherent and disordered state

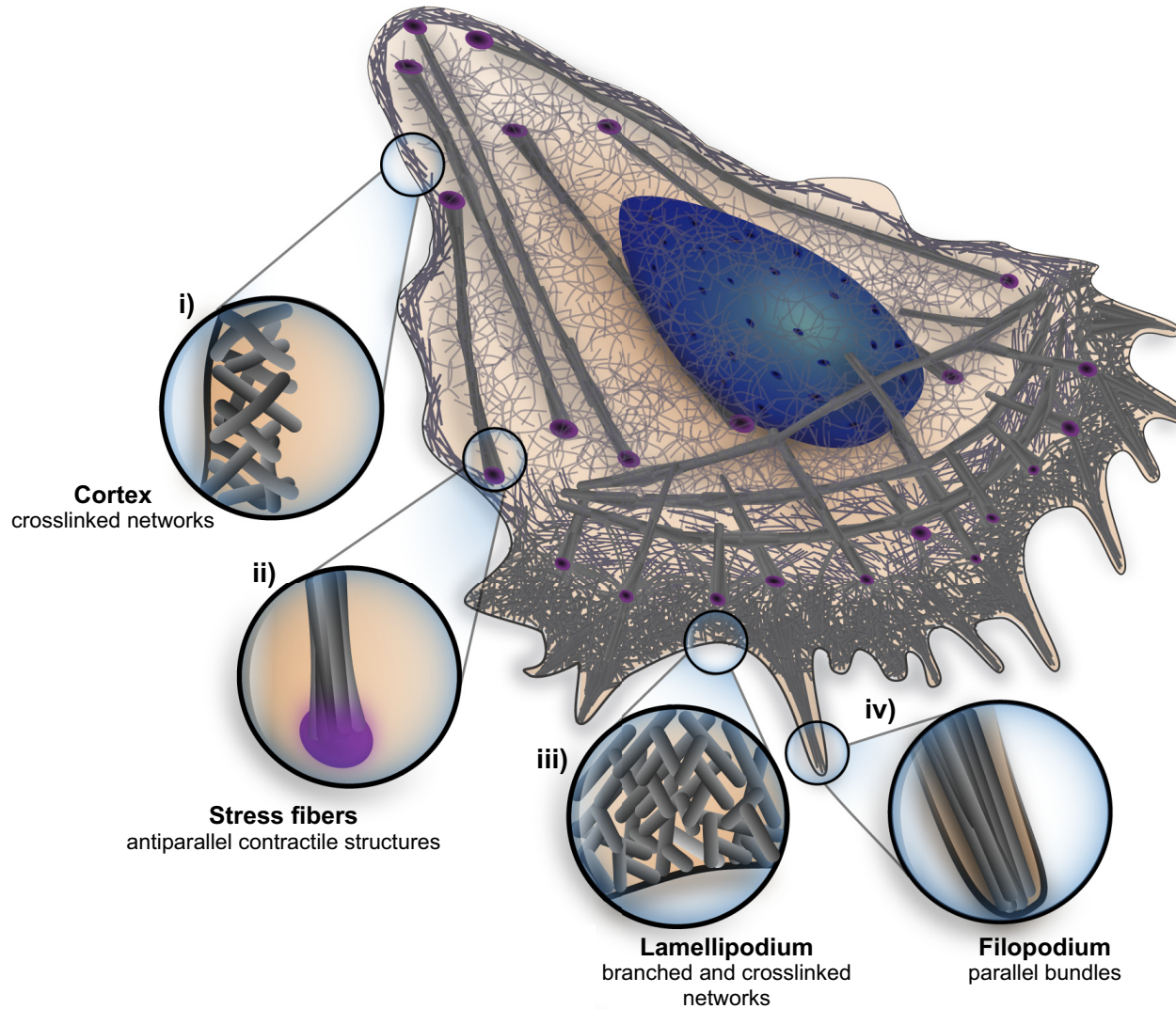
velocity peak positions



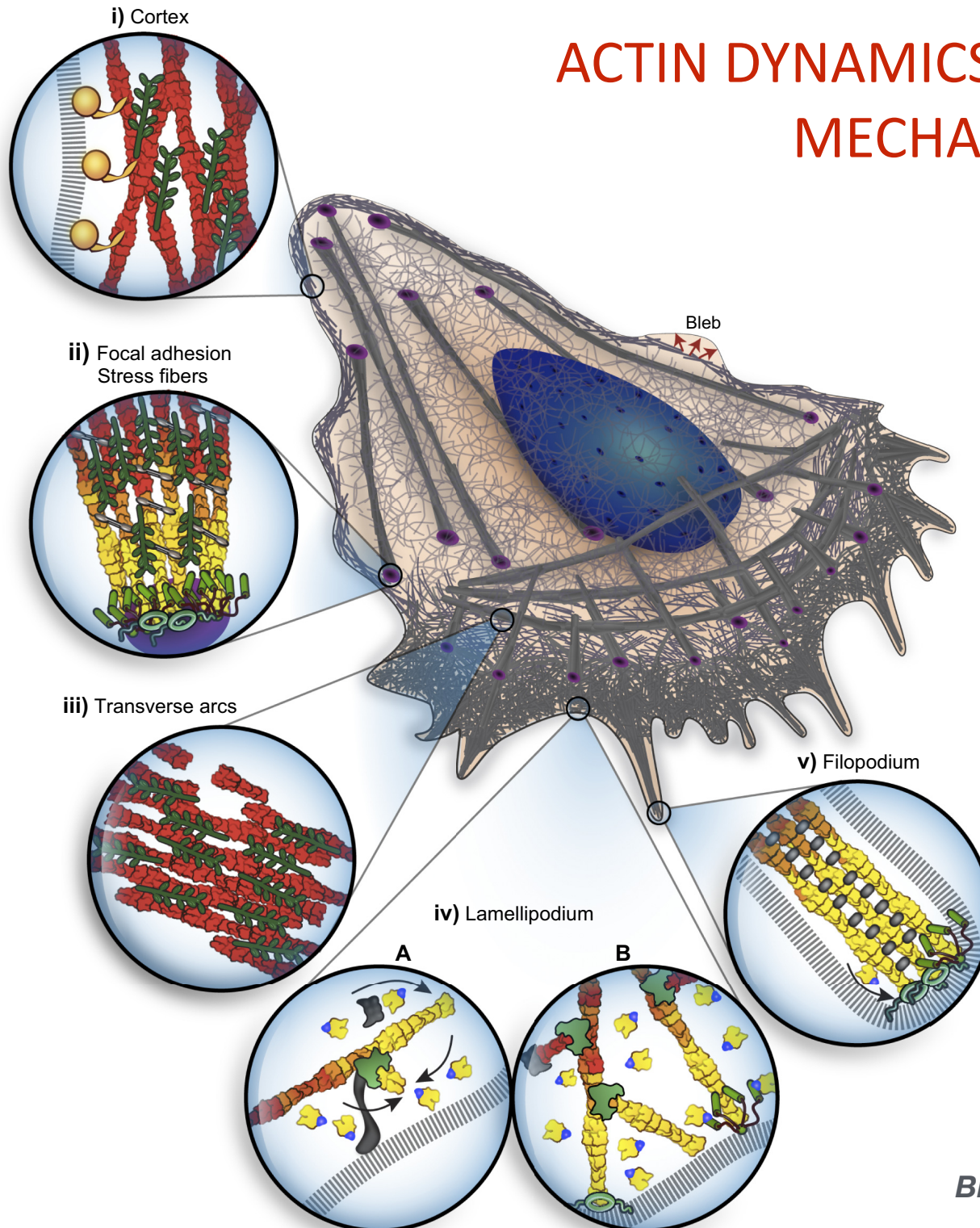
ACTIN DYNAMICS, ARCHITECTURE, AND MECHANICS IN CELL MOTILITY



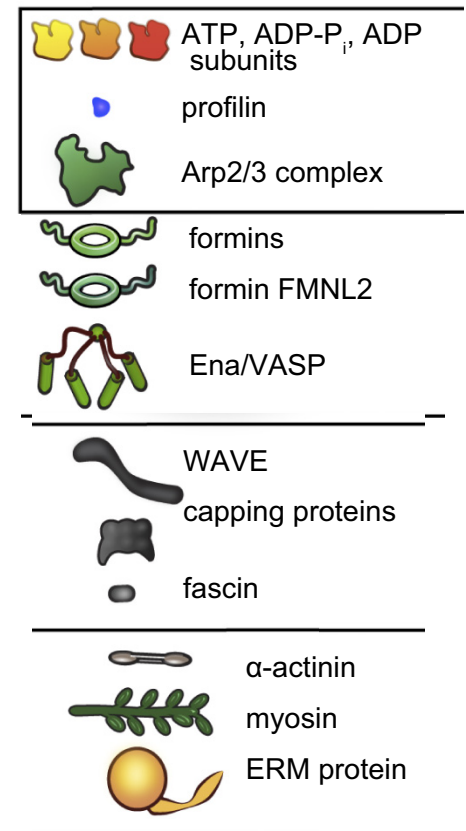
ACTIN DYNAMICS, ARCHITECTURE, AND MECHANICS IN CELL MOTILITY



ACTIN DYNAMICS, ARCHITECTURE, AND MECHANICS IN CELL MOTILITY



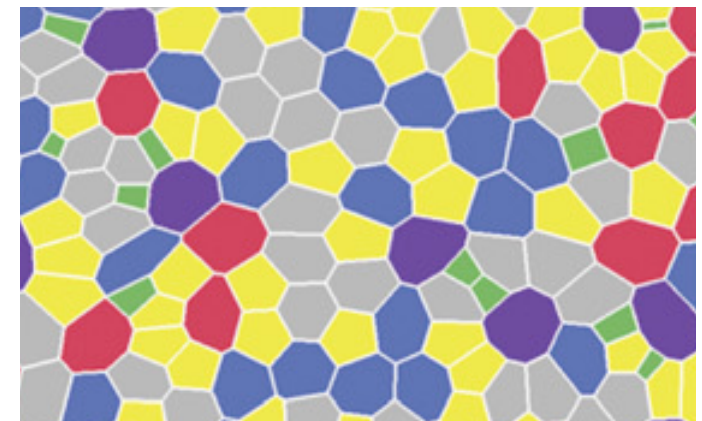
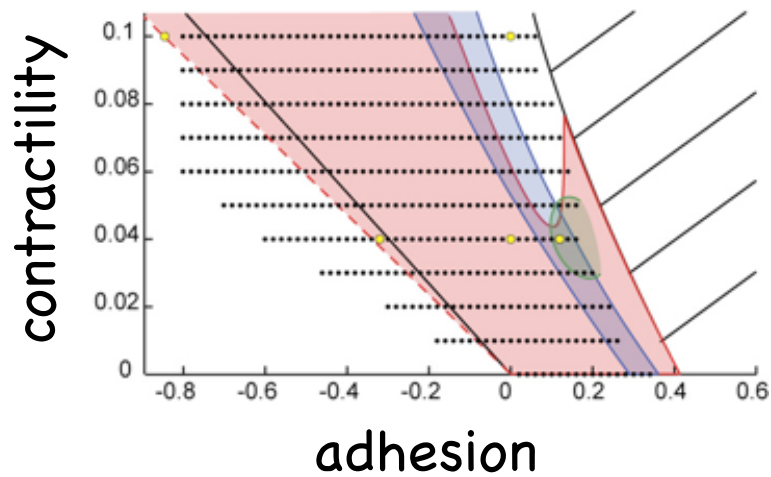
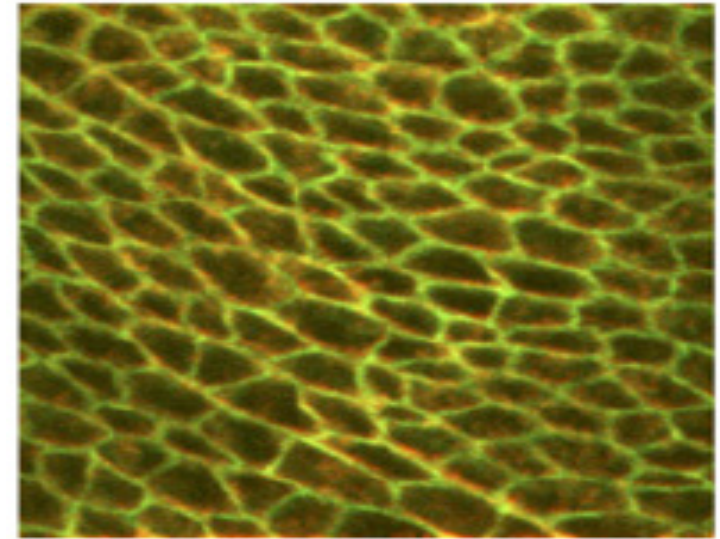
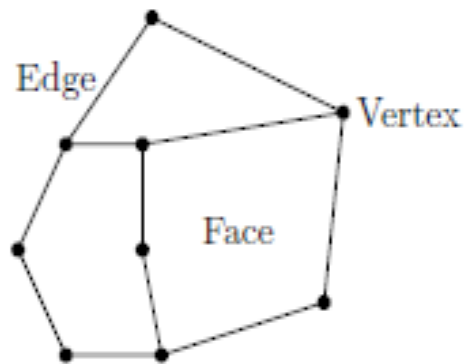
nucleation
promoting factors,
NPFs



Cell shape in monolayers

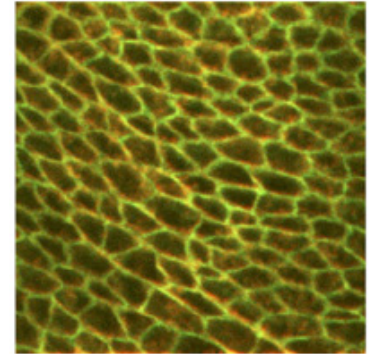
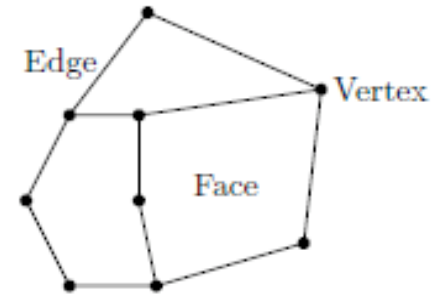
The Influence of Cell Mechanics, Cell-Cell Interactions, and Proliferation on Epithelial Packing

Reza Farhadifar,^{1,3} Jens-Christian Röper,^{2,3}
Benoit Aigouy,² Suzanne Eaton,^{2,*}
and Frank Jülicher^{1,*}



Farhadifar et al. (2007) *Curr. Biol.*

Vertex models and cell mechanics



Effective elastic energy

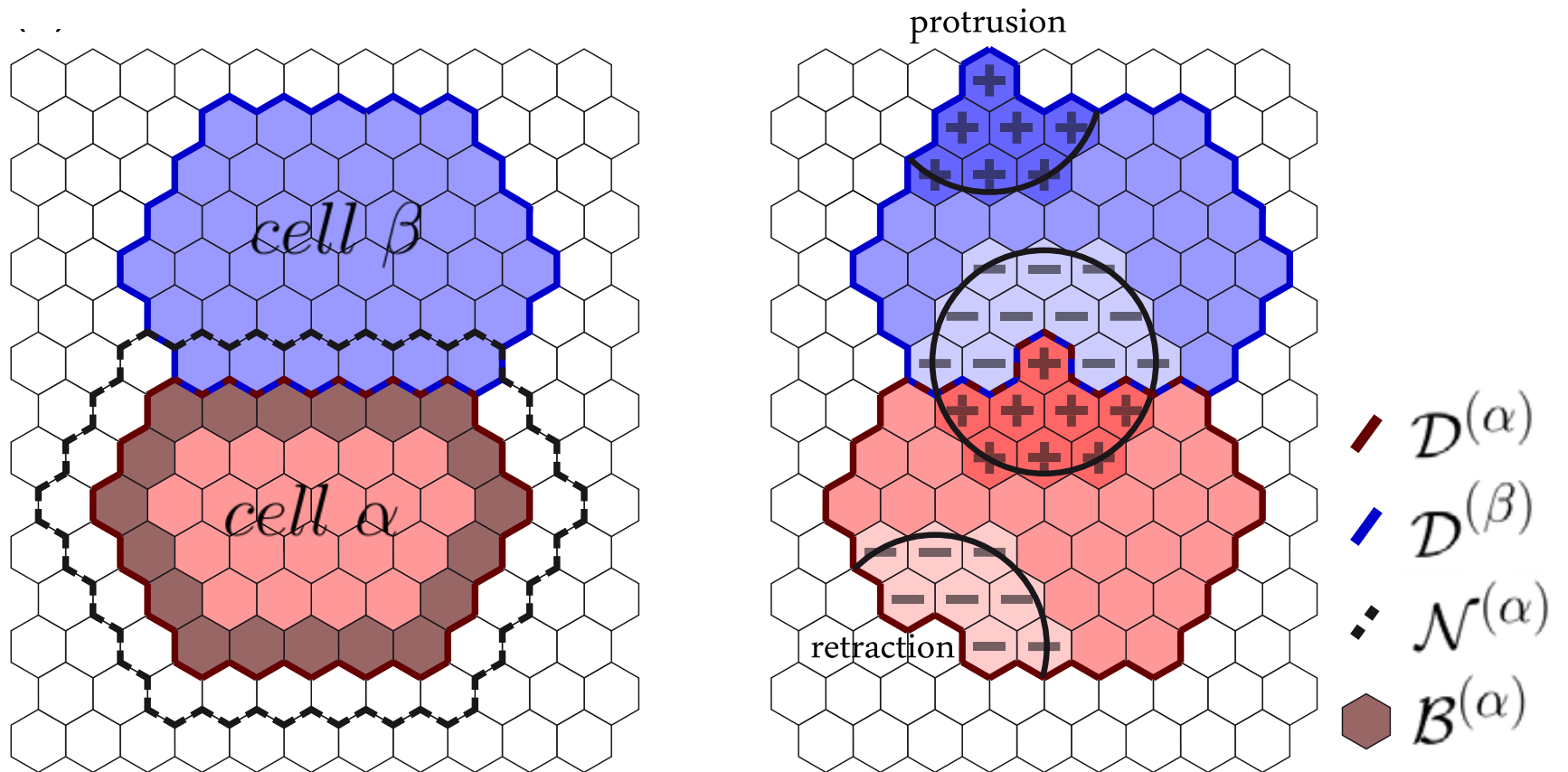
$$E(R_i) = \sum_{\alpha} \frac{K_{\alpha}}{2} (A_{\alpha} - A_{\alpha}^{(0)})^2 + \sum_{\langle i,j \rangle} \Lambda_{ij} l_{ij} + \sum_{\alpha} \frac{\Gamma_{\alpha}}{2} L_{\alpha}^2$$

Area elasticity (cell height and volume)

Line tension (cell-cell adhesion)

Contractility (mechanics of the actin-myosin ring)

Agent based Modeling (Potts Modell)



cell represented as a set of pixels

based on the original Potts model by

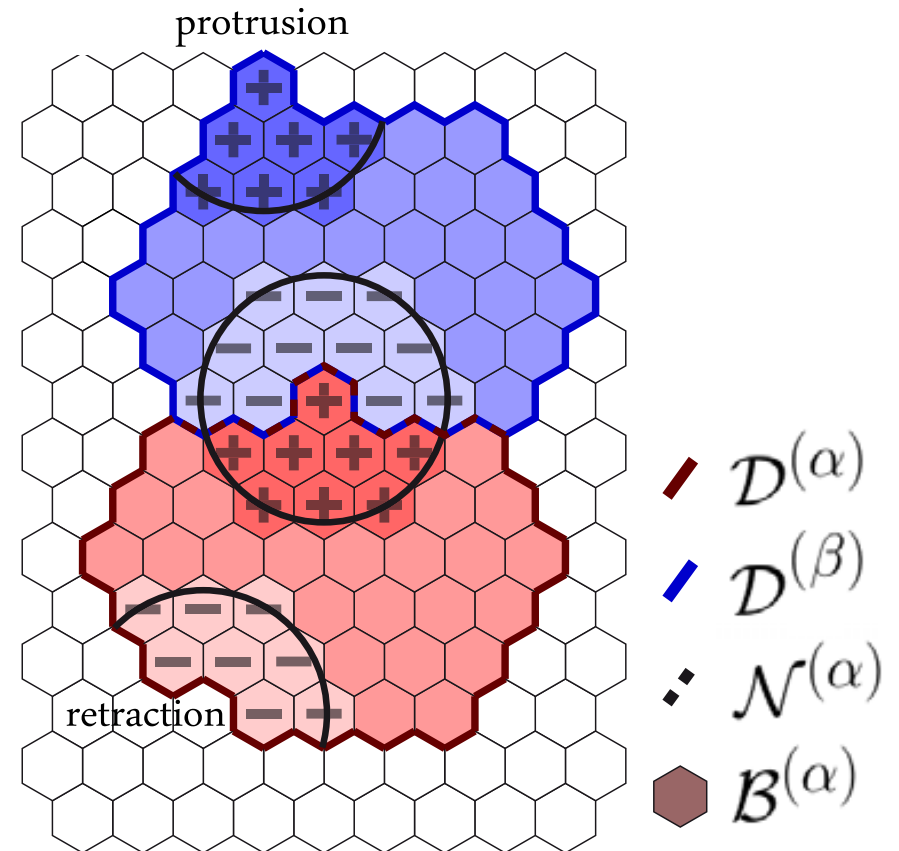
F. Graner and J. A. Glazier, Phys. Rev. Lett. 69, 2013 (1992).

Agent based Modeling (Potts Modell)

- protrusion and retraction events copy events with probability:

$$p(\mathcal{T}) = \min\{1, e^{-\Delta\mathcal{H}}\}$$

$$\mathcal{H} = \mathcal{H}_{\text{cont}} + \mathcal{H}_{\text{adh}} + \mathcal{H}_{\text{cyto}}$$



Agent based Modeling (Potts Modell)

- protrusion and retraction events copy events with probability:

$$p(\mathcal{T}) = \min\{1, e^{-\Delta\mathcal{H}}\}$$

$$\mathcal{H} = \mathcal{H}_{\text{cont}} + \mathcal{H}_{\text{adh}} + \mathcal{H}_{\text{cyto}}$$

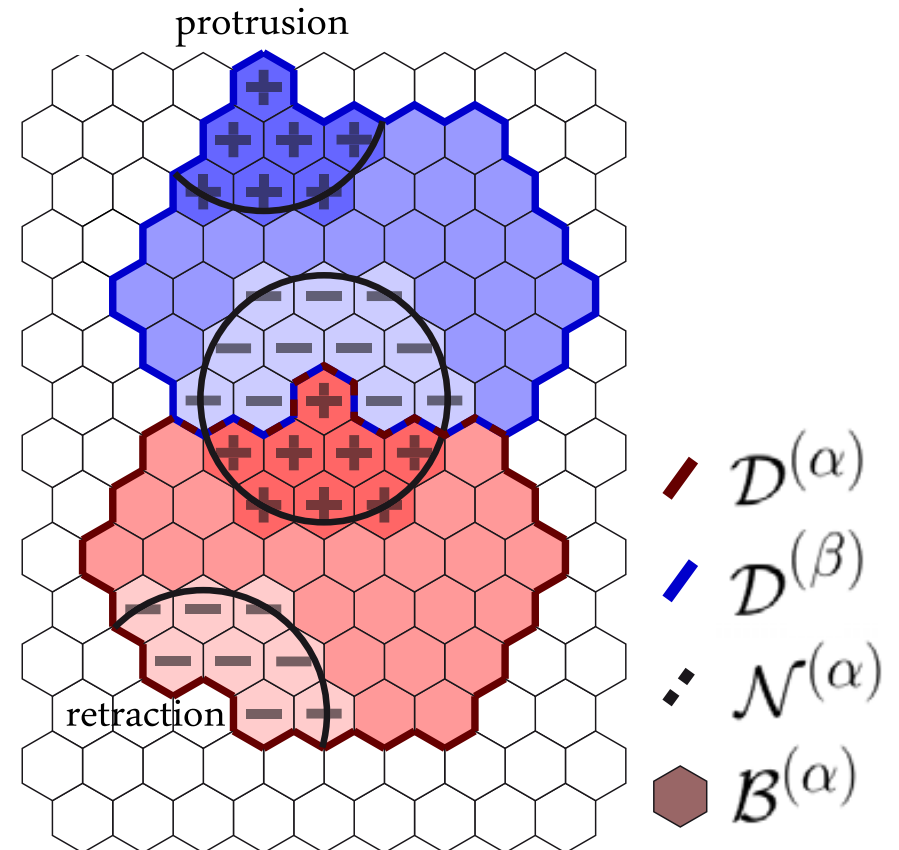
- cell contractility ($\mathcal{H}_{\text{cont}}$),

$$\mathcal{H}_{\text{cont}} = m P_{\alpha}^2(t) + a A_{\alpha}^2(t)$$

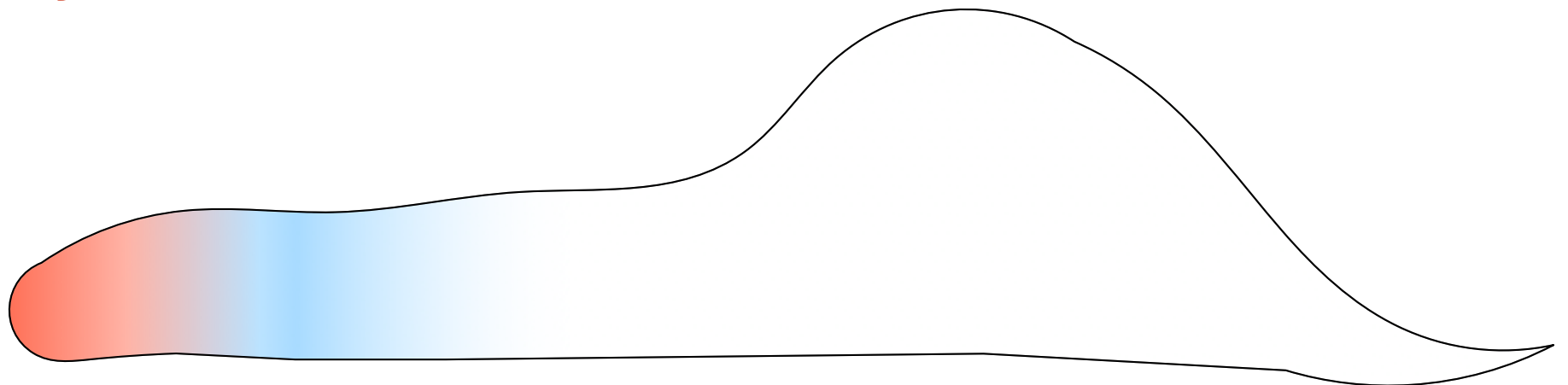
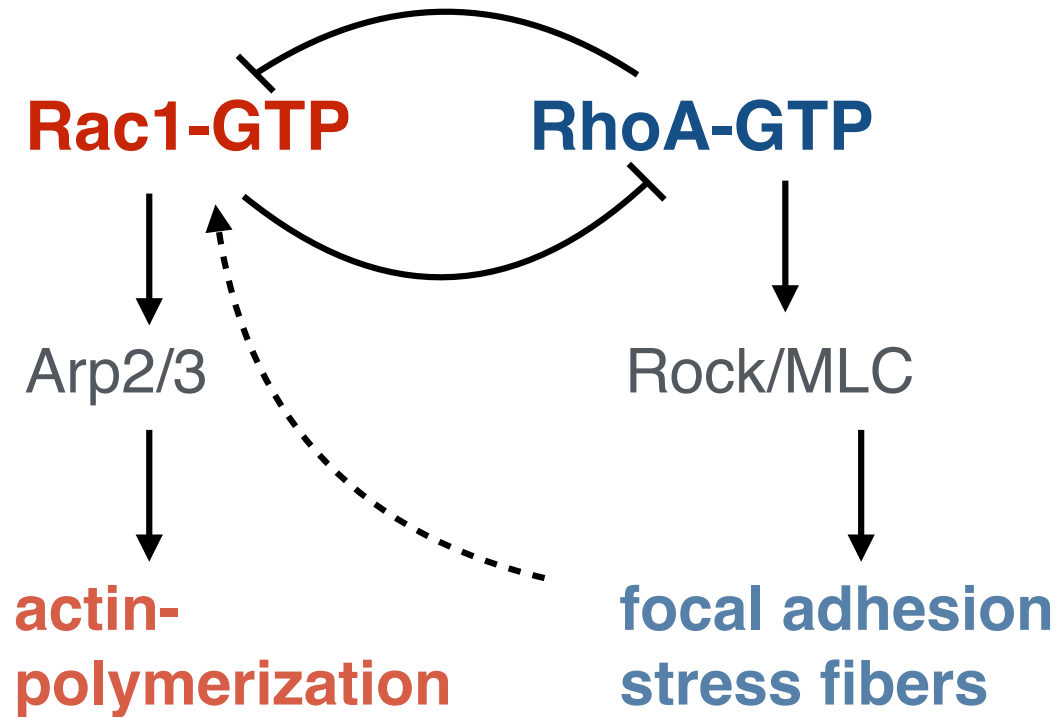
stiffness parameters for the perimeter $P_{\alpha}(t)$ and the area $A_{\alpha}(t)$

- cell-cell adhesion (\mathcal{H}_{adh})

- cytoskeletal remodeling ($\mathcal{H}_{\text{cyto}}$)



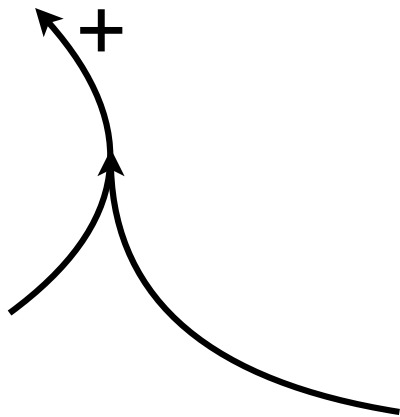
Rho GTPases and cell polarity: biochemical view



Rho GTPases and cell polarity in CPM model

regulator

$\vec{F}(\vec{x}_n)$

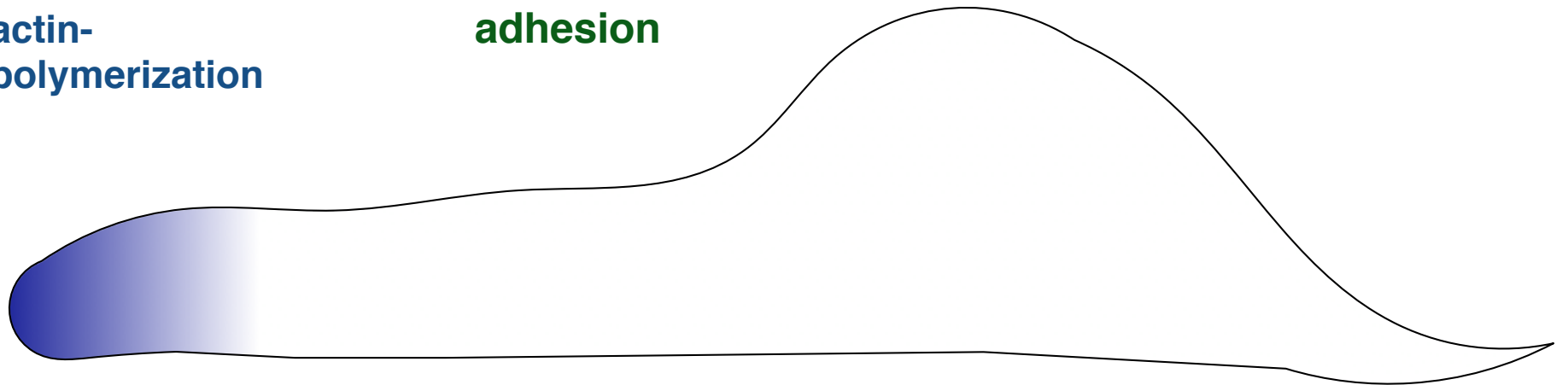


$\vec{\rho}(\vec{x}_n)$

actin-
polymerization

$\vec{\phi}(\vec{x}_n)$

adhesion



Rho GTPases and cell polarity in CPM model

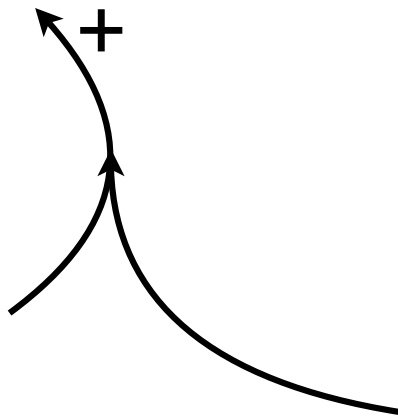
regulator

$\vec{F}(\vec{x}_n)$



$\rho(\vec{x}_n)$

actin-
polymerization



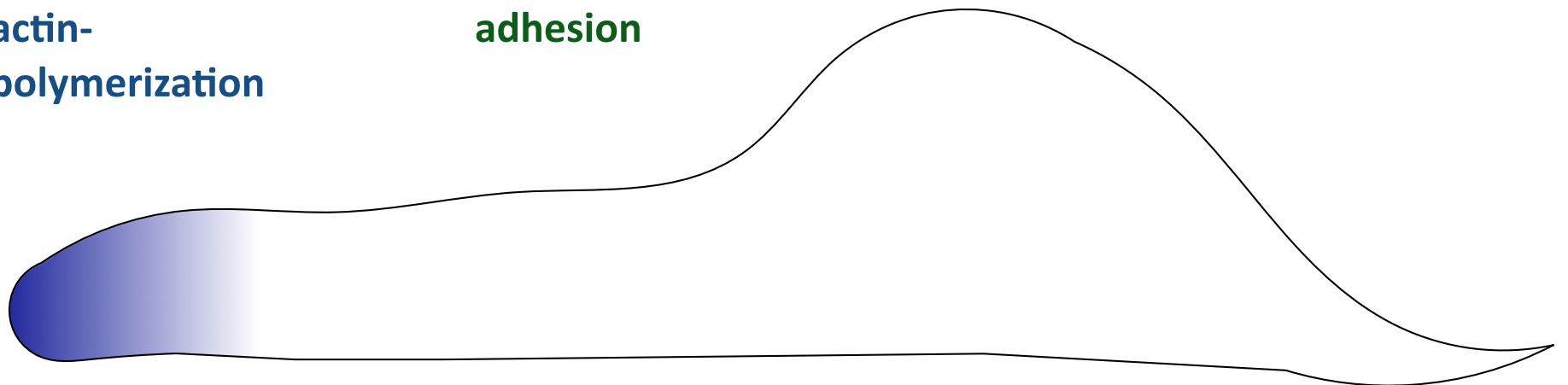
$\phi(\vec{x}_n)$

adhesion

regulatory factors $\vec{F}(\vec{x}_n)$ used to update $\rho(\vec{x}_n)$
with a radius R

scalar field $\rho(\vec{x}_n)$ represents overall density of
force-generating cytoskeletal structures (Actin)

scalar field variable $\phi(\vec{x}_n)$ accounts for
spatial variations of substrate



Monte-Carlo scheme for protrusions events

regulator

$\vec{F}(\mathbf{x}_n)$



$\rho(\mathbf{x}_n)$

actin-
polymerization

$$\mathcal{H}_{\text{cyto}} = \rho_{\beta}(\mathbf{x}_t, t) - \rho_{\alpha}(\mathbf{x}_s, t)$$

energy gain or loss for
elementary protrusion event

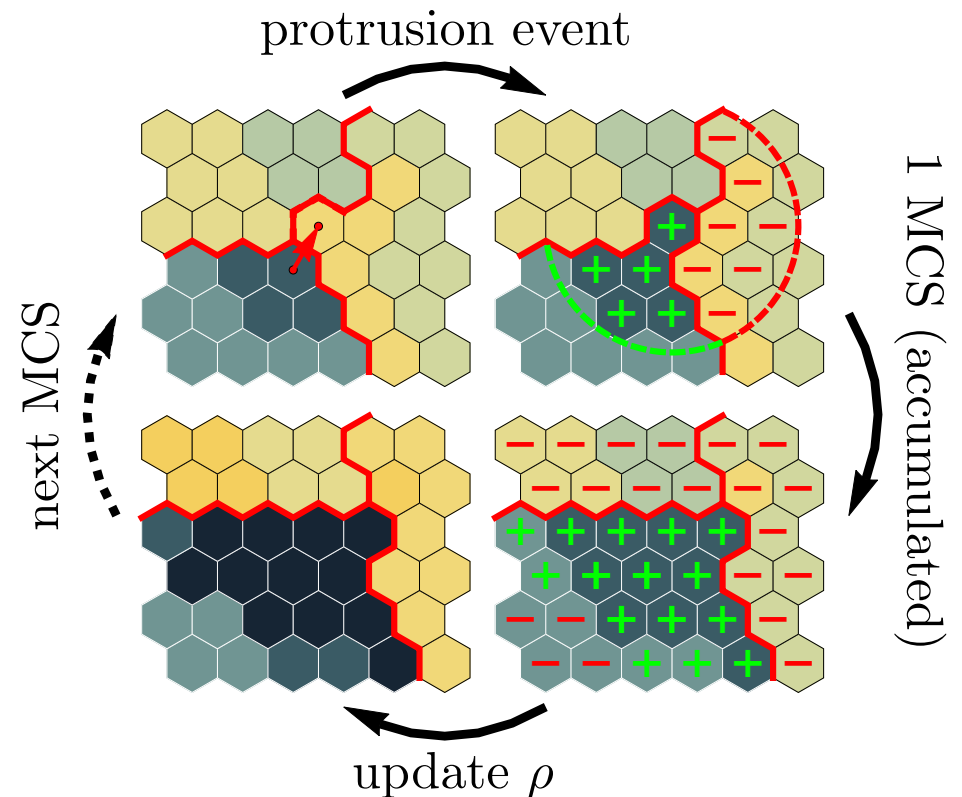
regulatory factors $\vec{F}(\mathbf{x}_n)$ used to update $\rho(\mathbf{x}_n)$
with a radius R

scalar field $\rho(\mathbf{x}_n)$ represents overall density of
force-generating cytoskeletal structures (Actin)

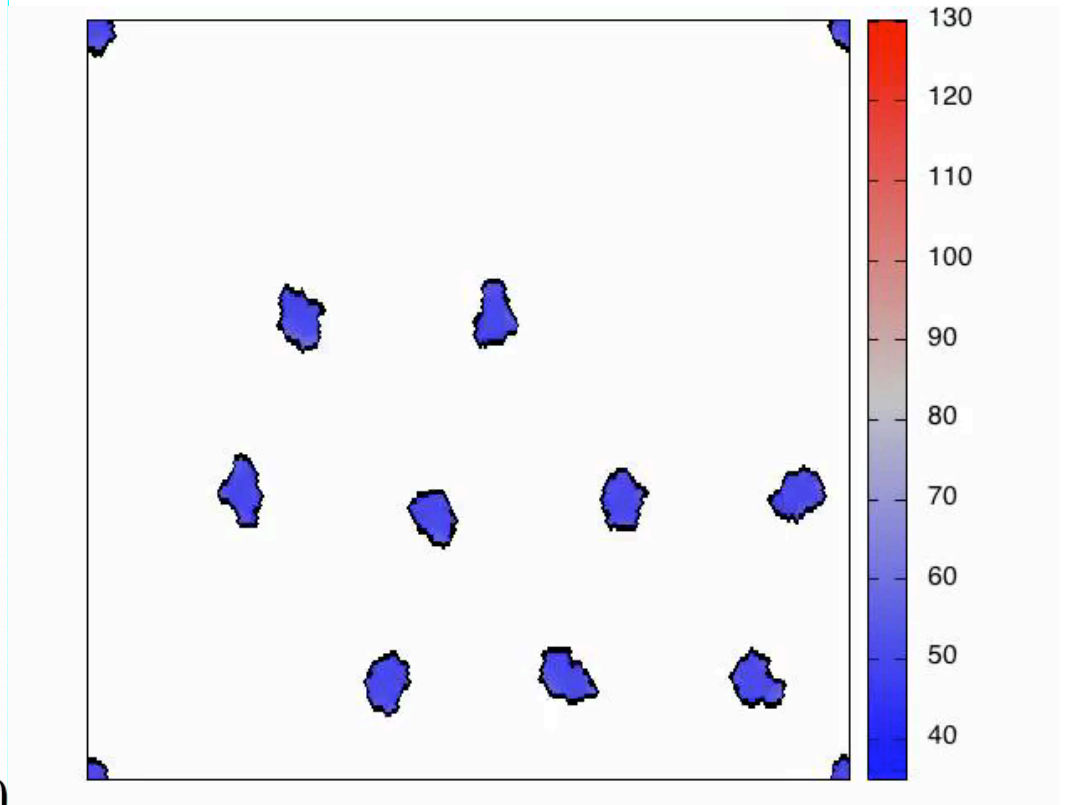
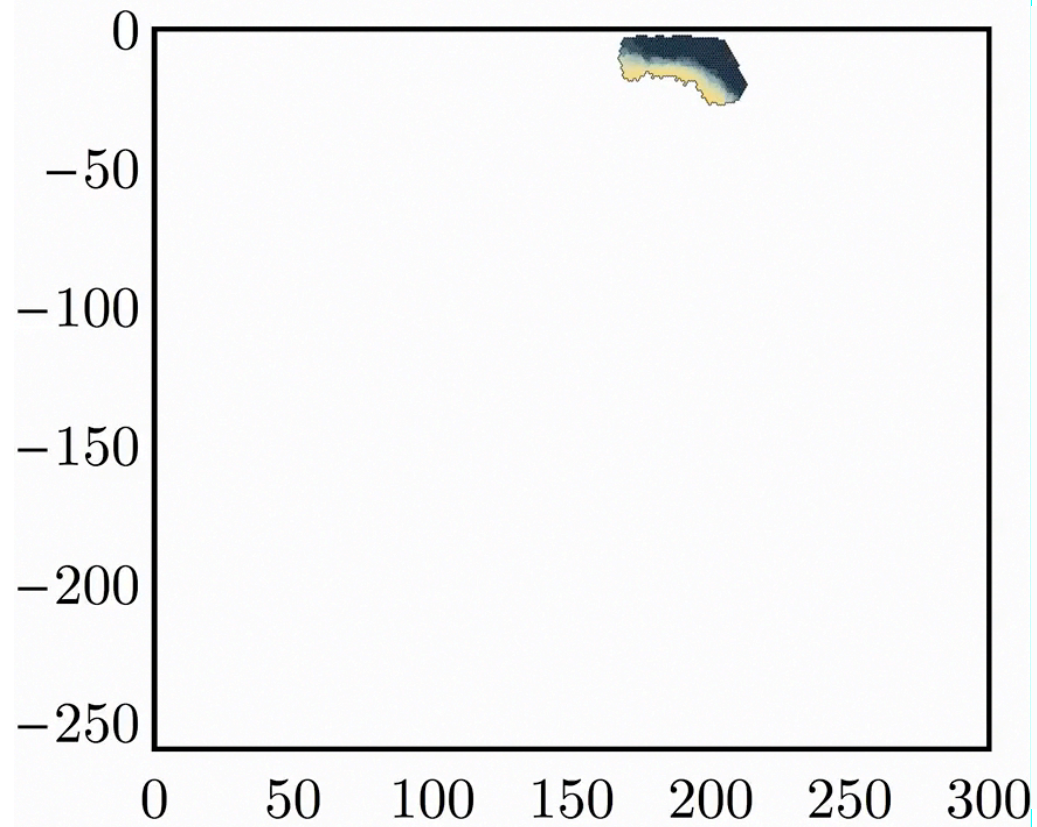
scalar field variable $\phi(\mathbf{x}_n)$ accounts for
spatial variations of substrate

$\phi(\mathbf{x}_n)$

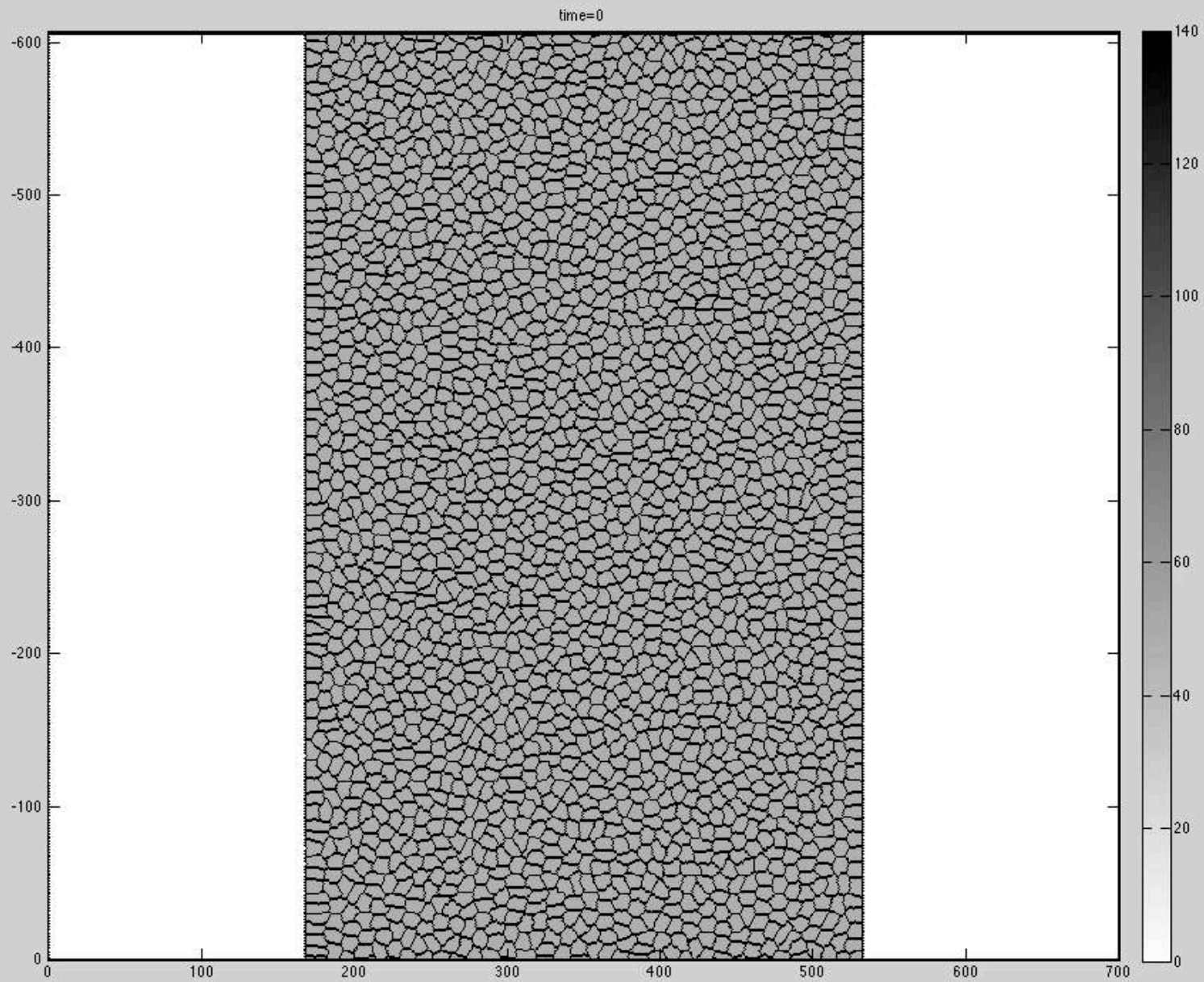
adhesion



From single cell migration to collective dynamics

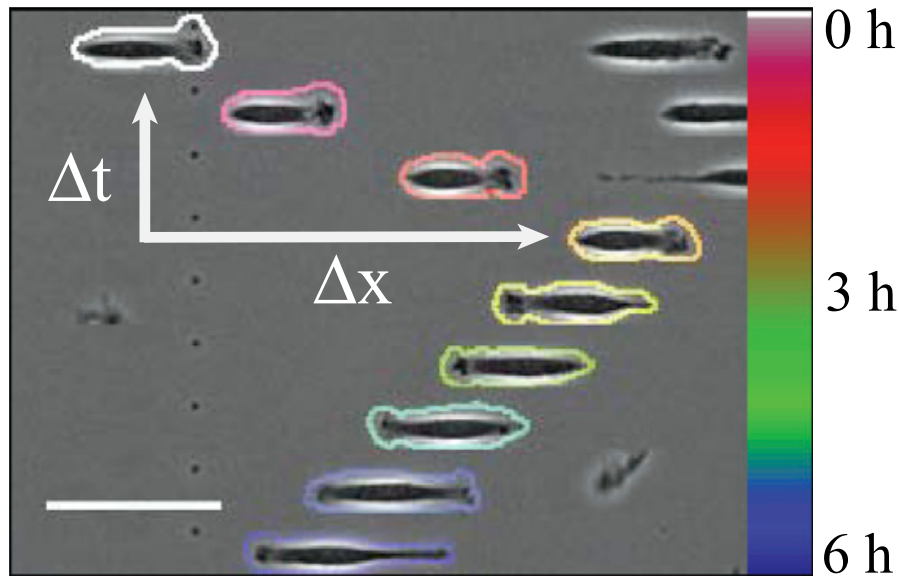


Tissue level - dynamics



Micropattern as standardized platforms:

„The first world cell race“



persistent random walk
analysis:

mean-squared displacement
(MSD)

$$\langle \delta(\tau)^2 \rangle = 2t_p v^2 (\tau - t_p (1 - \exp(-\tau/t_p)))$$

characteristic speed: v (describes deterministic motion)

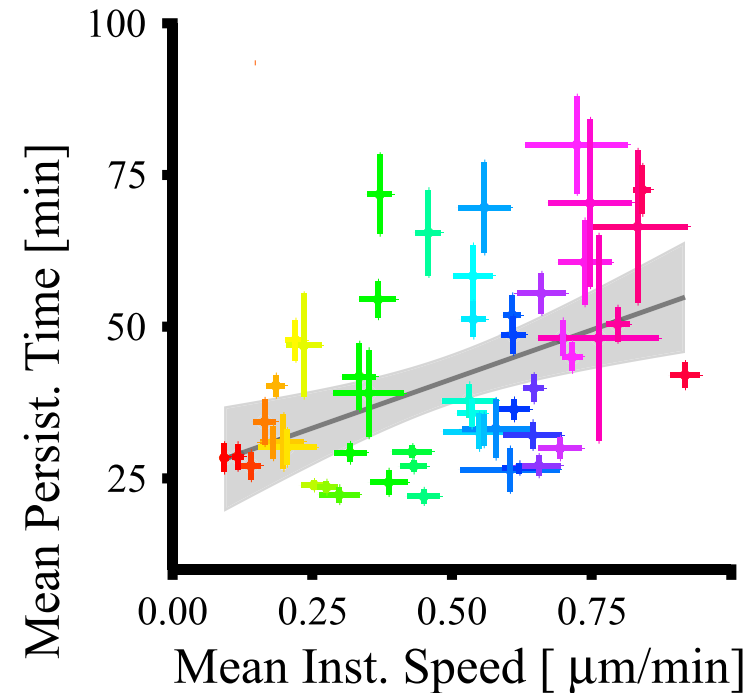
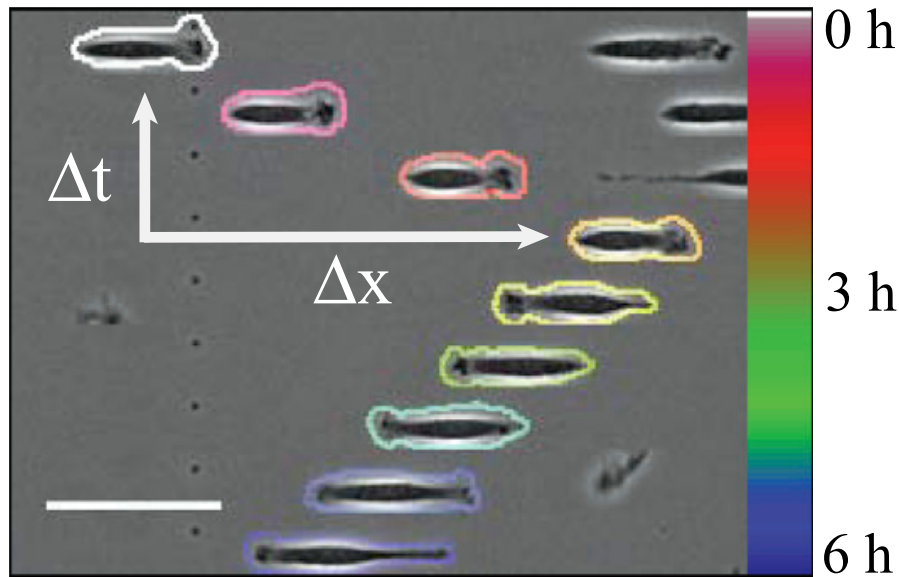
persistence time: t_p (describes randomness, noise)

Maiuri, P. et al. (2012). *Curr. Biol.* 22, R673–R675.

Maiuri et al., 2015, *Cell* 161, 374–386

Micropattern as standardized platforms:

„The first world cell race“

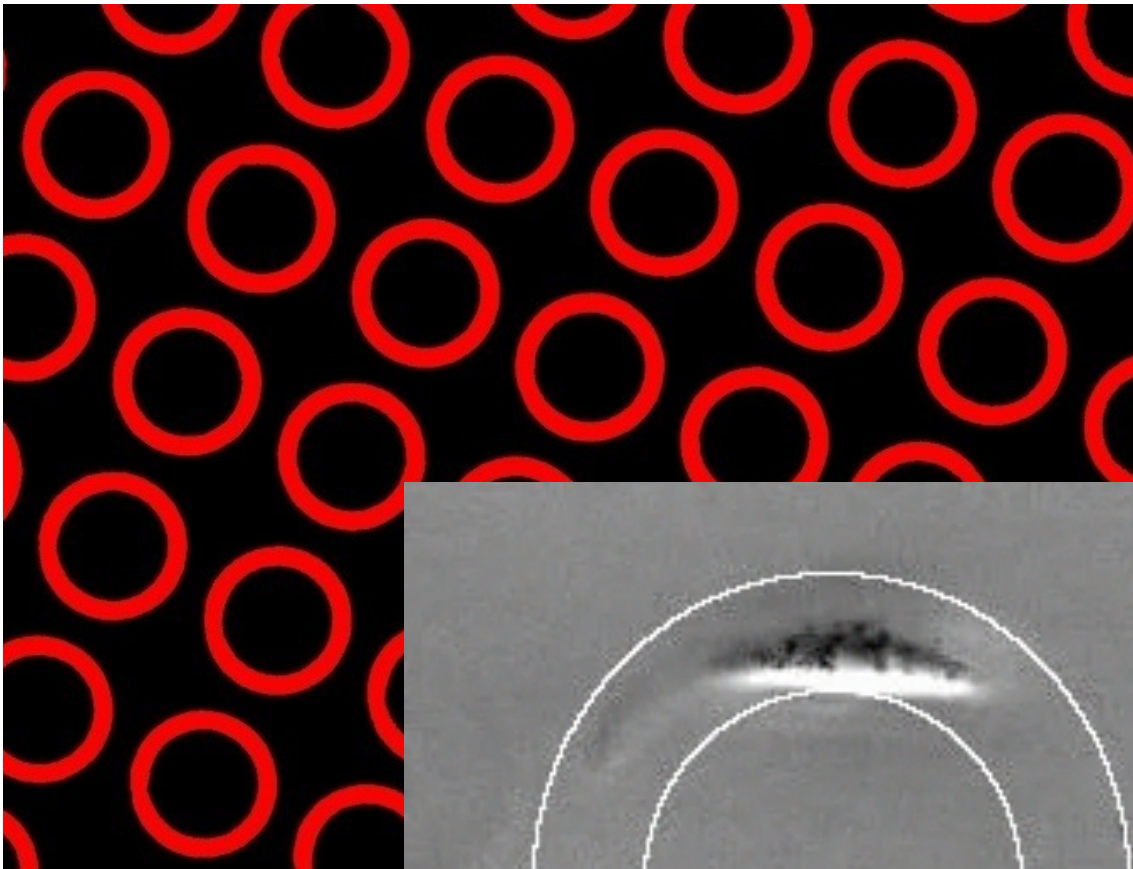


universal scaling
cell speed and cell persistence

$$\tau \propto e^{\lambda \cdot v}$$

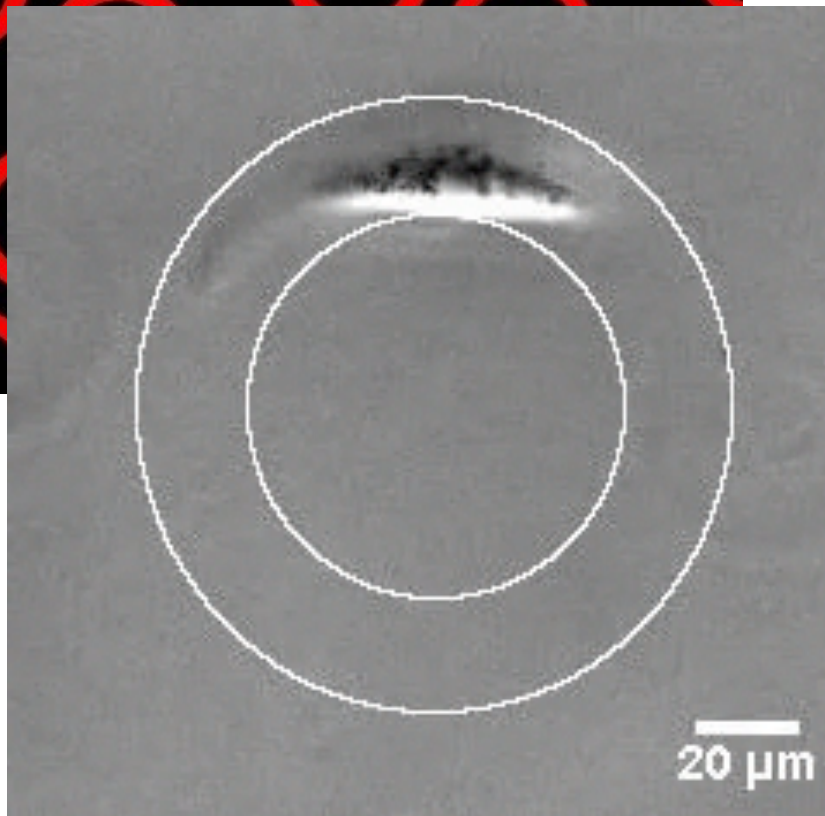
Maiuri, P. et al. (2012). *Curr. Biol.* 22, R673–R675.
Maiuri et al., 2015, *Cell* 161, 374–386

Single cell migration on ring shaped structures



fibronectin coated
ring pattern (μ CP)
in PEG-PLL

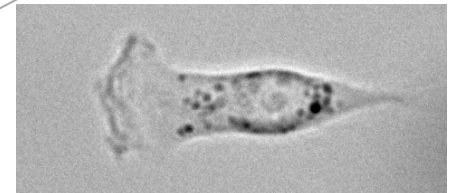
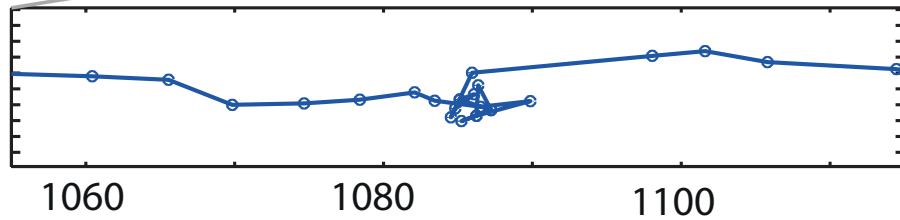
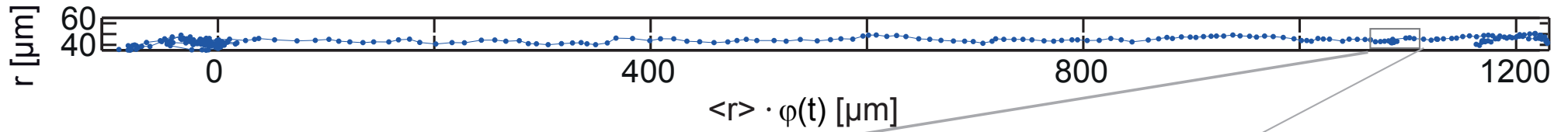
radius $50 \mu\text{m}$ / width $20 \mu\text{m}$



breast cancer
cell line
MDA-MB-436

*Chr Schreiber, F.J. Seegerer,
E.Wagner, A. Roidl & J.Rädler
Sci Reports 6 (2016): 26858.*

Choice of migration models

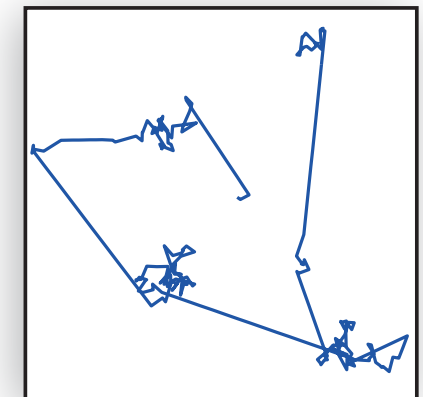
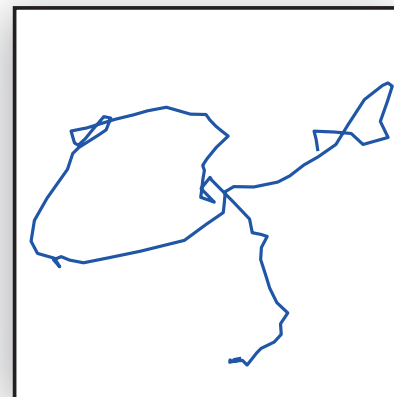
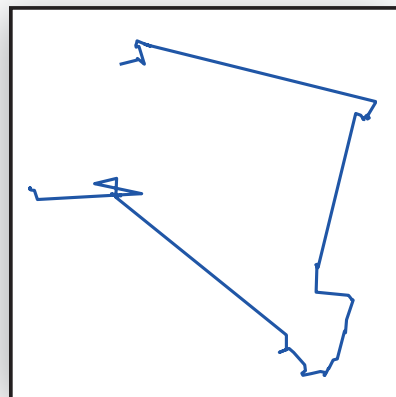
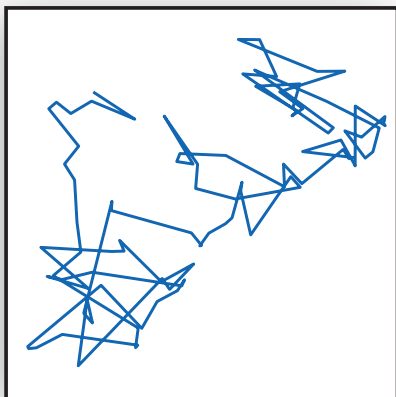


Random walk

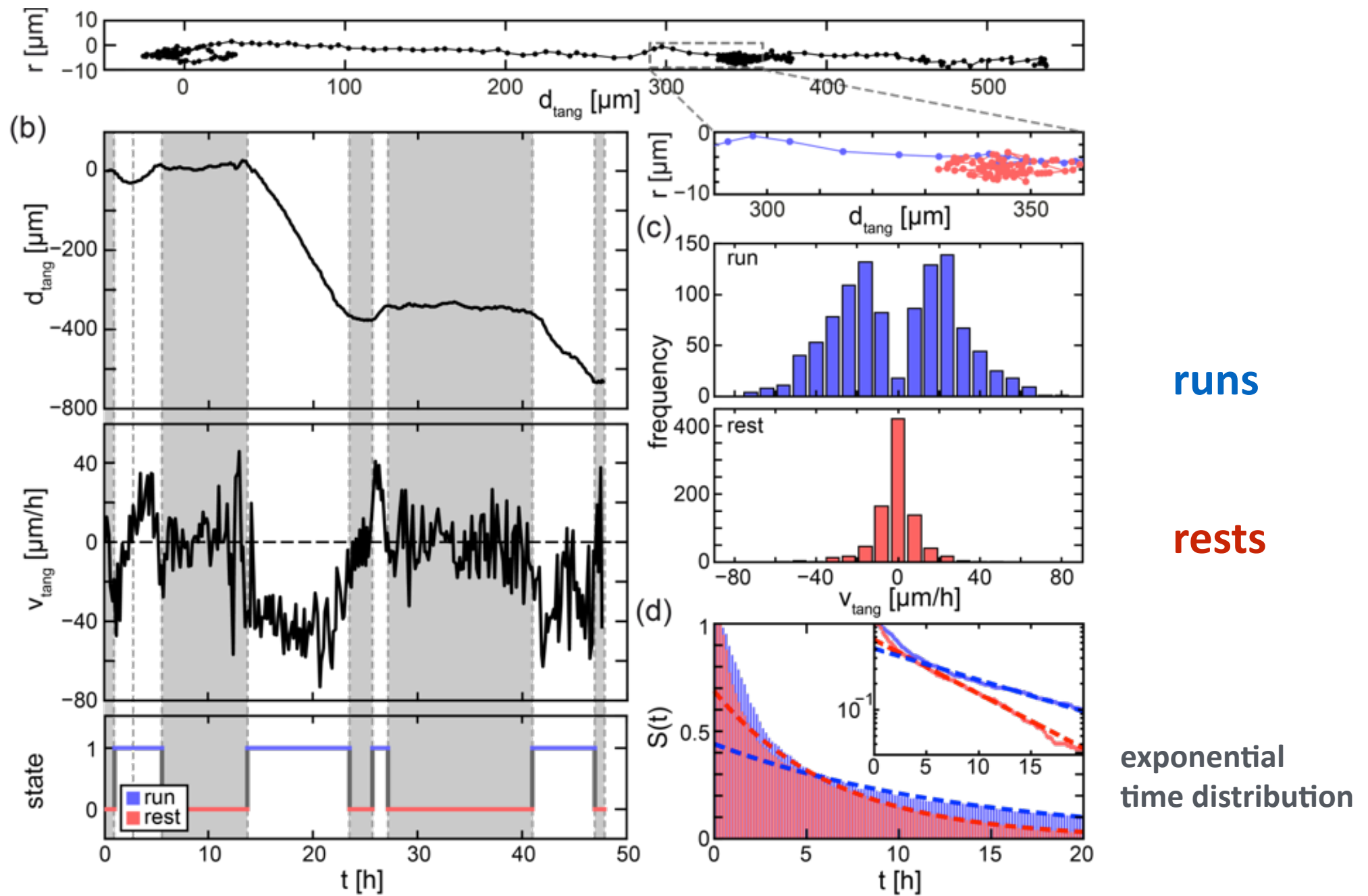
Lévy walk

Persistent random walk

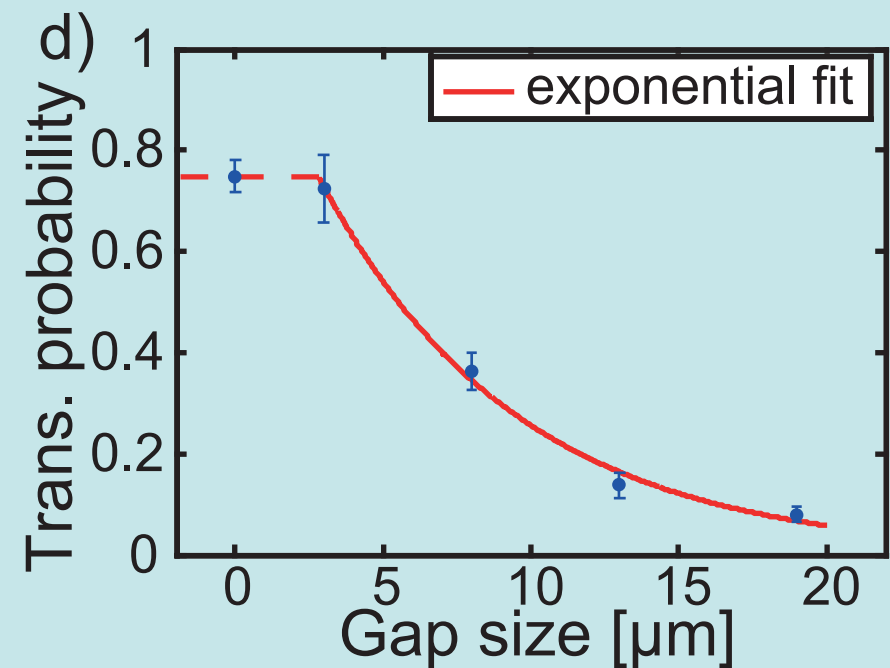
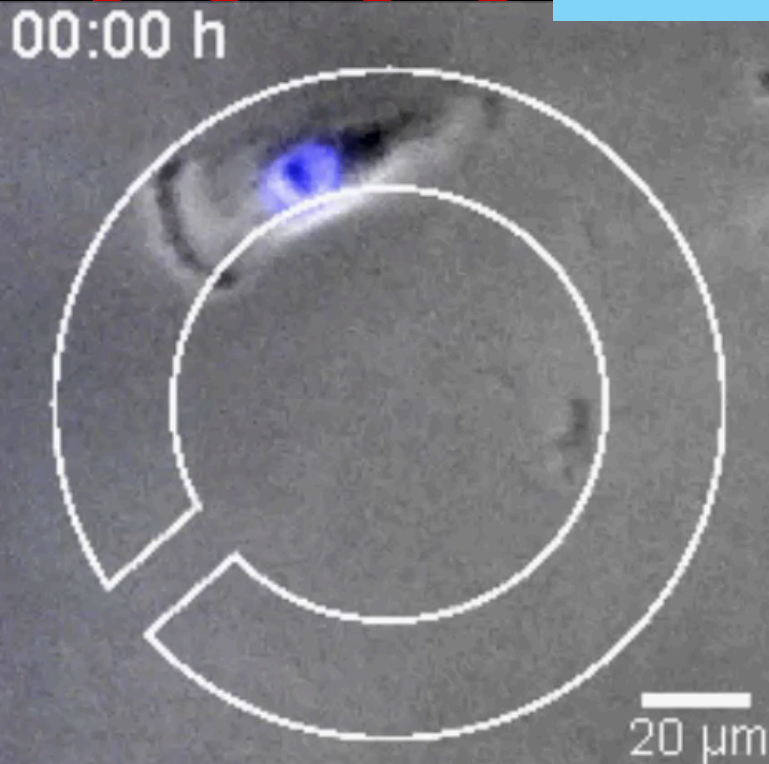
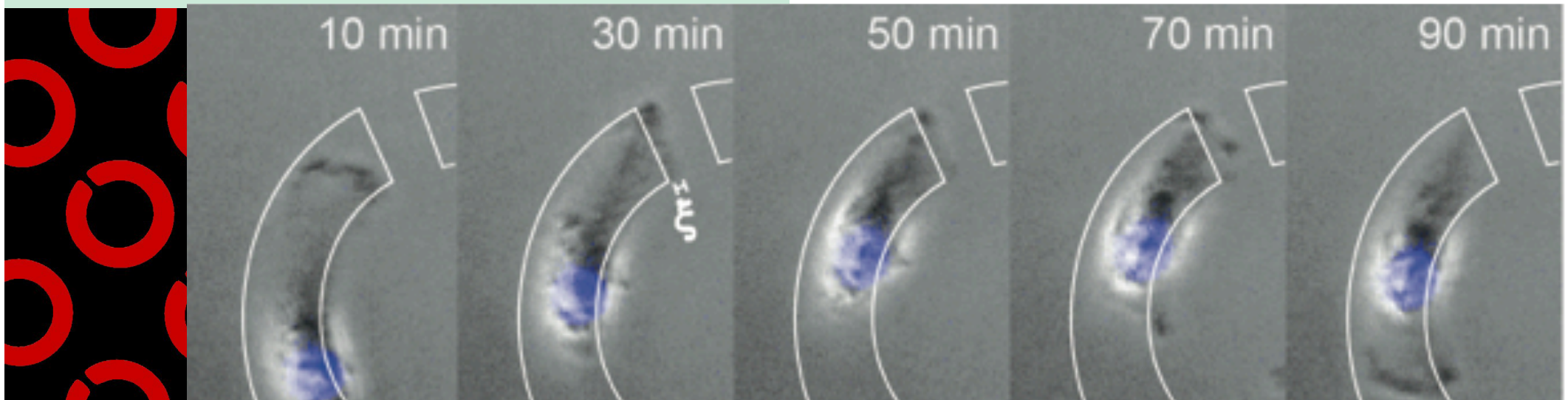
Two state motion



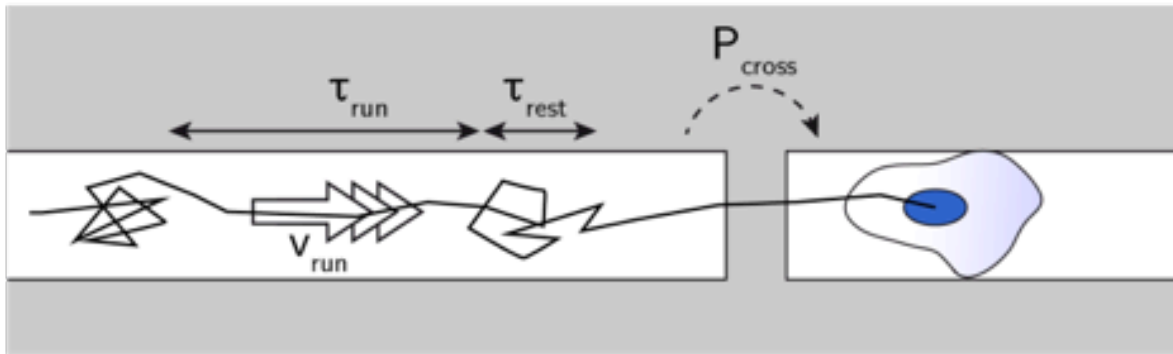
Two-state migration model



Transit probability at chemical barriers



Multiparameter motility phenotyping

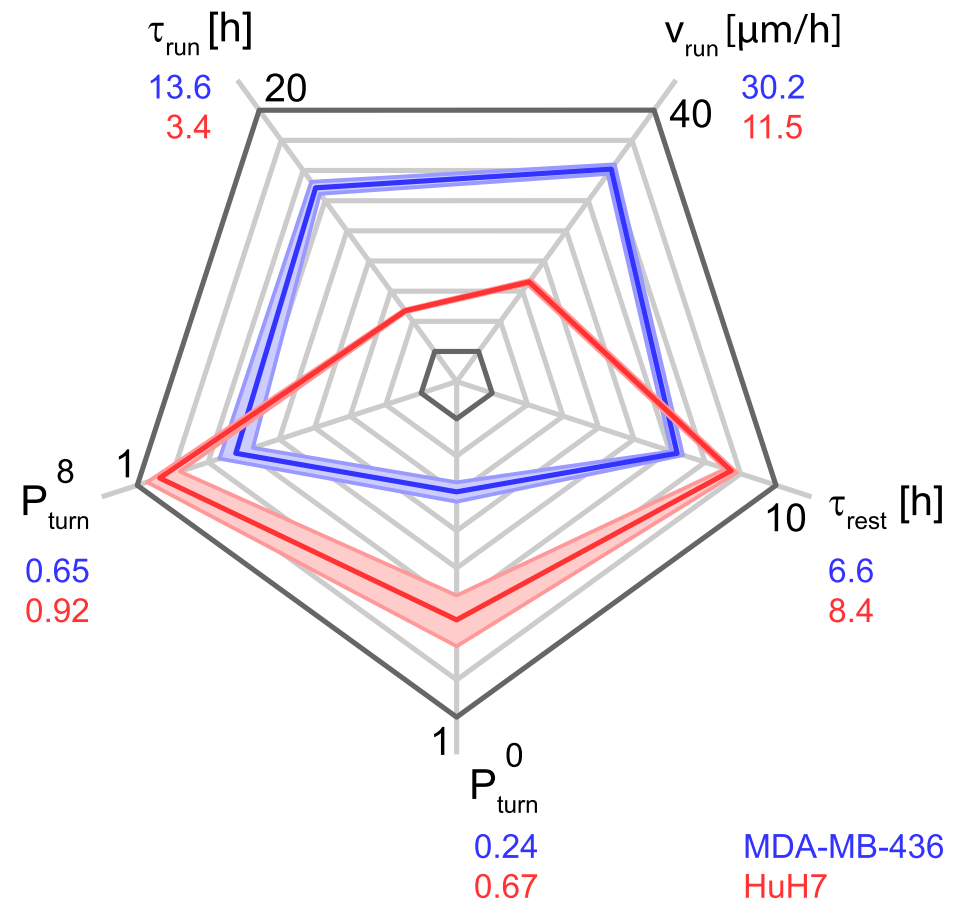


run persistence time, τ_{run} :
 rest persistence time, τ_{rest} :
 run velocity, v_{run} :
 reversal probability, $P_{\text{turn}}^{\text{d}_{\text{gap}}}$,

breast cancer cell line
 MDA-MB-436
 (mesenchymal phenotype)

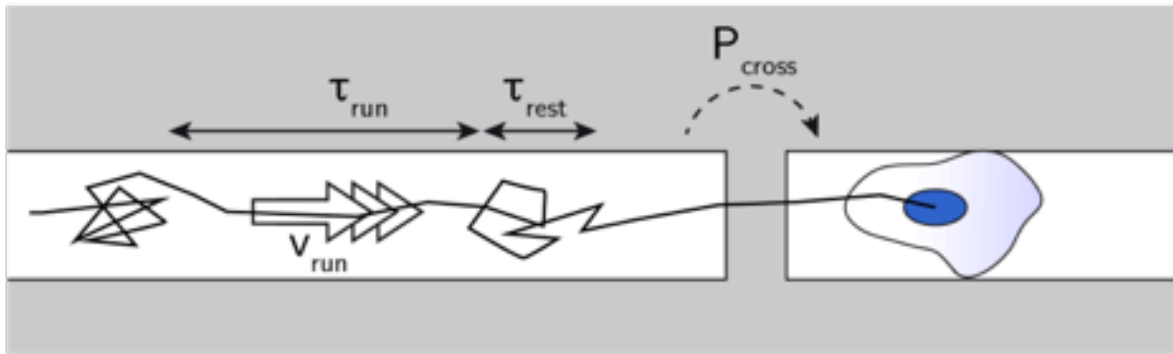
Huh7 hepato cellular
 carcinoma cells

cell lines cells differ
 => „migratory fingerprint“



MDA-MB-436
 HuH7

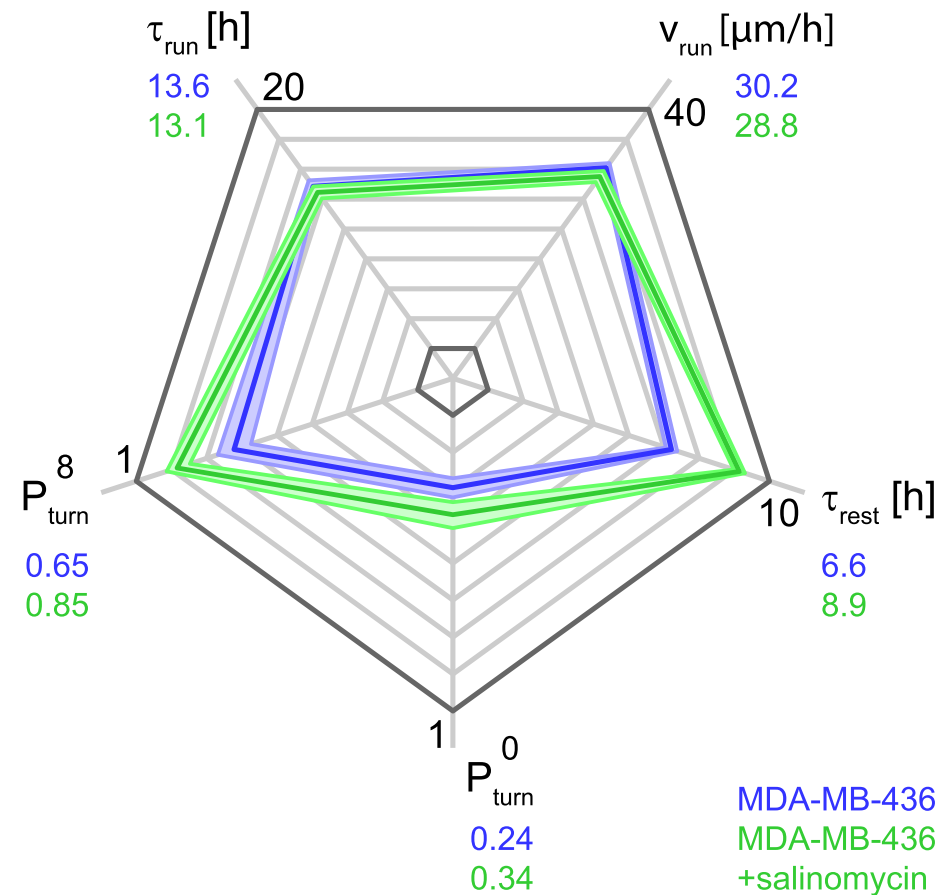
Multiparameter motility phenotyping



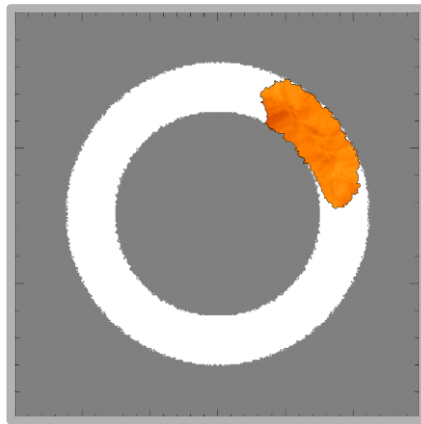
run persistence time, τ_{run} :
 rest persistence time, τ_{rest} :
 run velocity, v_{run} :
 reversal probability, $P_{\text{turn}}^{\text{d}_{\text{gap}}}$,

breast cancer cell line
 MDA-MB-436
 (mesenchymal phenotype)

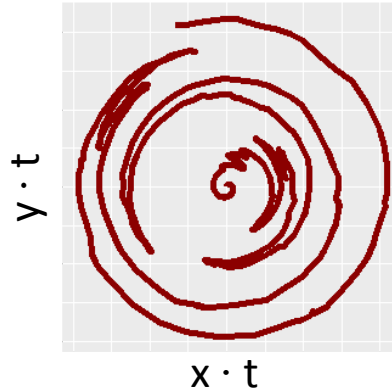
Salinomycin affects
 rest time and crossing probability,
 but not velocity and run-times



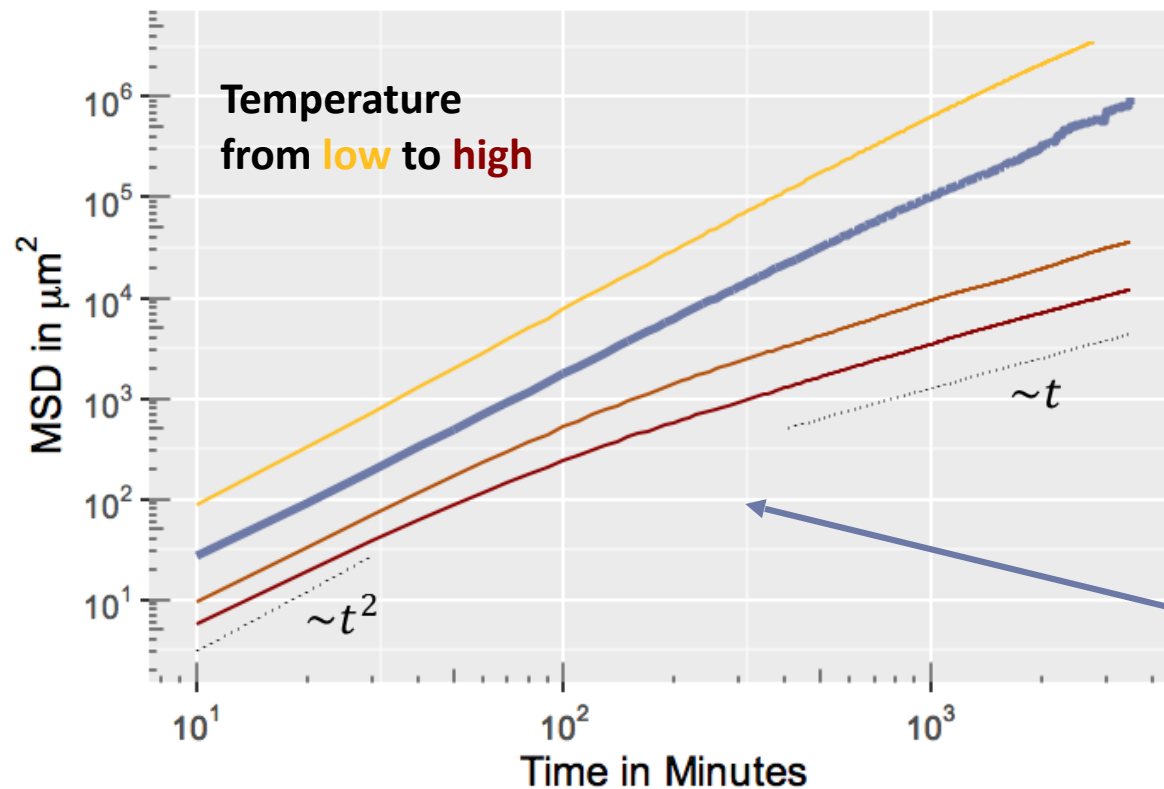
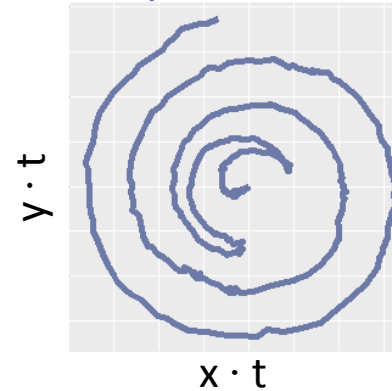
Motility Parameters: Mean Square Displacement



Simulation



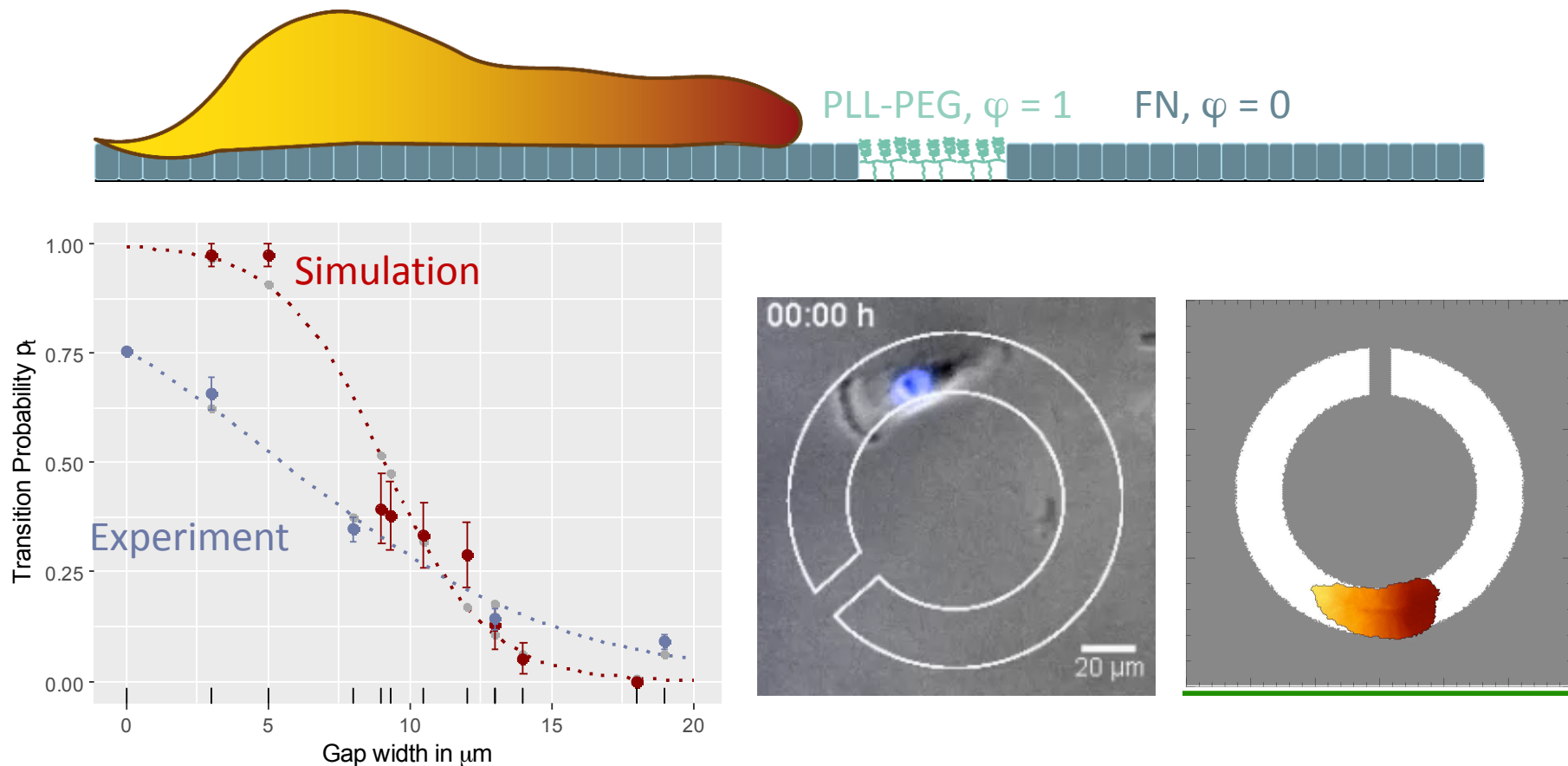
Experiment



effective temperature changes migration from ballistic to persistent random walk

Persistent random walk: Exponential Crossover

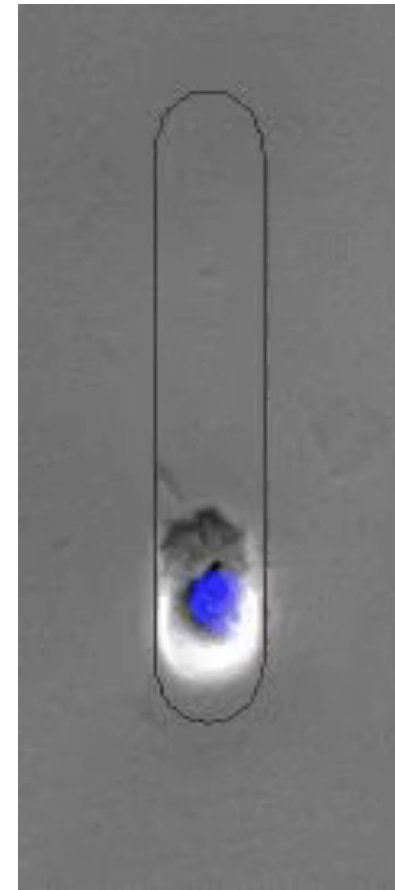
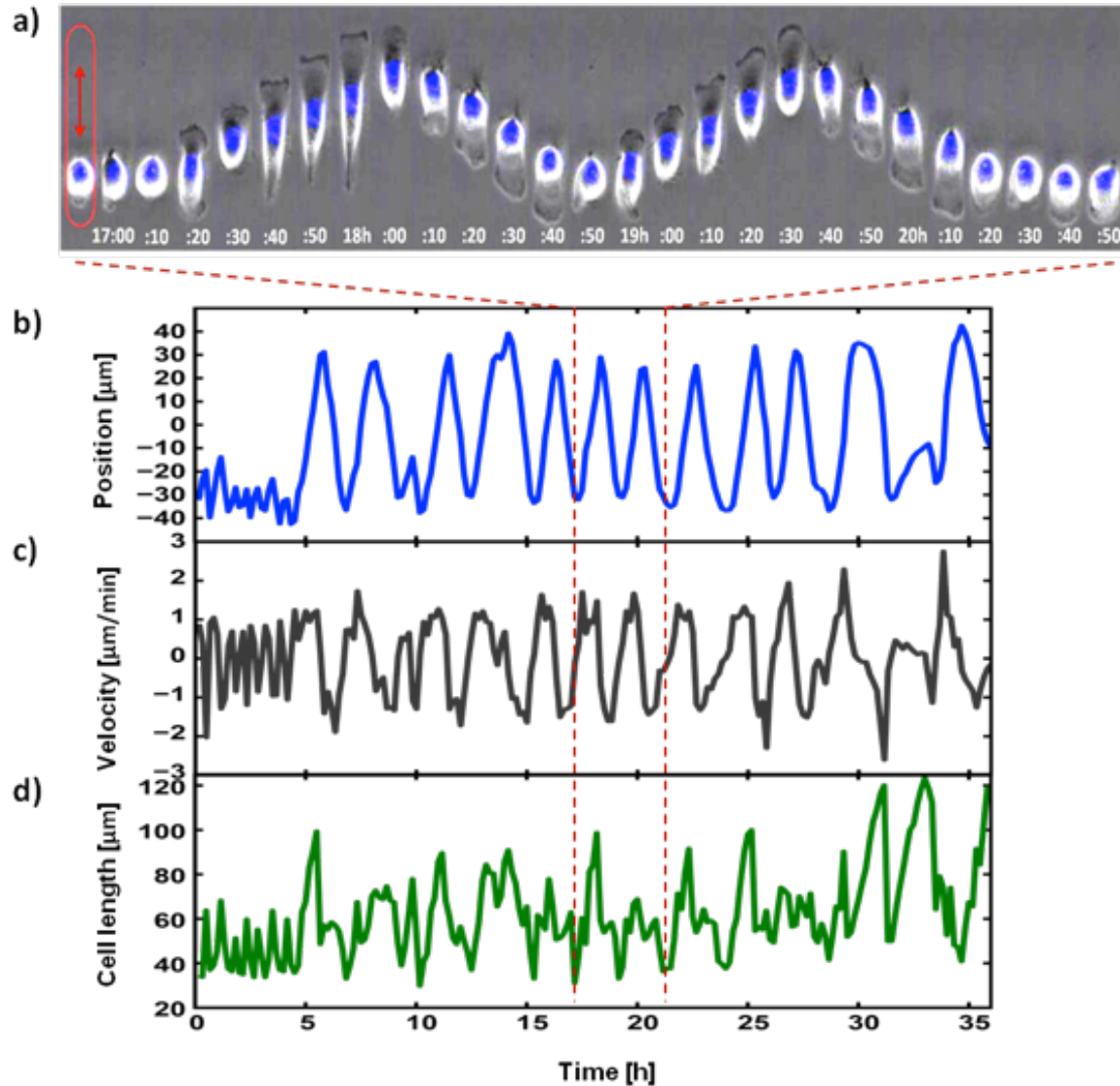
Adhesion Parameters: Affinity barriers



The PLL-PEG level φ describes the energy penalty for invading passivated grid sites.

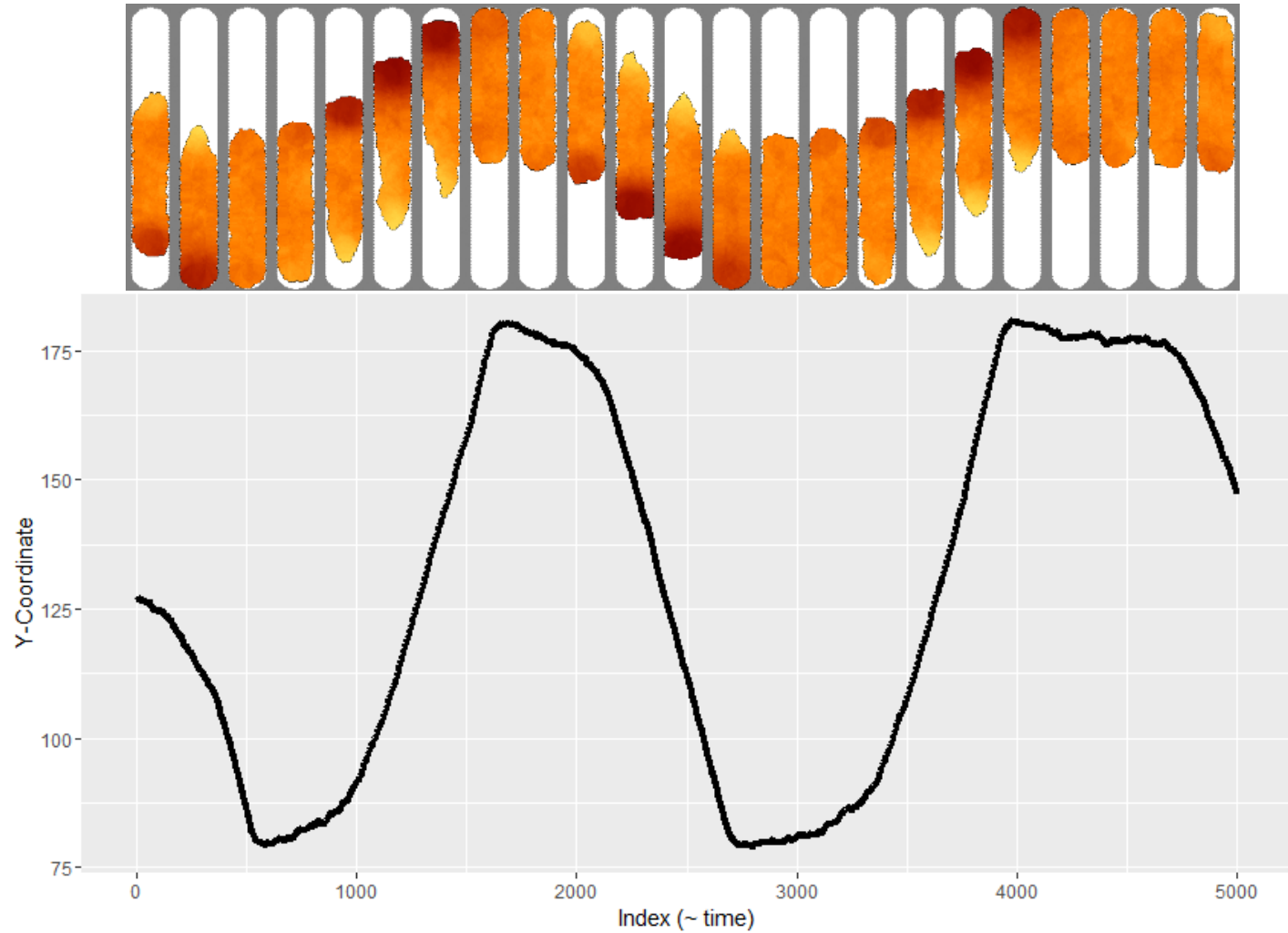
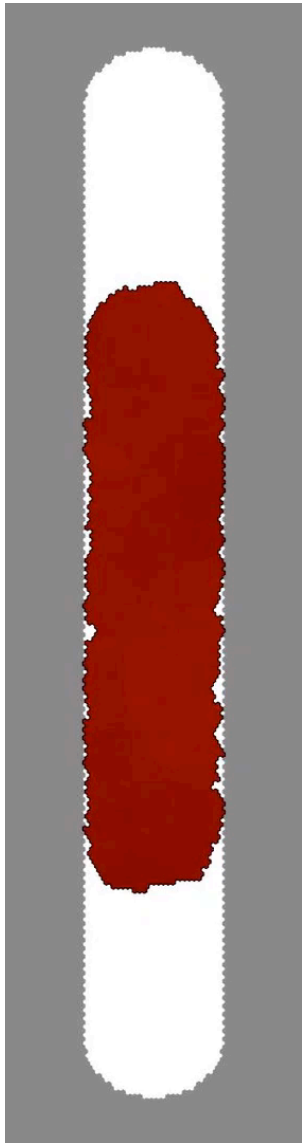
The transition probability drops for increasing gap width.

Pol-to-pol migration in finite slits



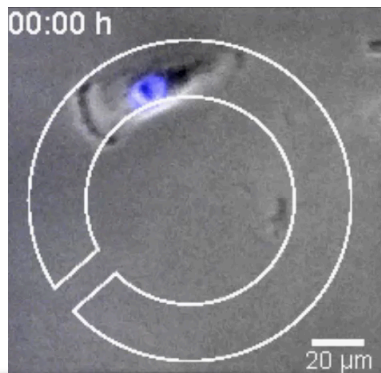
MDA-MB-231
human breast carcinoma

CPM simulation of pol-to-pol migration



Single cell migration - spatiotemporal decisions

1D-Random walk with barrier



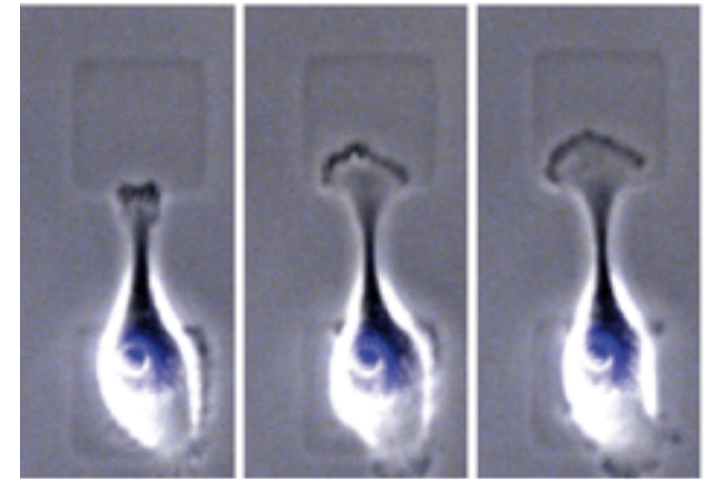
Christoph Schreiber
Sophia Schaffer
Fang Zhou

collaborators:
Ernst Wagner
Andreas Roidl
Erwin Frey
Florian Thürhoff
Andriy Goychuk

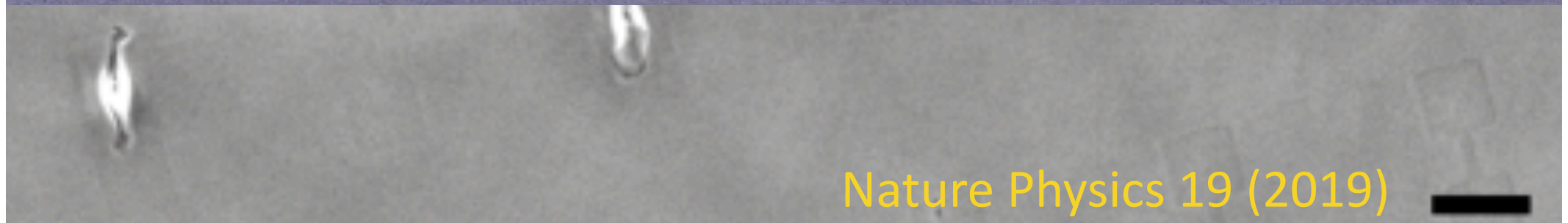
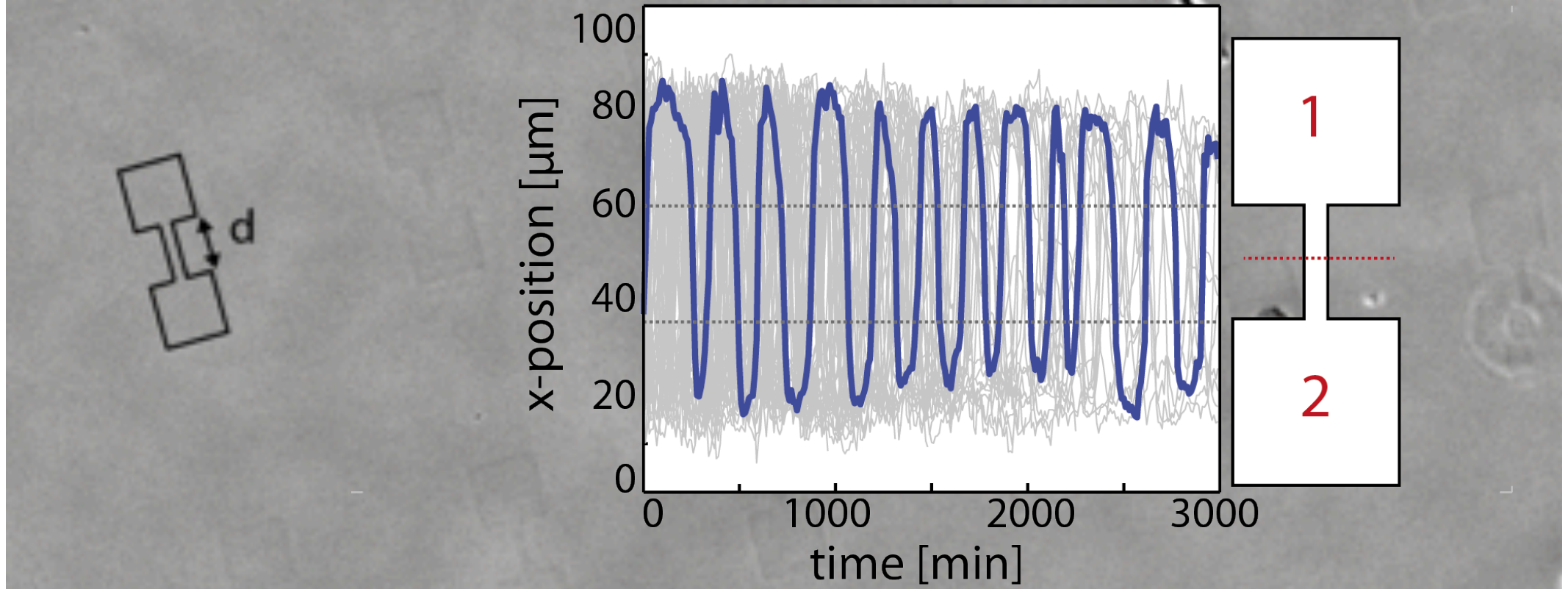
Two-State-System

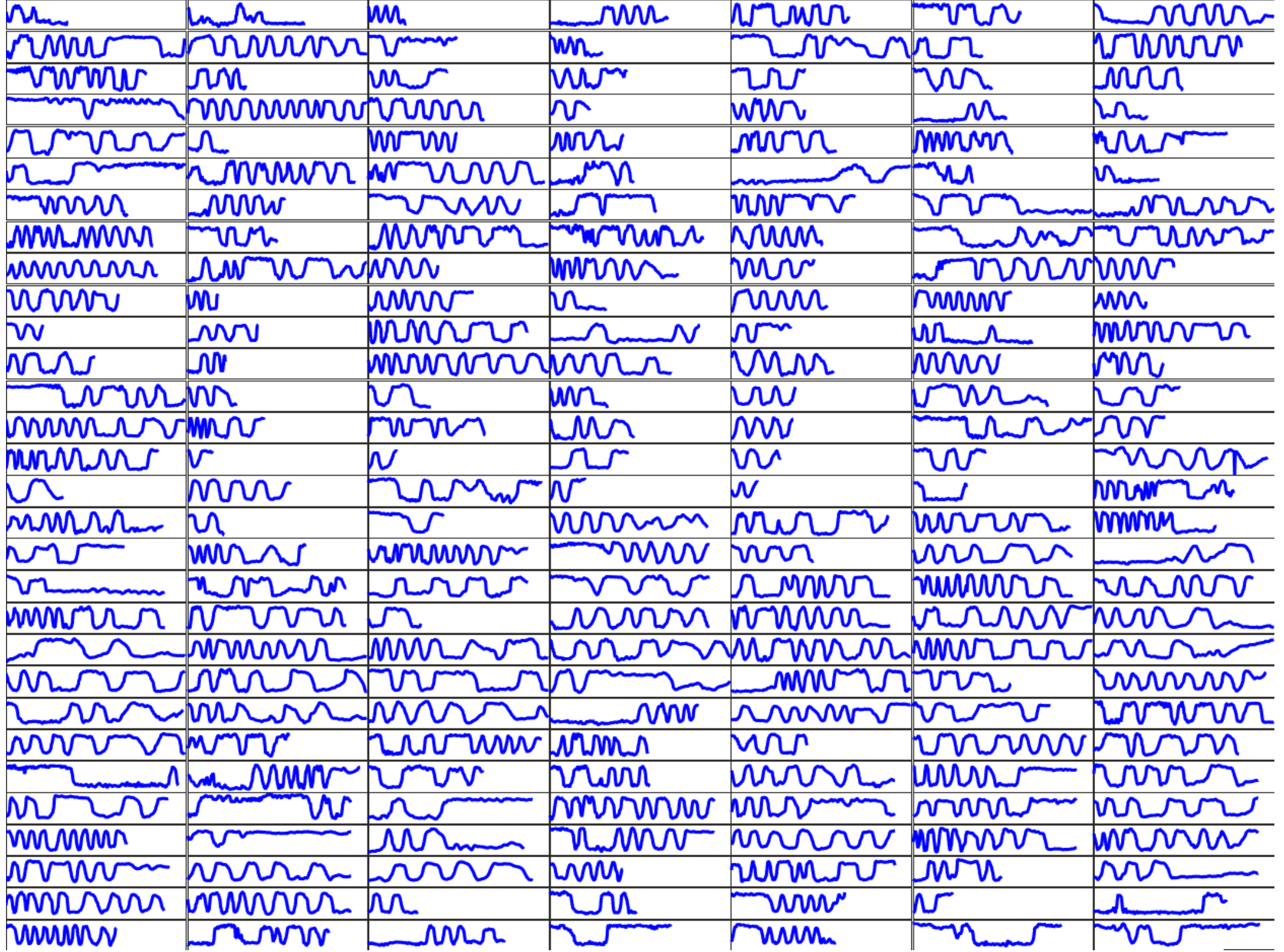


Alexandra Fink
Peter Röttgermann
Christoph Schreiber

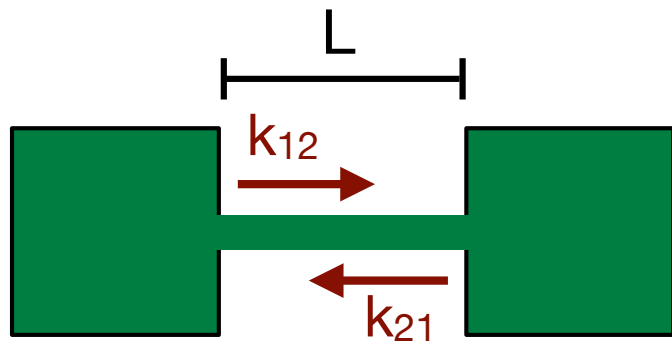


David Brückner & Chase Broedersz





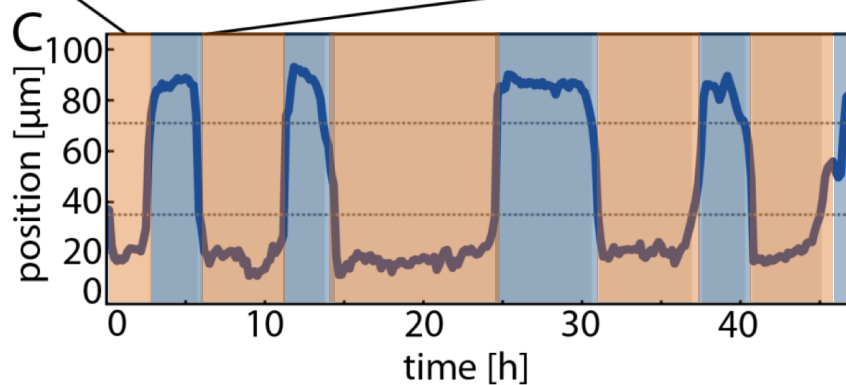
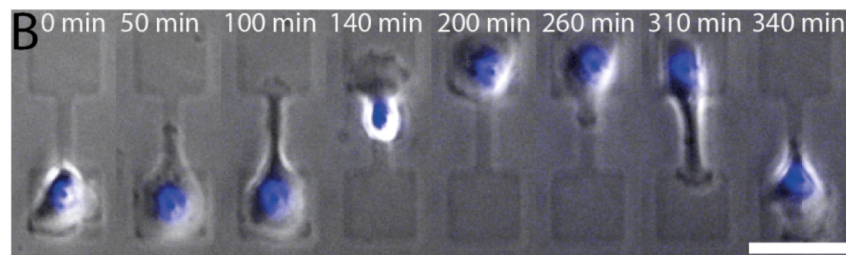
Cell migration in a two-state systems



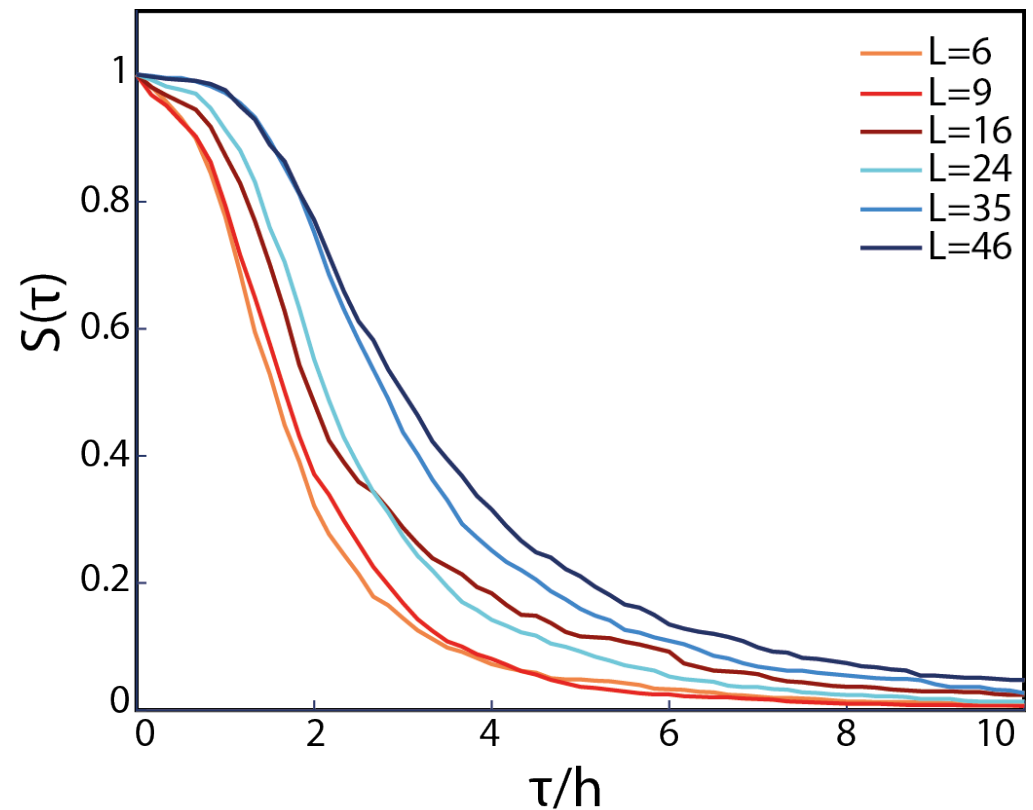
survival function for various channel lengths

\Rightarrow

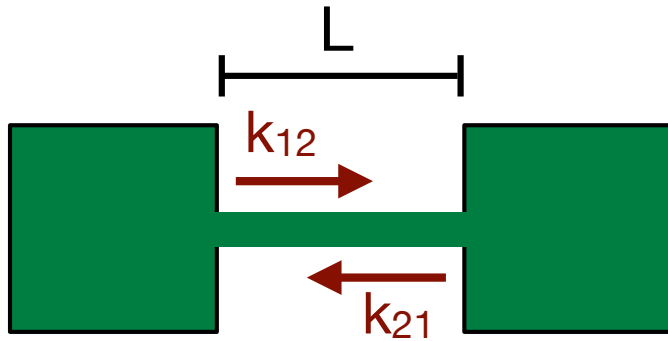
average escape times: $\langle \tau \rangle$
increases with channel length



MDA-MB-231 human breast carcinoma

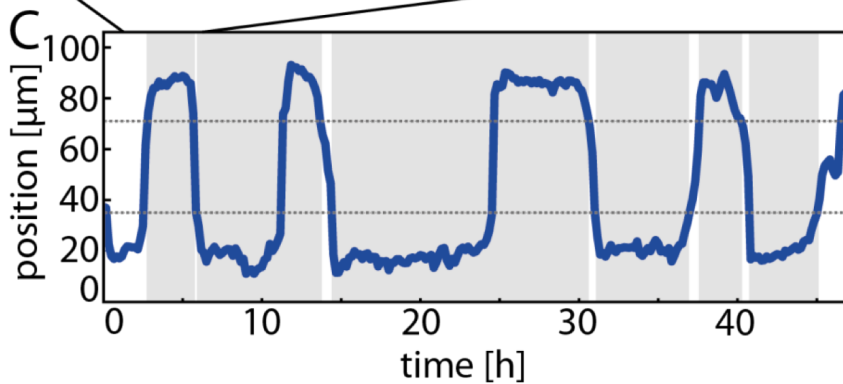
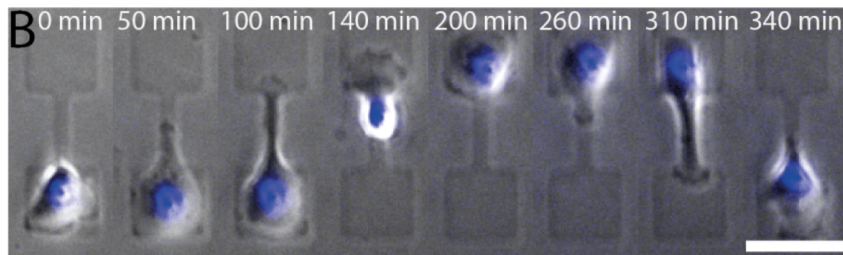


Cell migration in a two-state systems

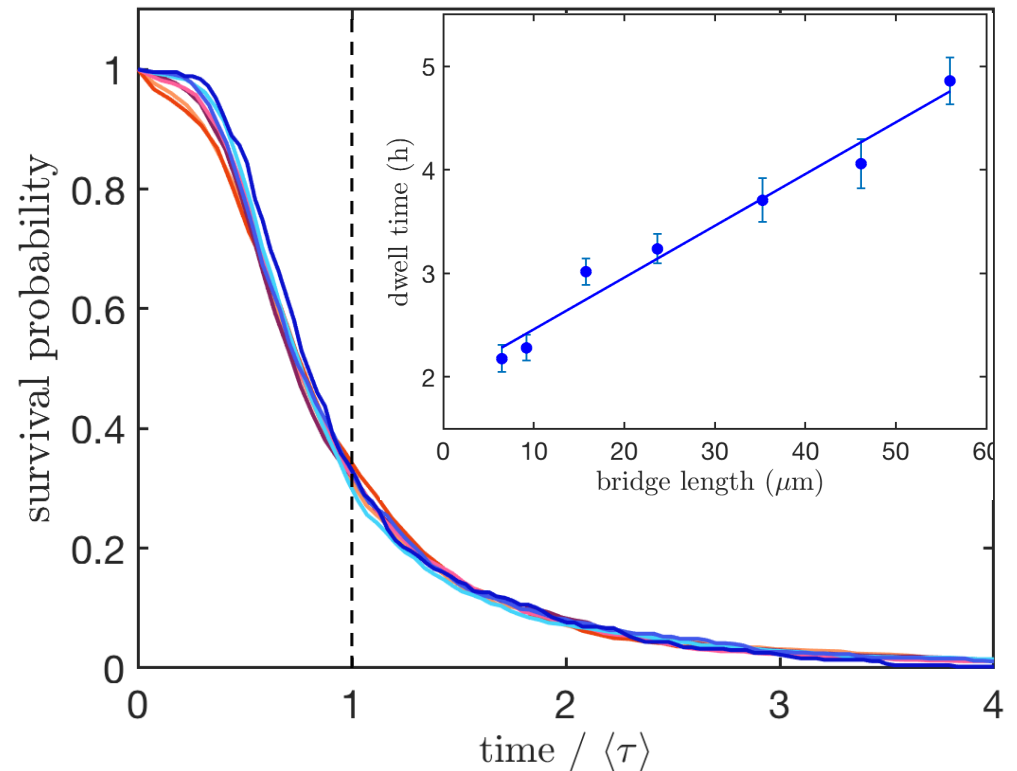


normalized escape time distribution
collapses on one master curve

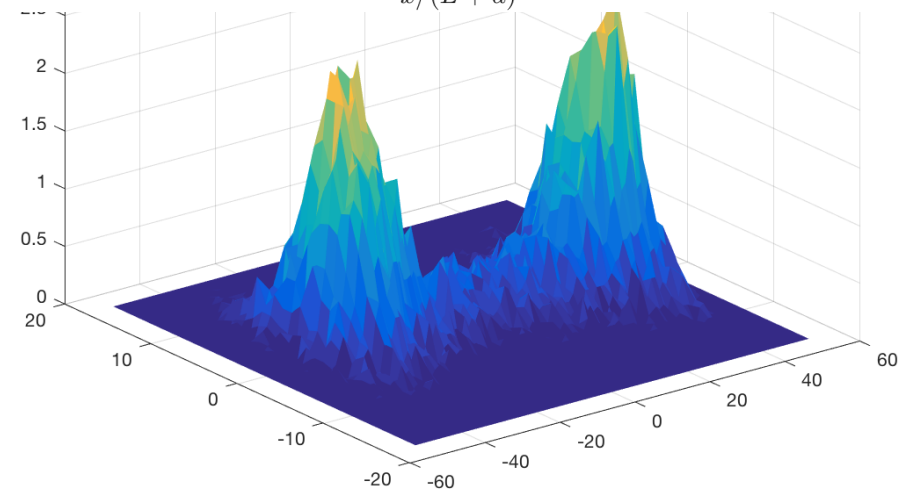
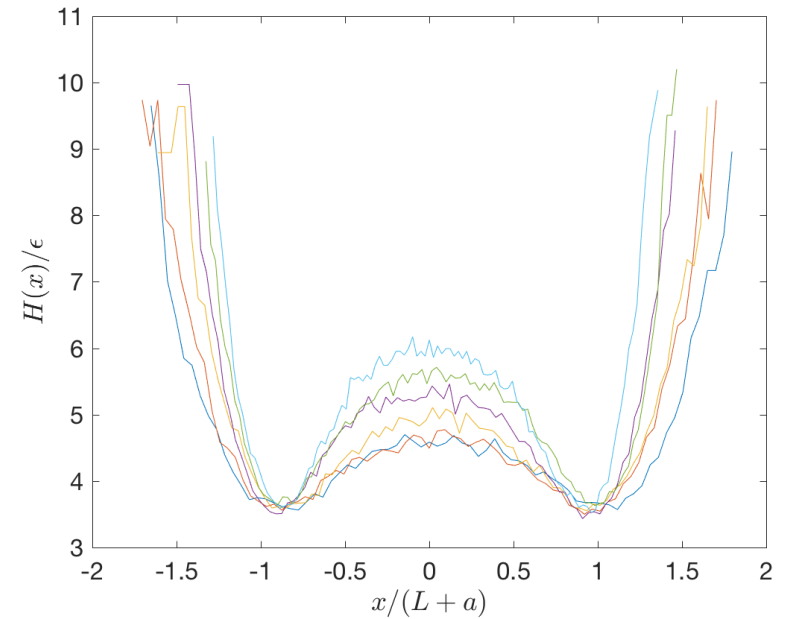
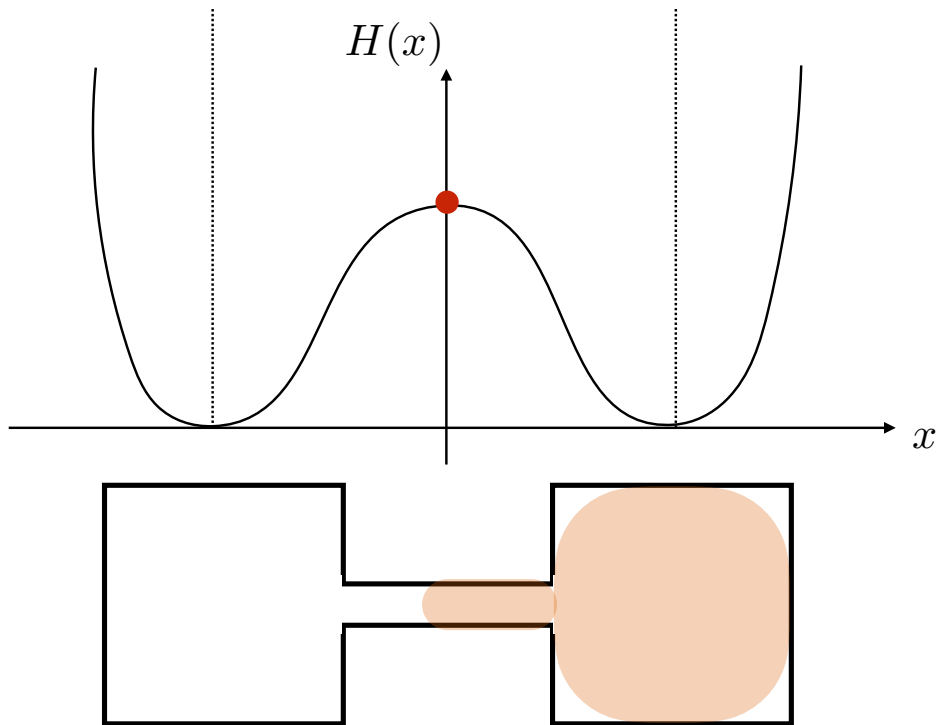
$$S(\tau) = f(\tau / \langle \tau \rangle)$$



MDA-MB-231 human breast carcinoma



Theory of active matter systems

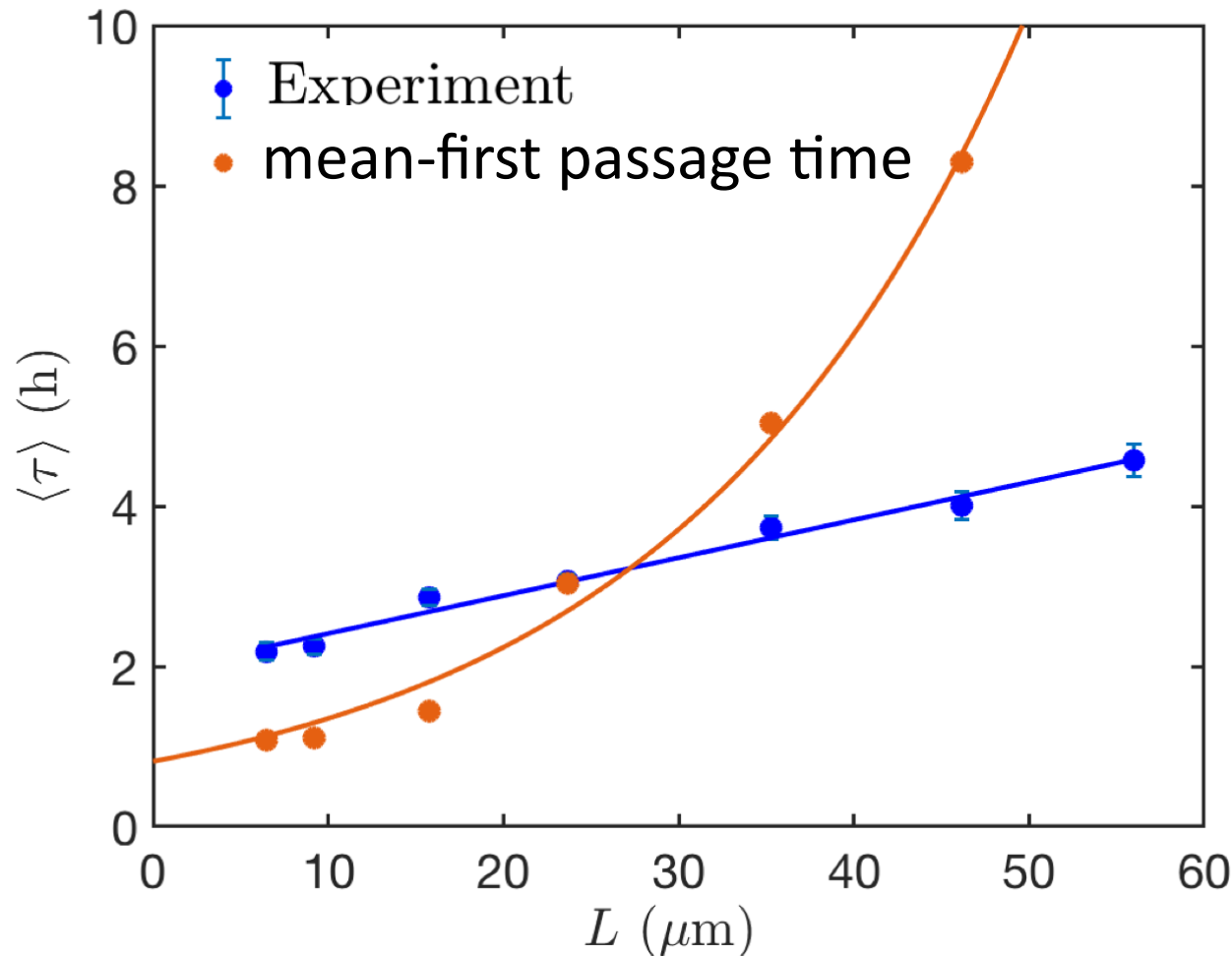


$$\dot{x} = -\underbrace{\partial_x H(x)}_{\substack{\text{elastic energy} \\ \text{deterministic}}} + \underbrace{\epsilon \eta(t)}_{\substack{\text{„active“ noise} \\ \text{random}}}$$

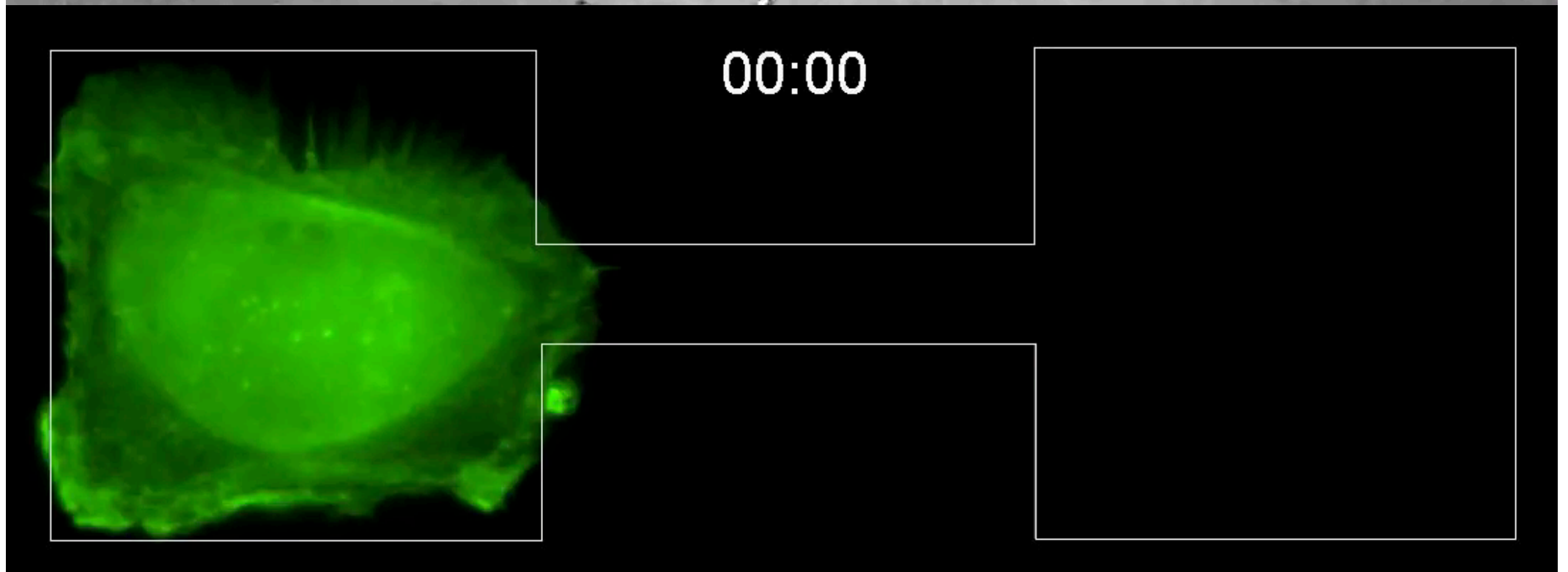
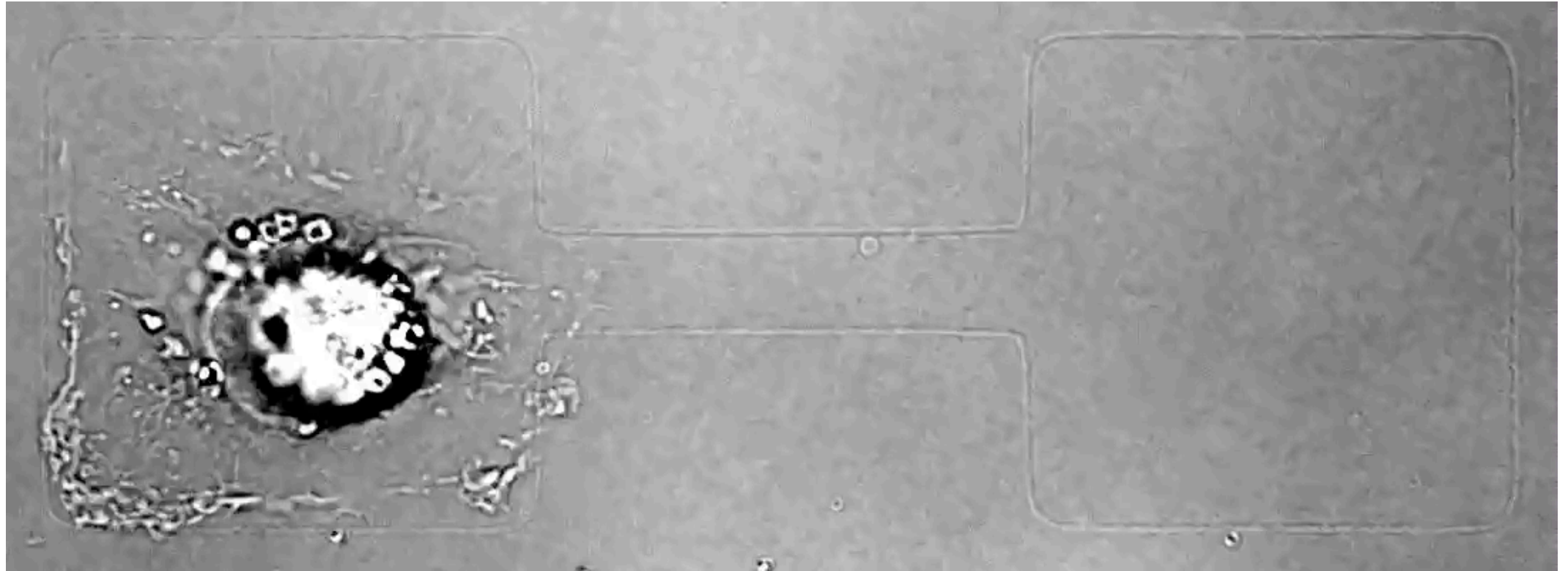
Theory of active matter systems

$$\langle \tau_L \rangle = \frac{1}{\sigma} \int_{x_0}^{x_r} dy \exp\left(\frac{V_L(y)}{\sigma}\right) \int_{x_l}^y dz \exp\left(-\frac{V_L(z)}{\sigma}\right)$$

Kramers expression for the transition rates



First order model fails to reproduce transition dynamics !



Inferred equation of motion for confined cell migration

Ansatz $\dot{v} = F(x, v) + \sigma(x, v)\eta(t)$

second-order Langevin equation:

acceleration = force + noise

$$\langle \eta(t)\eta(t') \rangle = \delta(t - t')$$

white noise condition

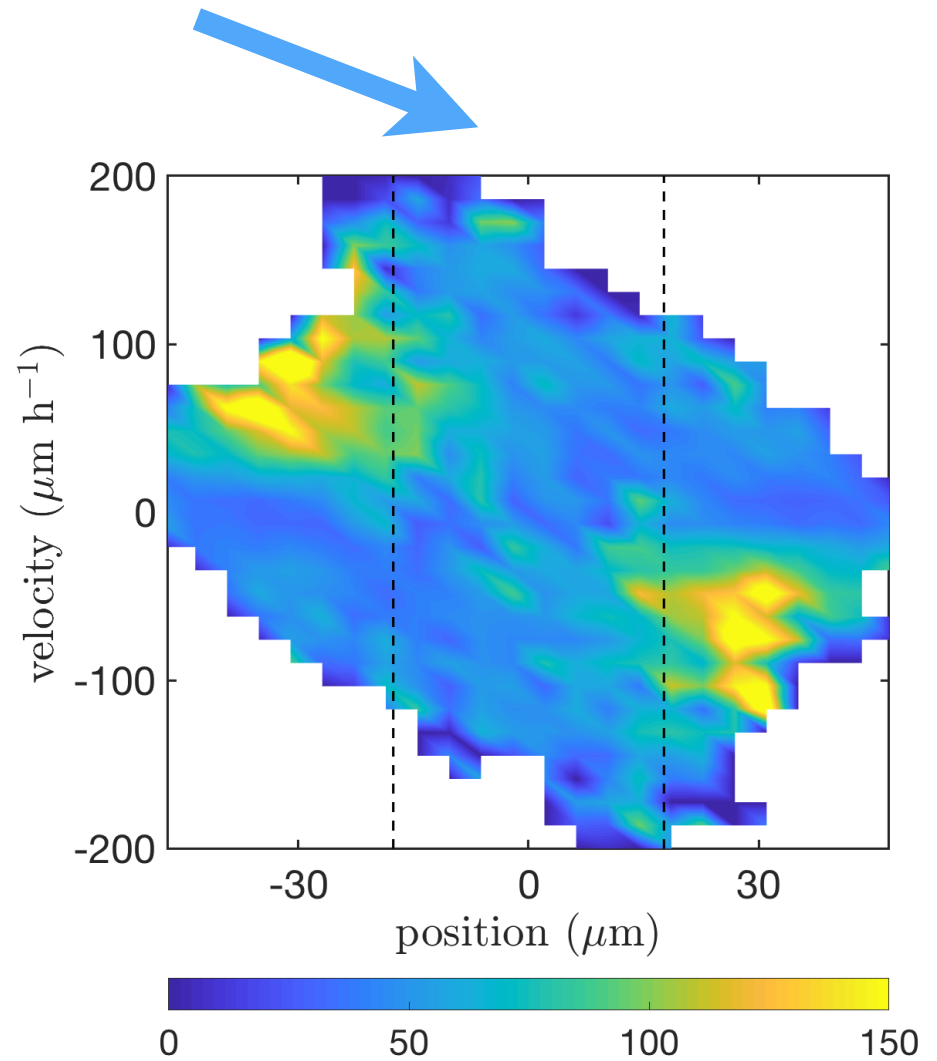
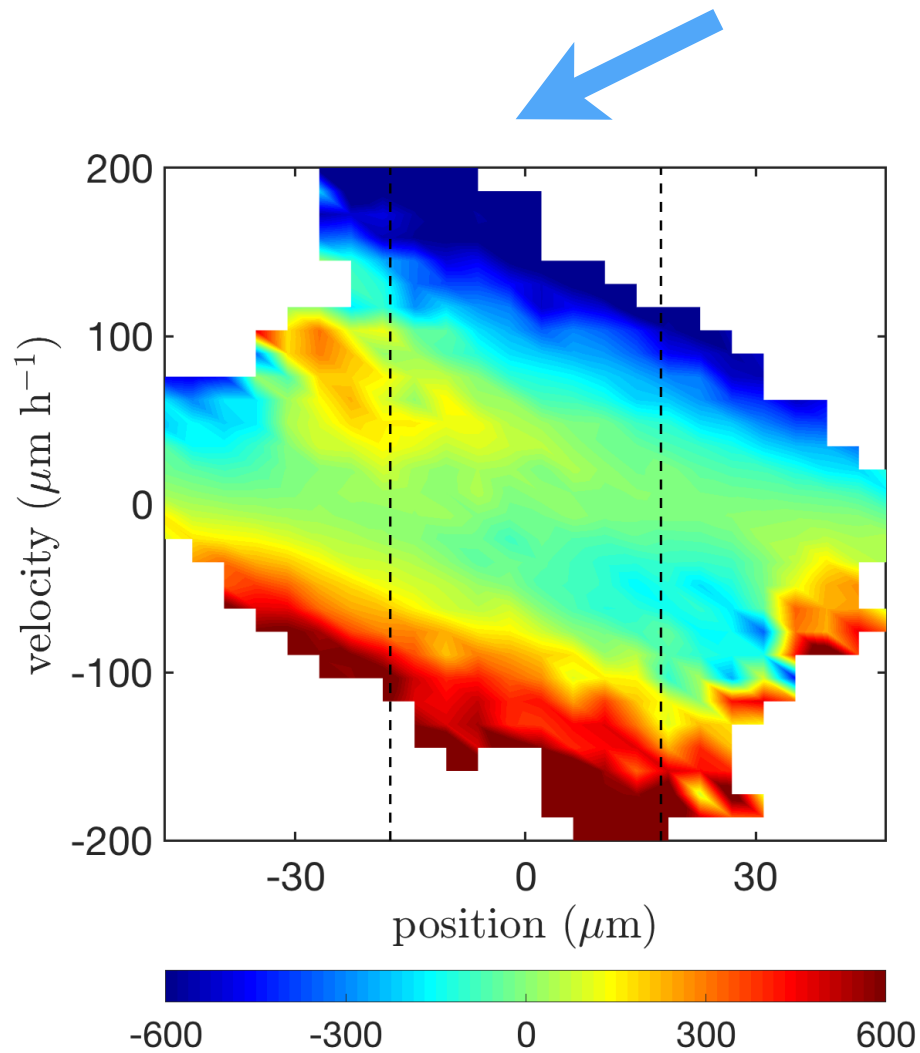
data-driven retrieval of force and noise field:

$$F(x, v) = \langle \dot{v} | x, v \rangle$$

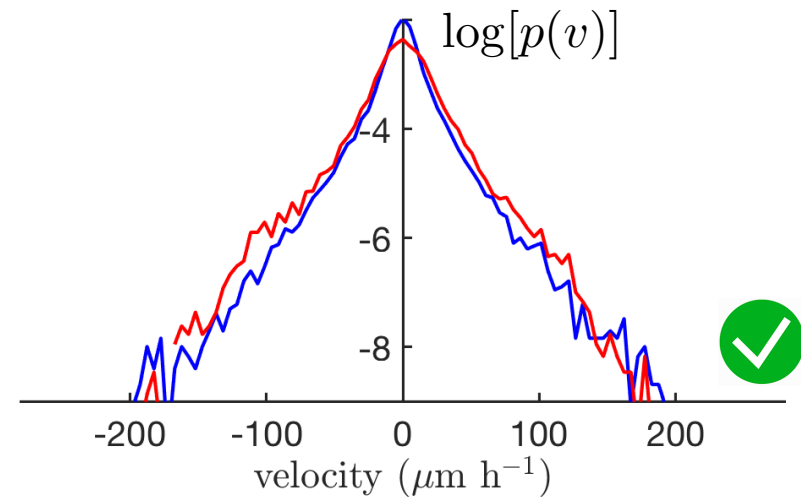
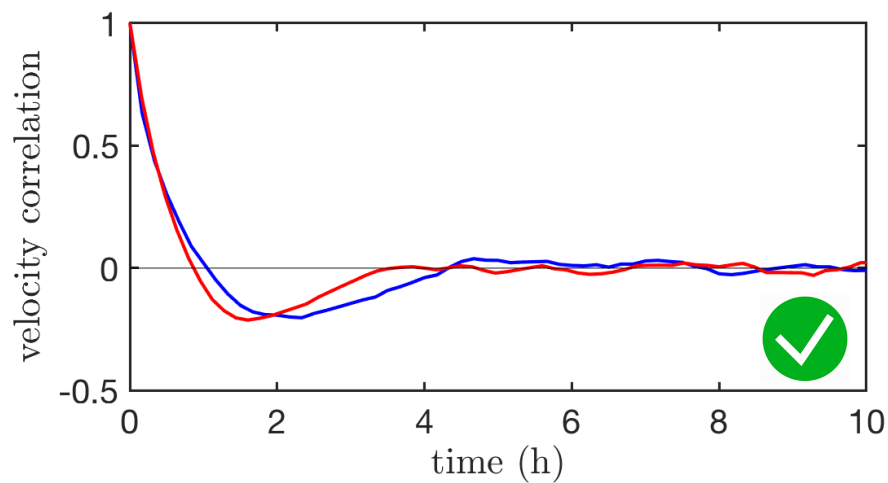
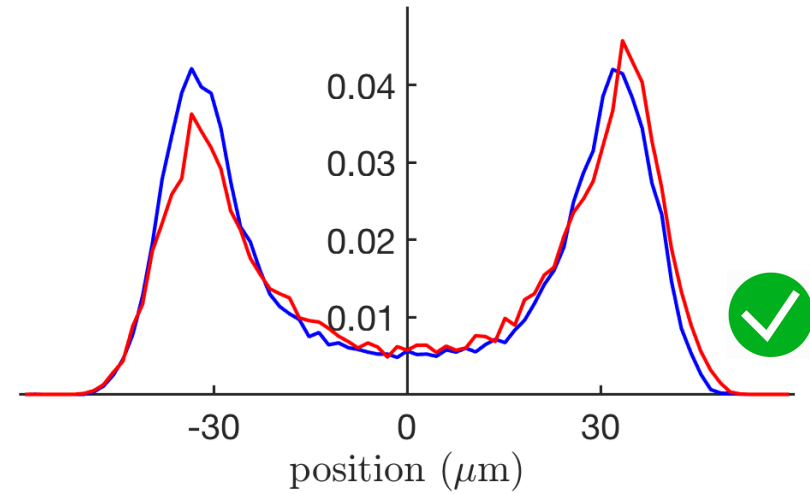
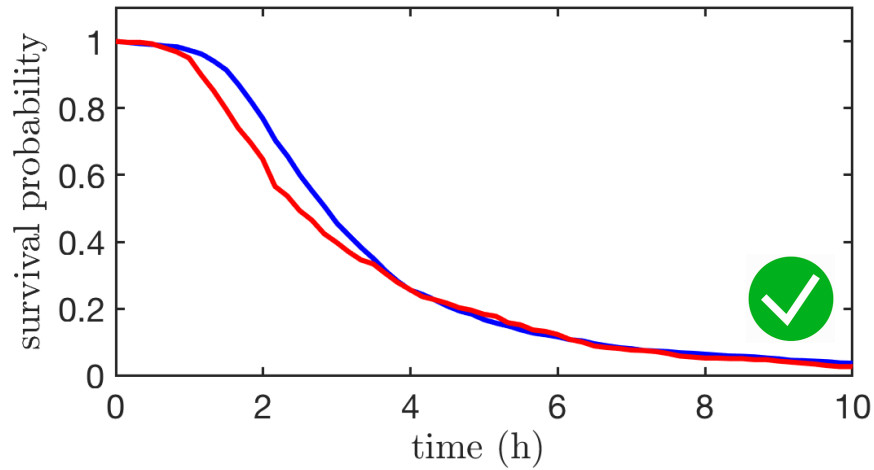
$$\sigma^2(x, v) = \Delta t \langle [\dot{v} - F(x, v)]^2 | x, v \rangle$$

Inferred equation of motion for confined cell migration

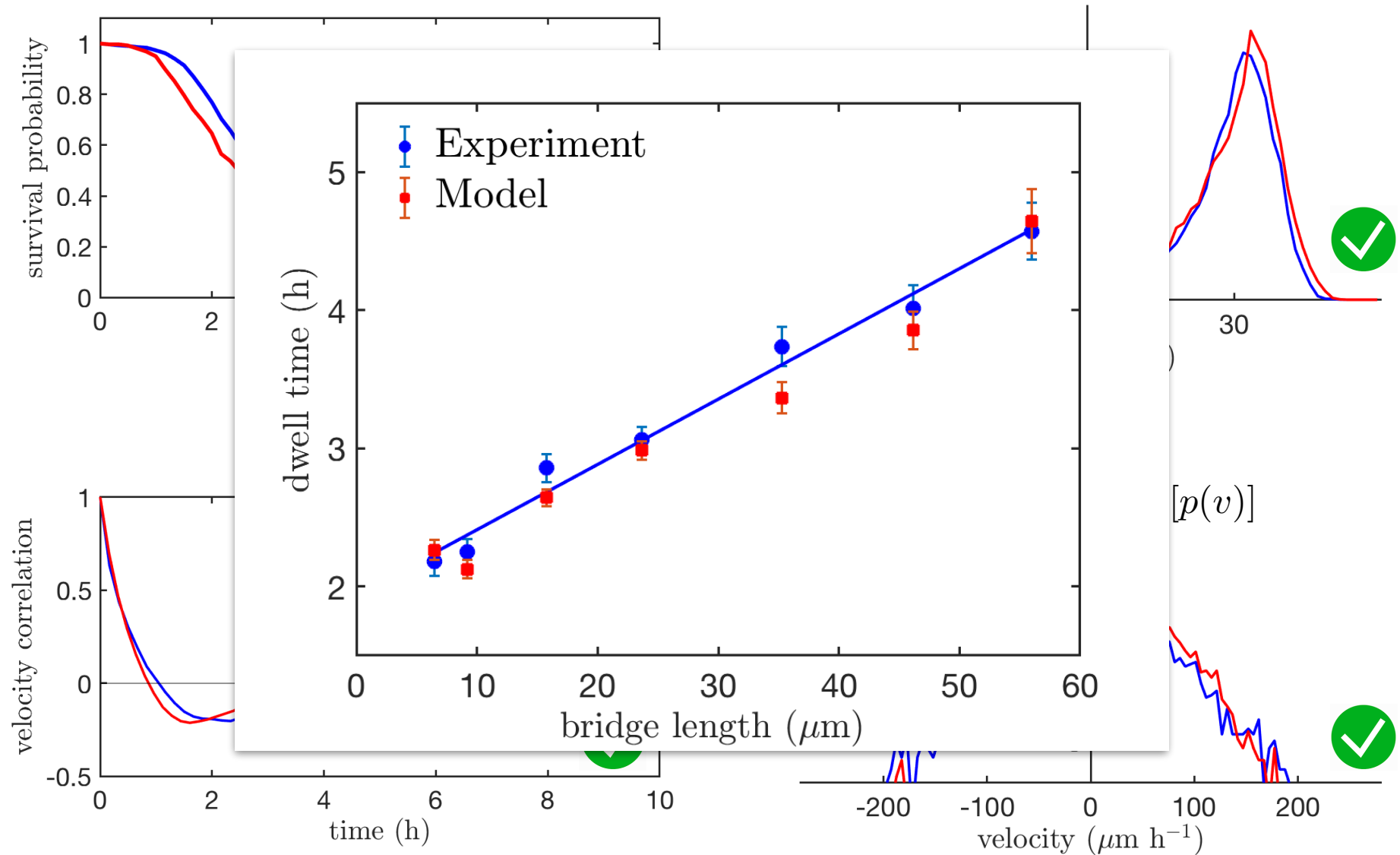
$$\frac{dv}{dt} = F(x, v) + \sigma^2(x, v)\eta(t)$$



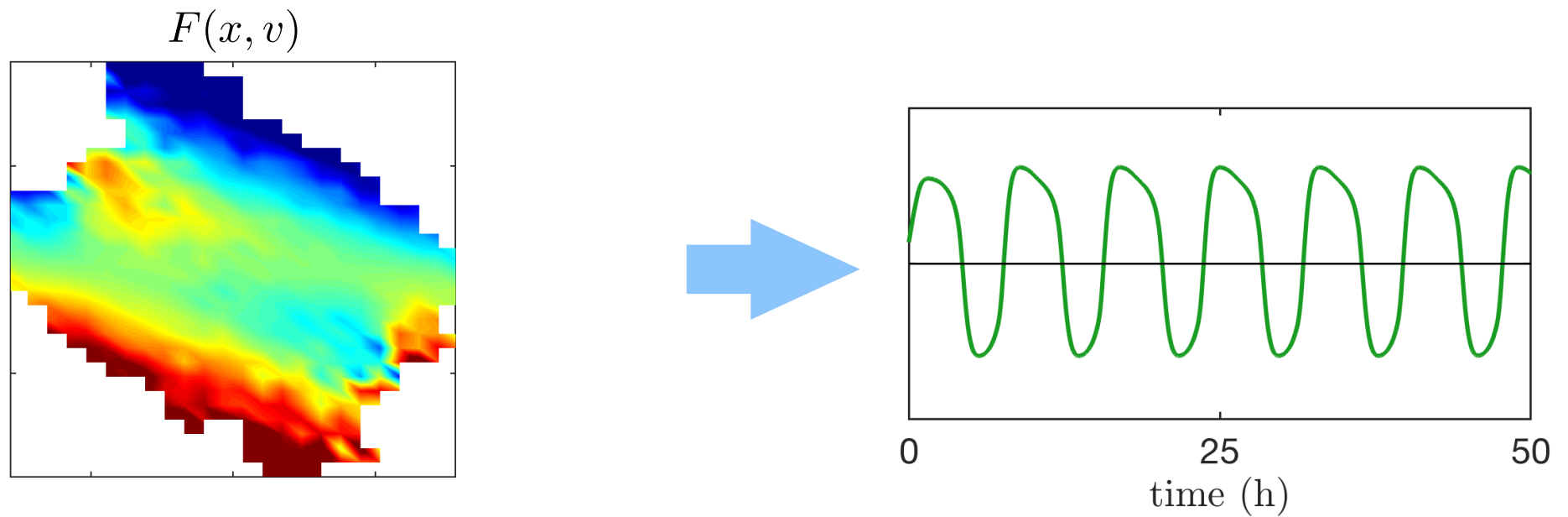
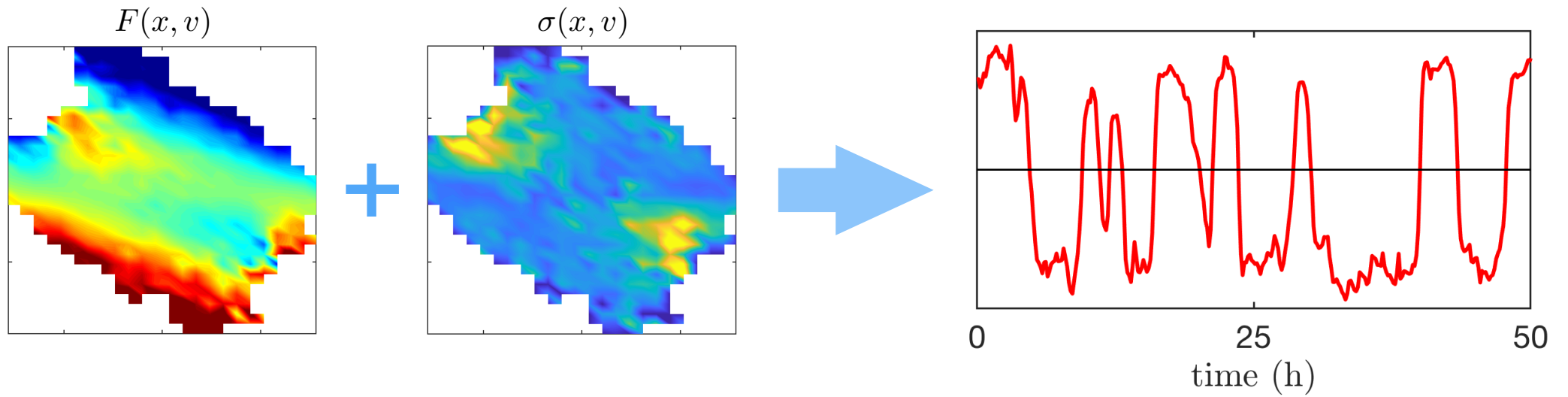
Model reproduces experimental dynamics



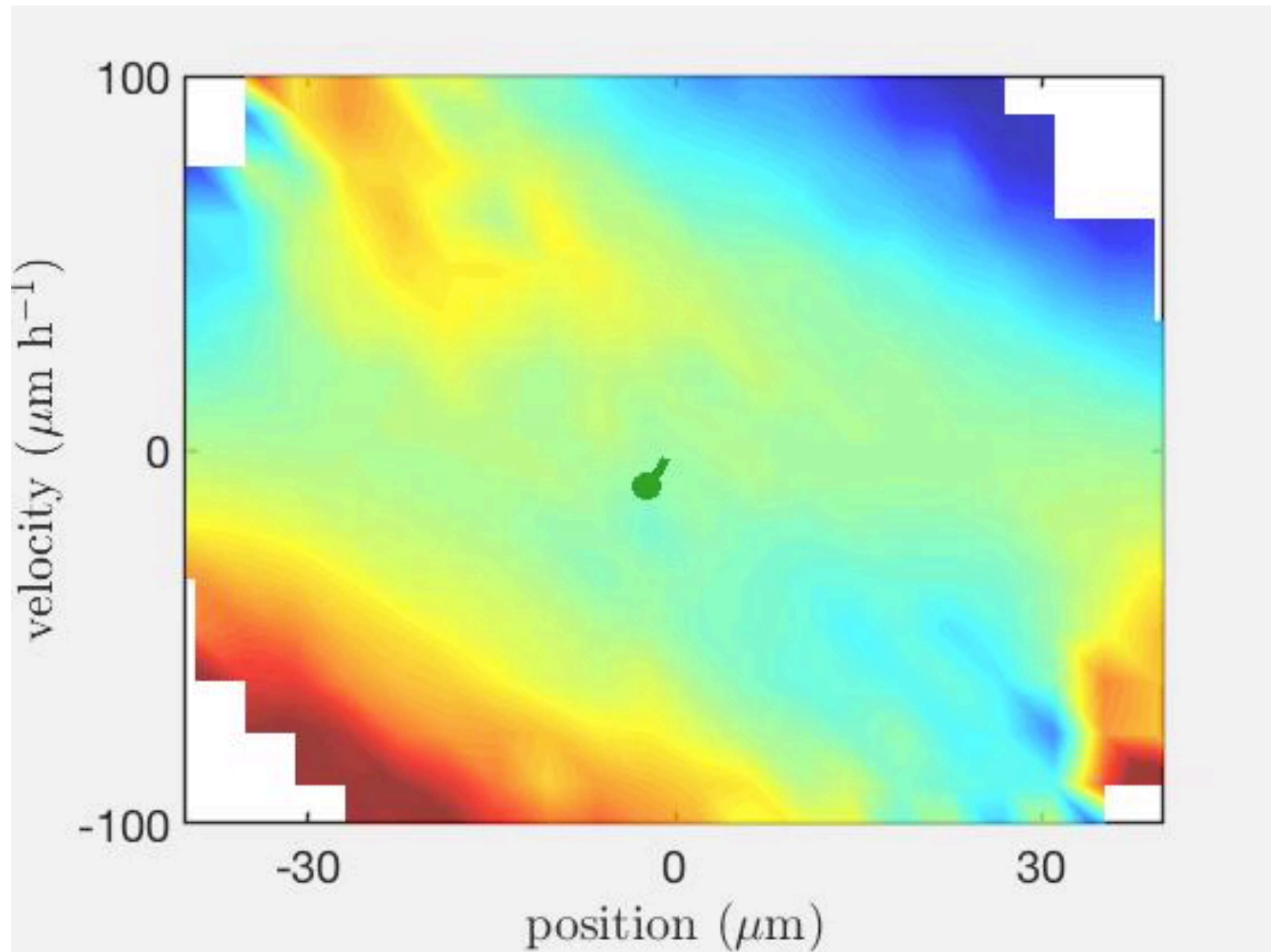
Model reproduces experimental dynamics



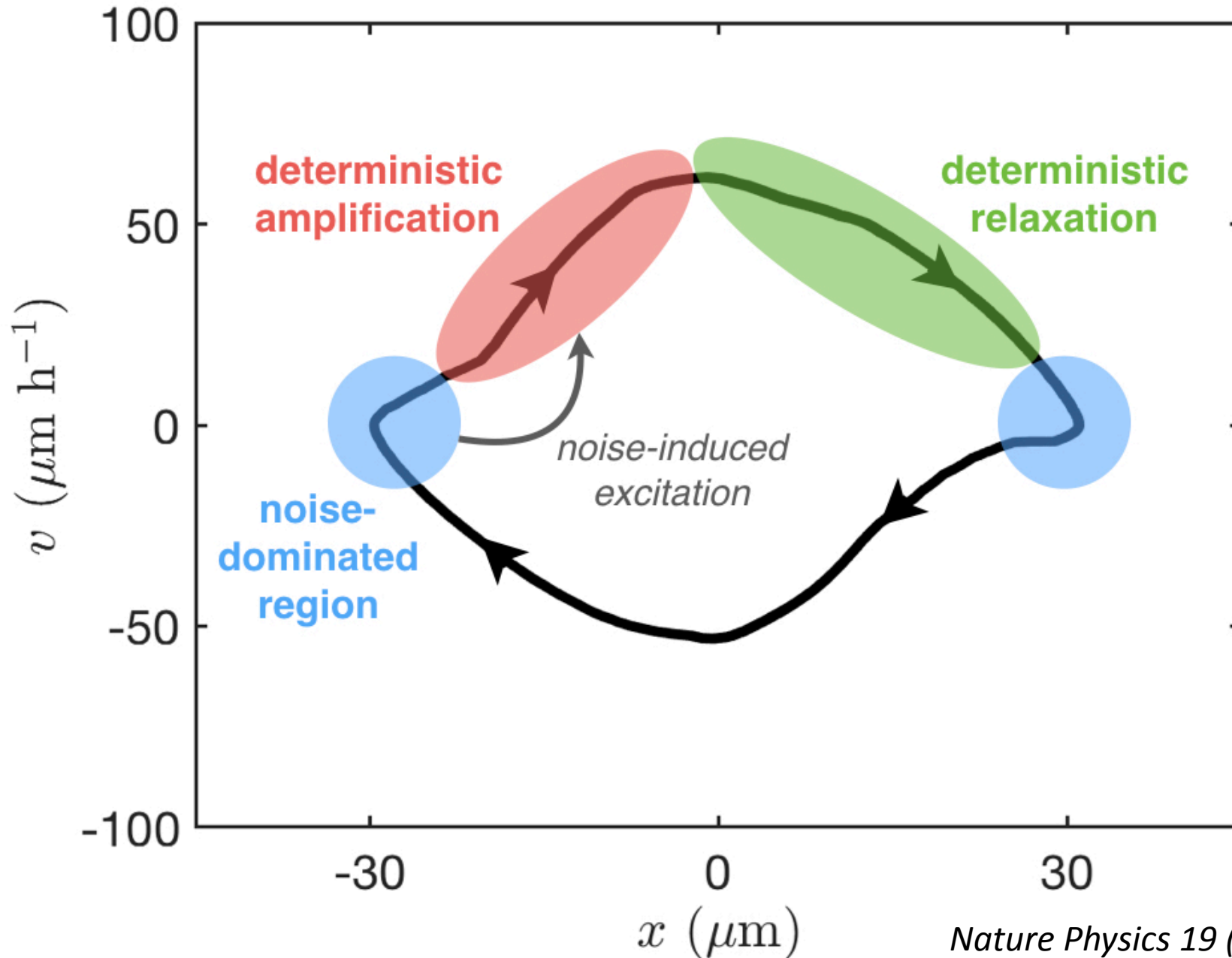
Deterministic component drives transitions



Deterministic dynamics exhibits a limit cycle

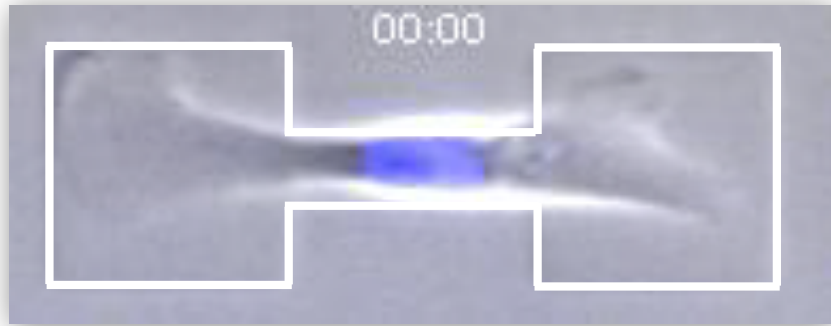


Noise induced excitations

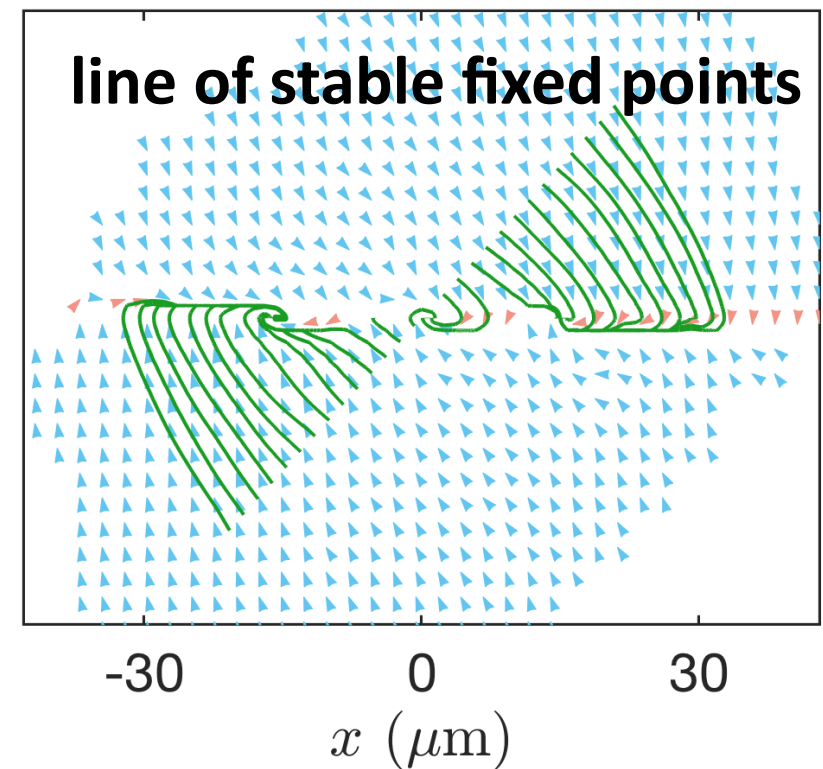
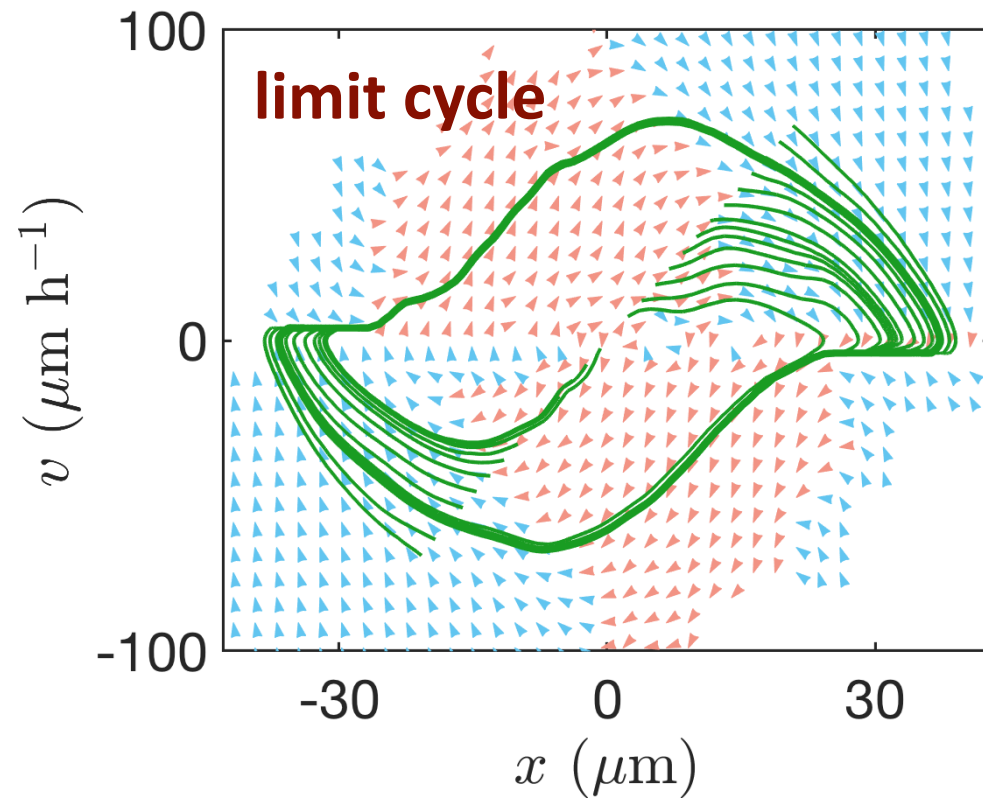


Narrow constrictions lead to speed amplification

MDA-MB-231 with constriction

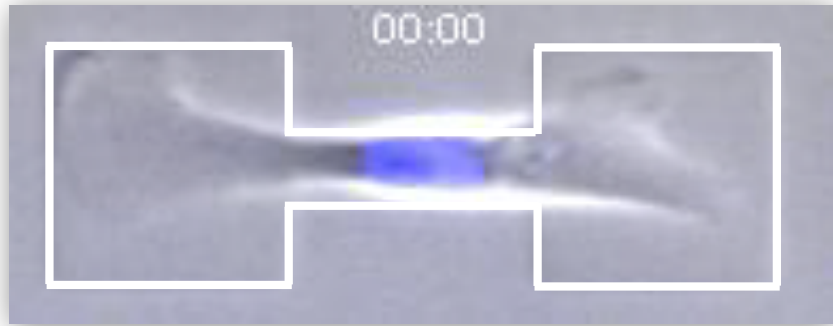


MDA-MB-231 without constriction

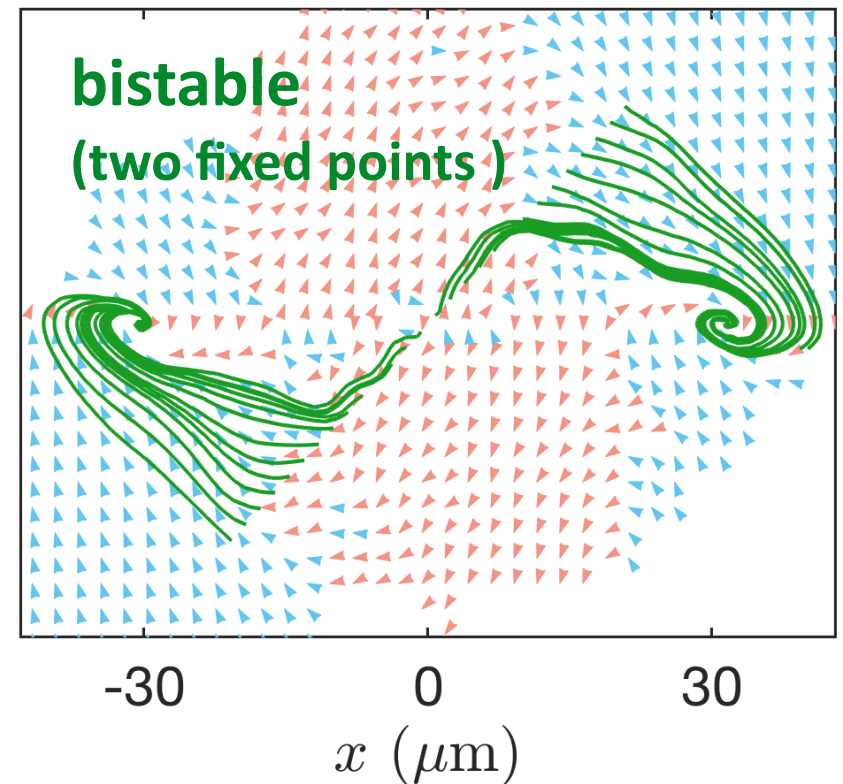
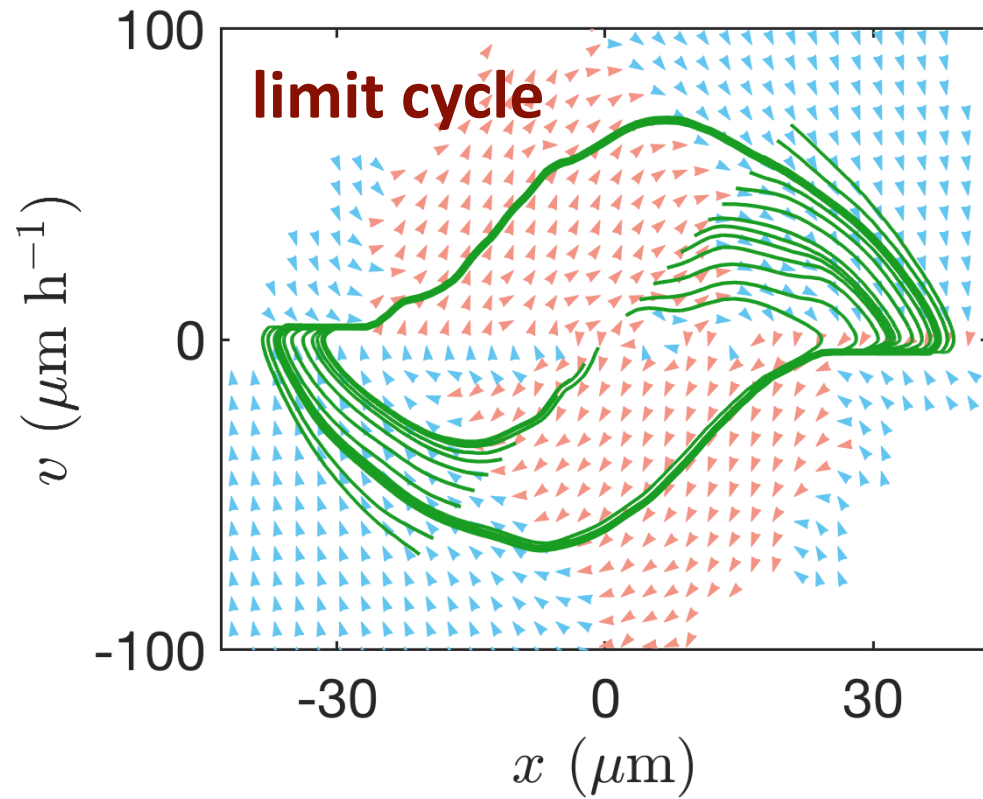
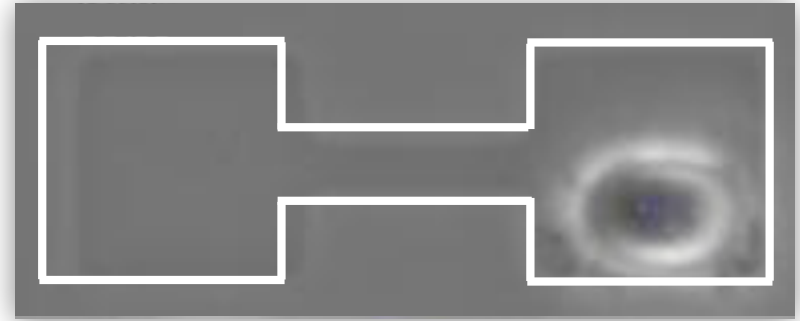


Method detects subtle differences between cells

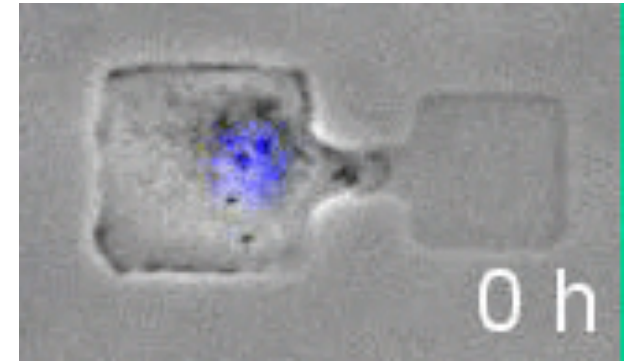
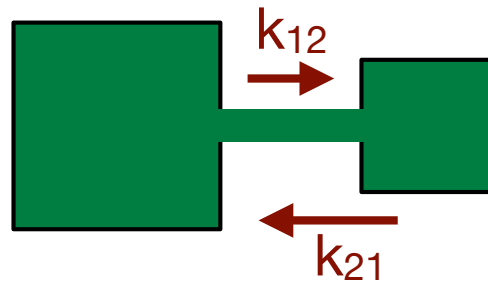
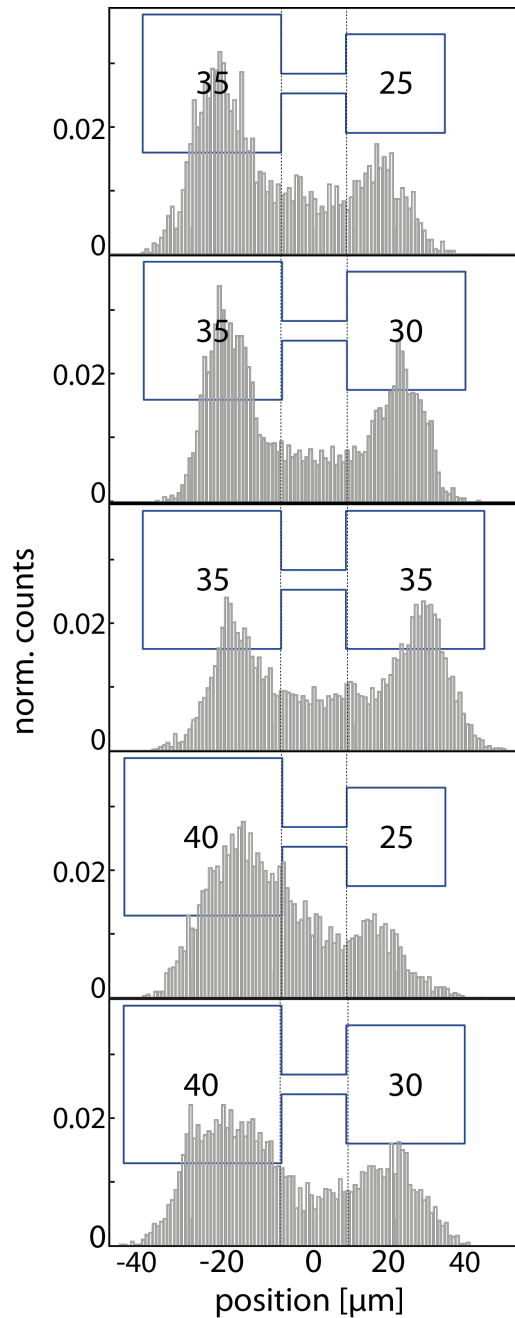
cancerous (MDA-MB-231)



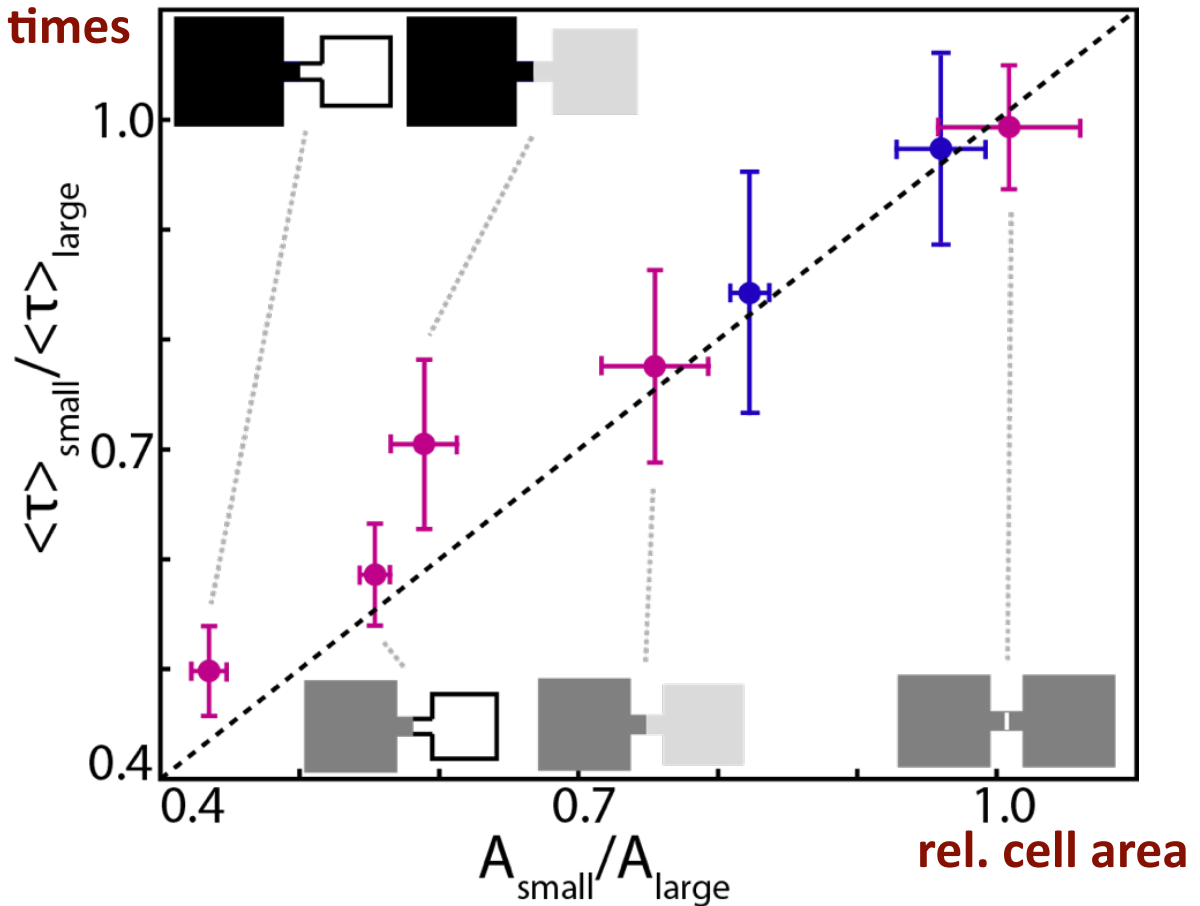
Non-cancerous (MCF10A)



Two-state system with different areas



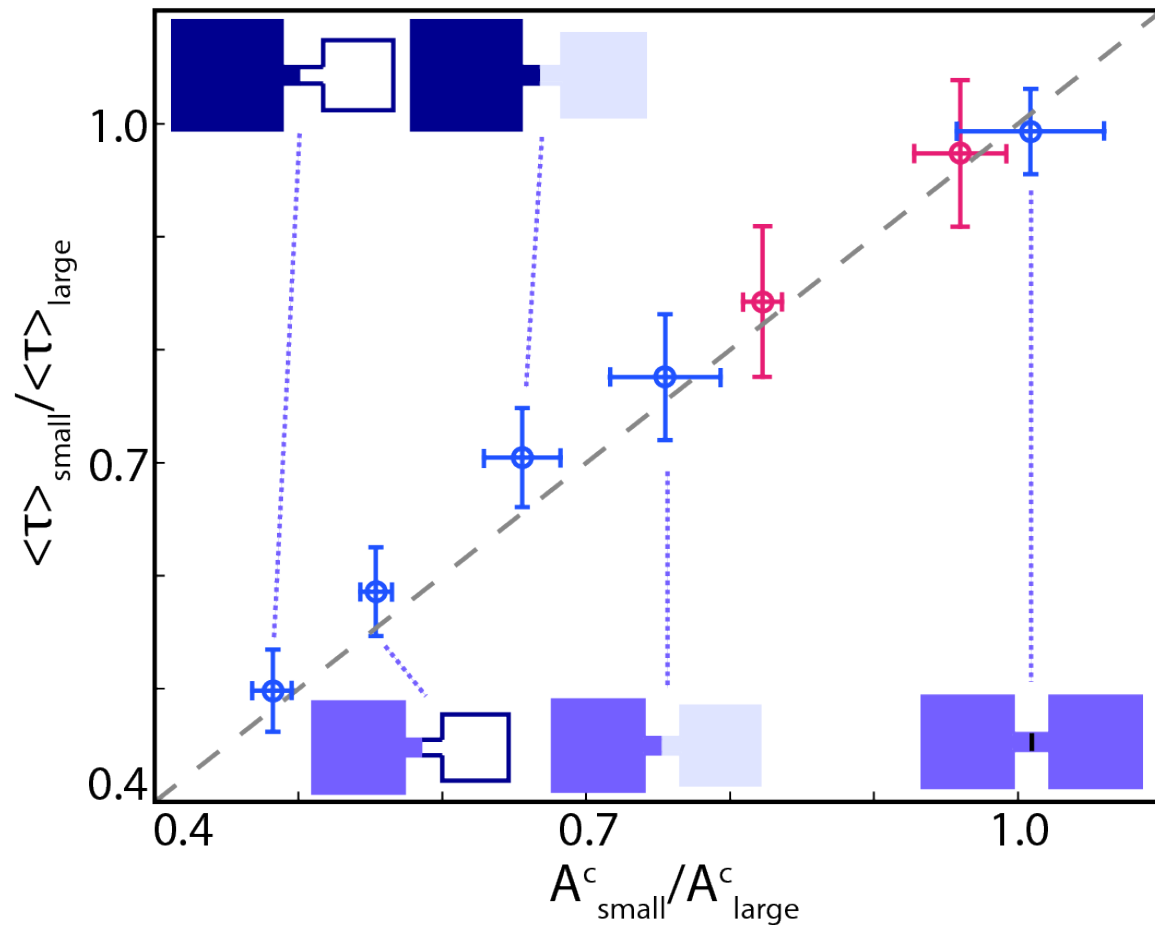
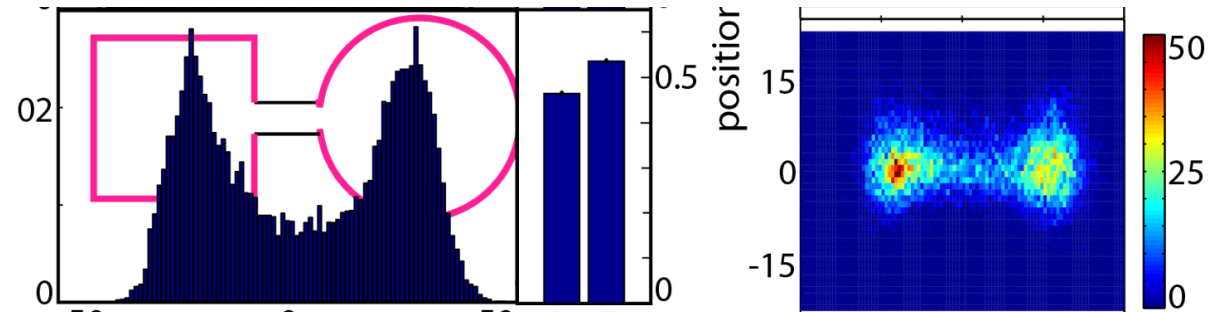
rel. stay
times



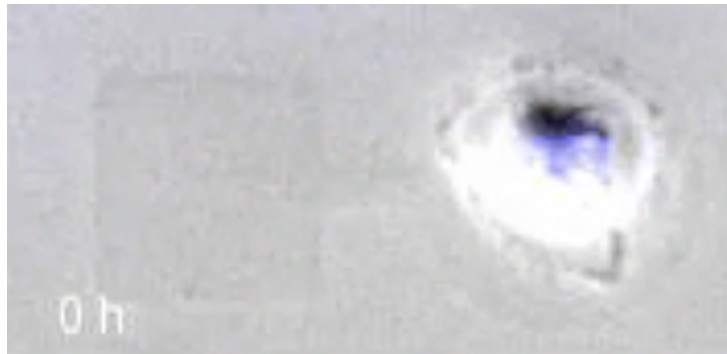
Pattern with different shapes



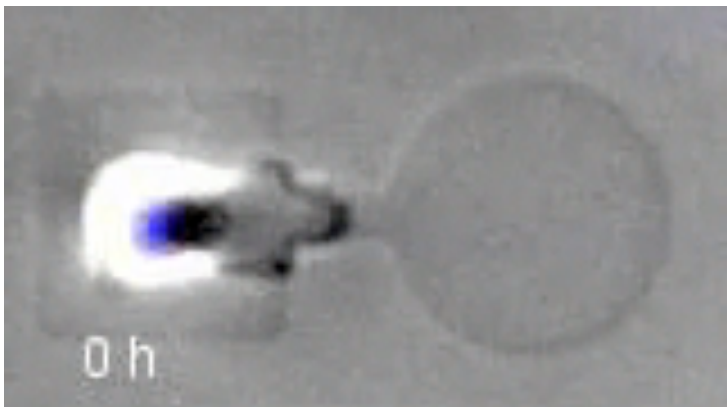
equal perimeter



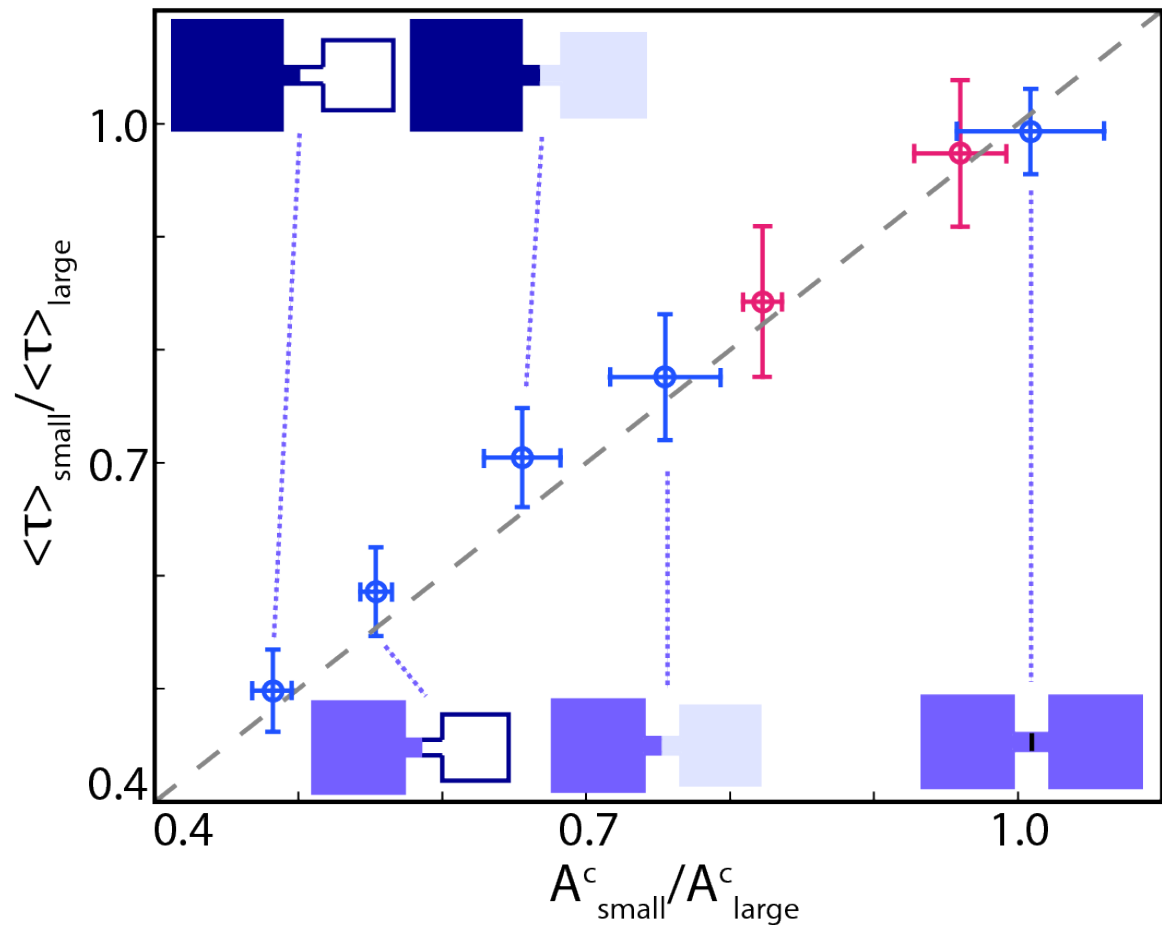
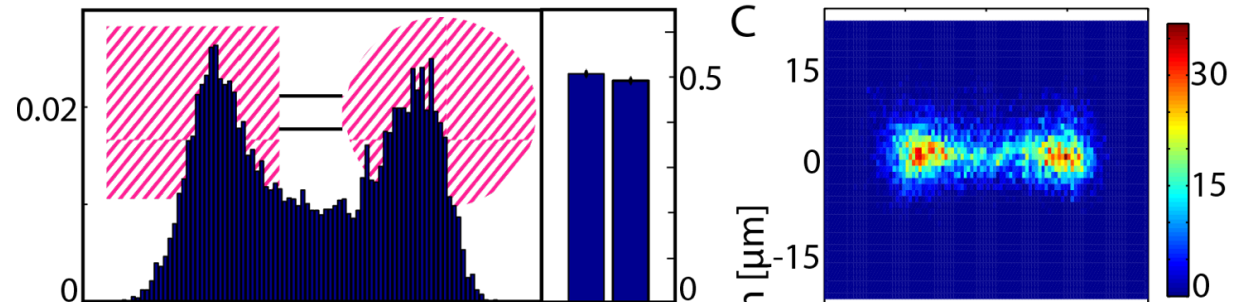
Pattern with different shapes



equal perimeter

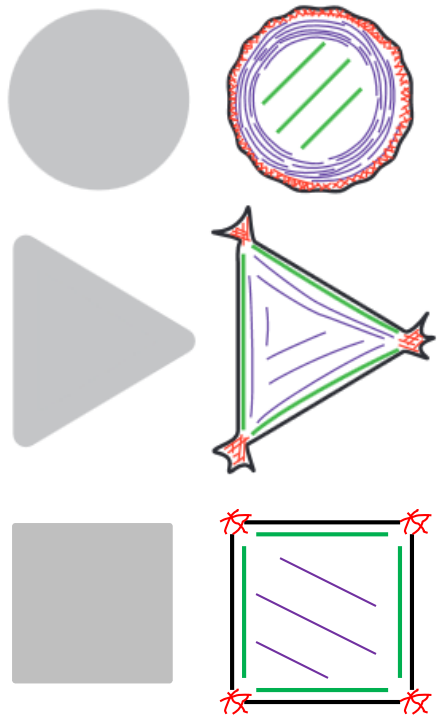


equal area



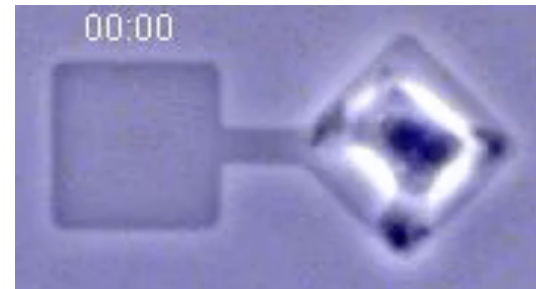
Anisotropic shapes affect transition rates

Static cell adhesion:



Théry, M., J Cell Sci 2010 123: 4201-4213

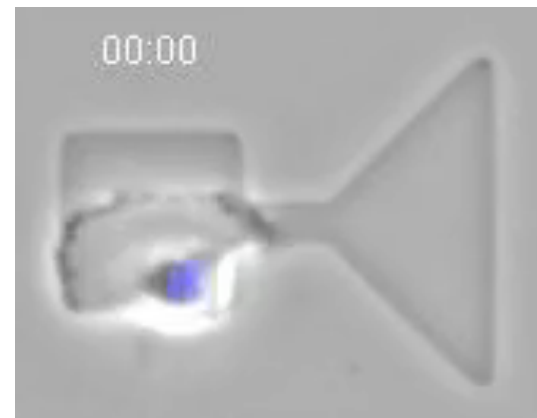
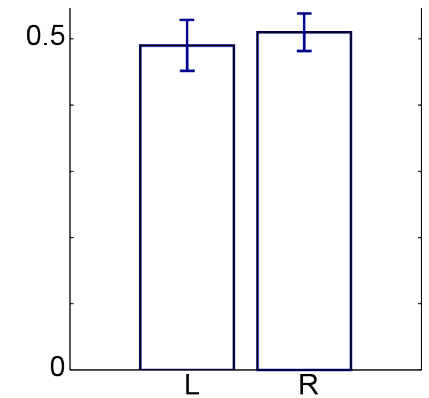
Dynamic system:



$$k_{LR} = 0.43 \text{ h}^{-1}$$



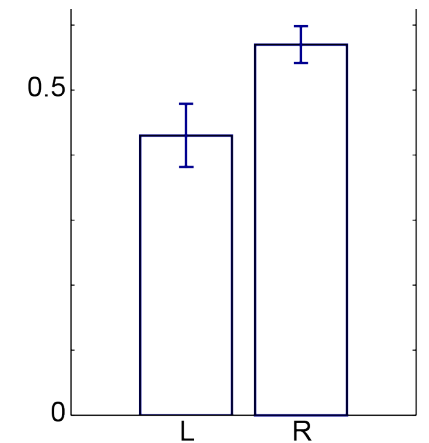
$$k_{RL} = 0.41 \text{ h}^{-1}$$



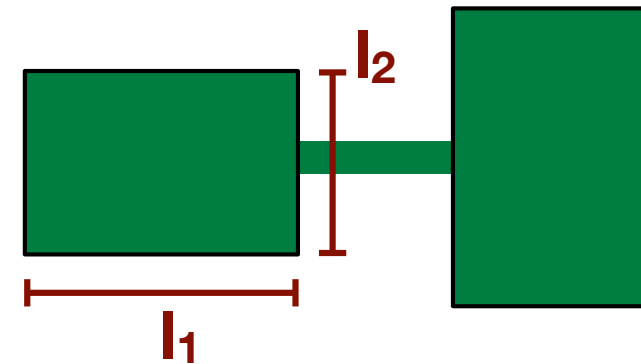
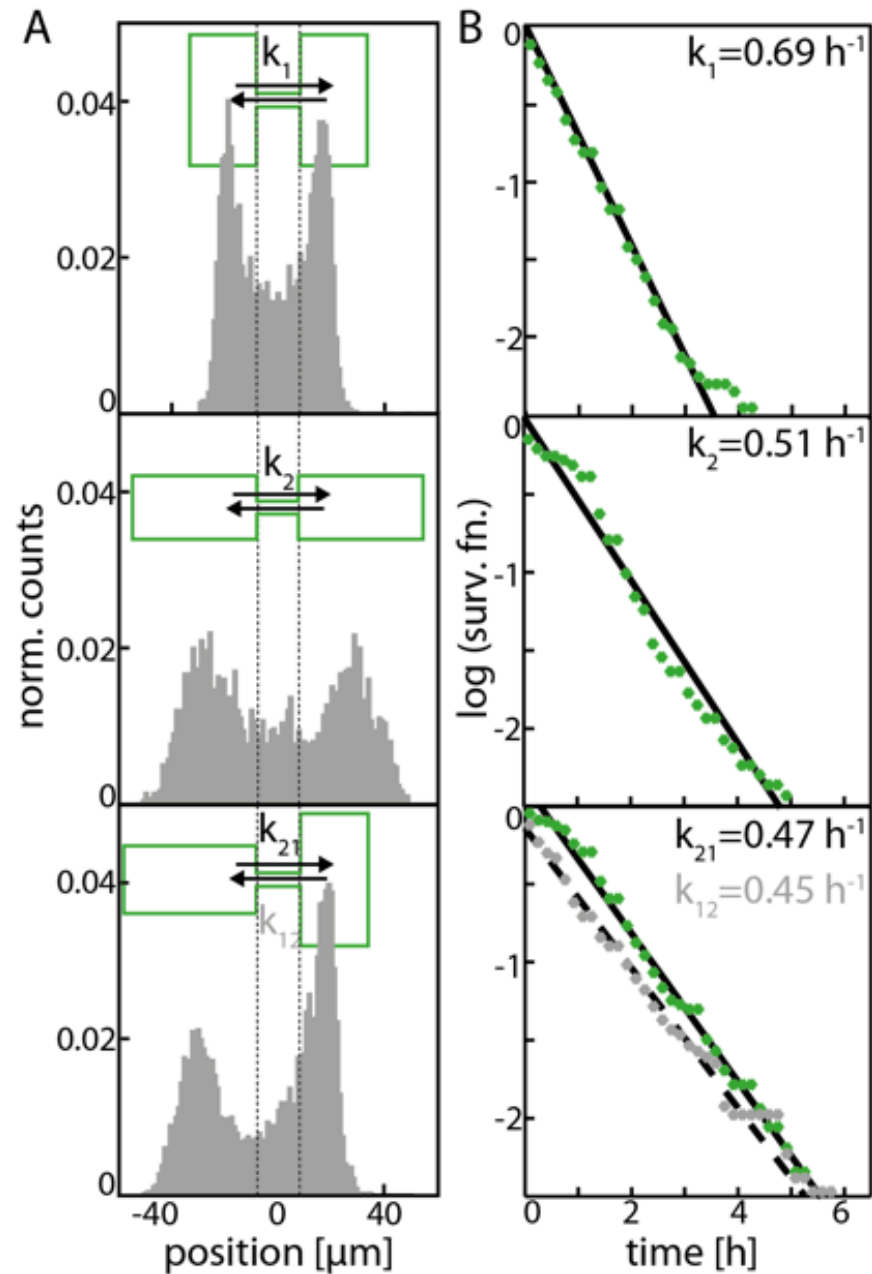
$$k_{LR} = 0.41 \text{ h}^{-1}$$



$$k_{RL} = 0.29 \text{ h}^{-1}$$



Orientation of cell polarization biases transition rates

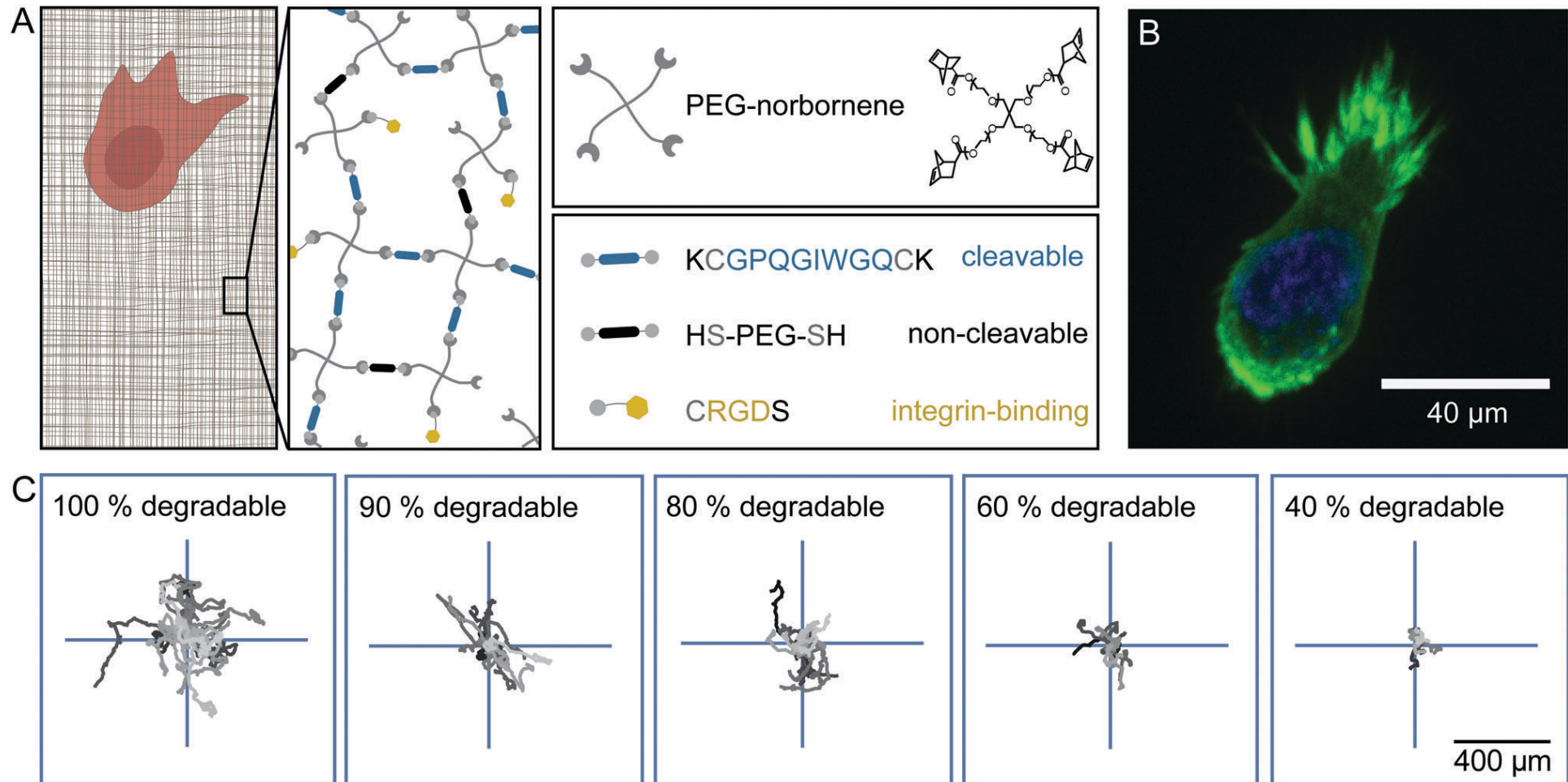


equal area & perimeter
different orientation



μ -pattern infer polarization

Guiding 3D cell migration in deformed synthetic hydrogel microstructures

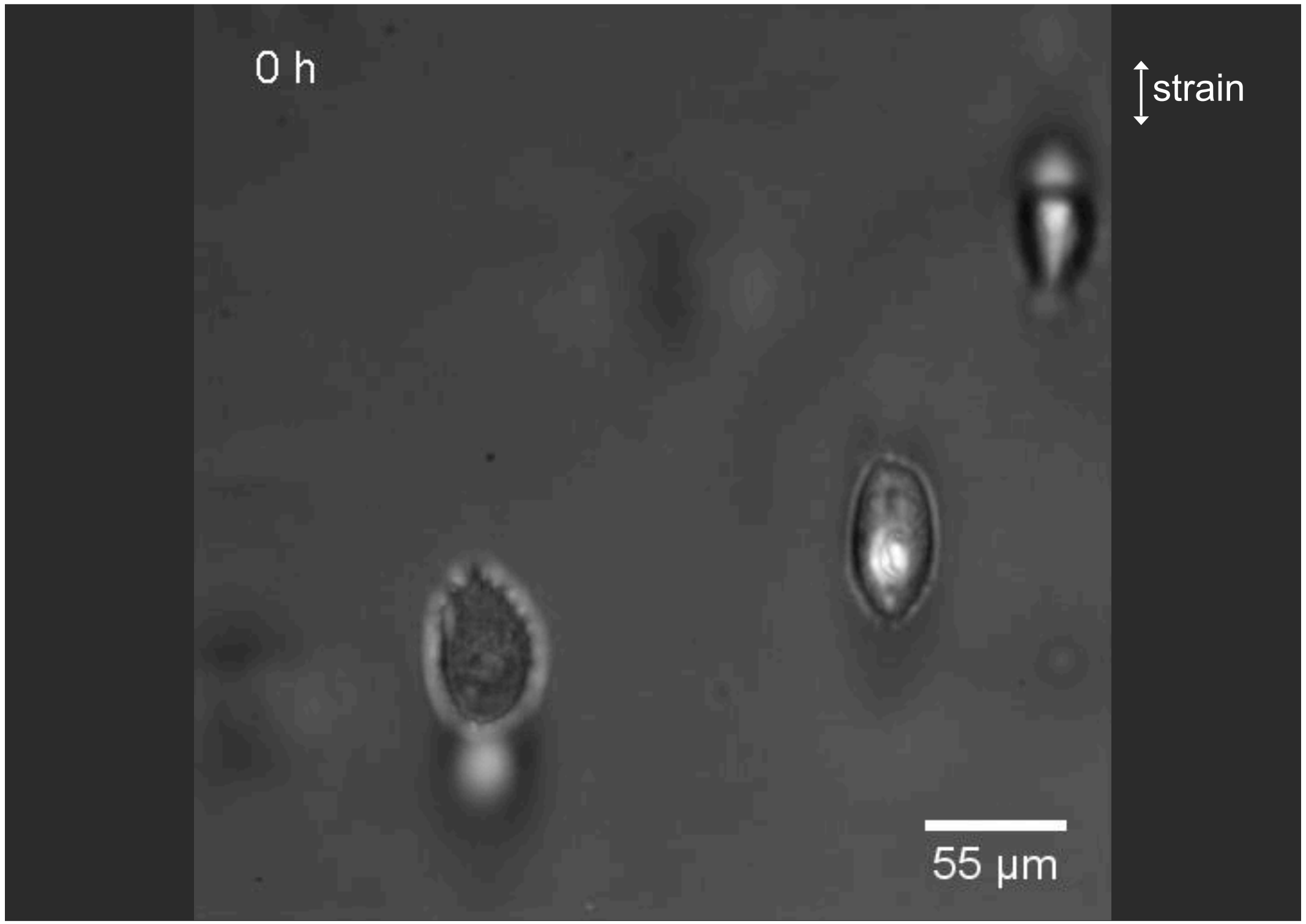


Dietrich, Miriam, Hugo Le Roy, David B Brückner, Hanna Engelke, Roman Zantl, Joachim O Rädler, and Chase P Broedersz. *Soft Matter* 19 (2018): 1592.

0 h

↑ strain

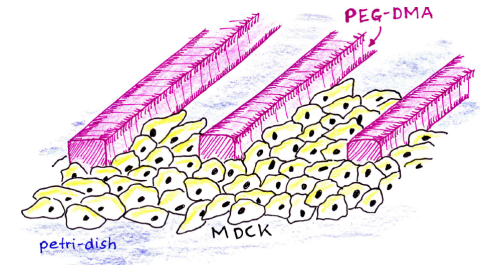
55 μm



Conclusion

Collective Cell migration in microchannels described by flow and diffusion

Tina Marel, Felix Seegerer, Matthias Zorn



Cell polarization produces spontaneous swirls (Cellular Potts Modell)

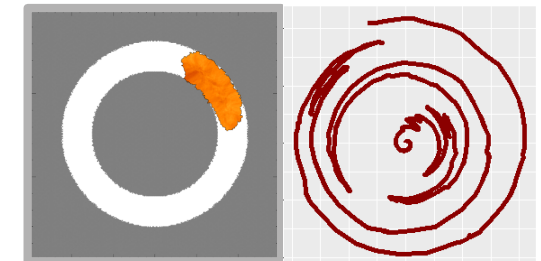
Felix Seegerer

Cooperation: Florian Thürhoff, Andriy Goychuk, Erwin Frey

Single Cell migration on micro-lanes allows for migratory fingerprints

Christoph Schreiber

Cooperation: E. Wagner, A. Roidl



Cell migration on two-state micropattern described by inferred force and noise maps

Alexandra Fink, Christoph Schreiber

Sophia Schaffer, Fang Zhou

Cooperation: D. Brückner & C. Broedersz

